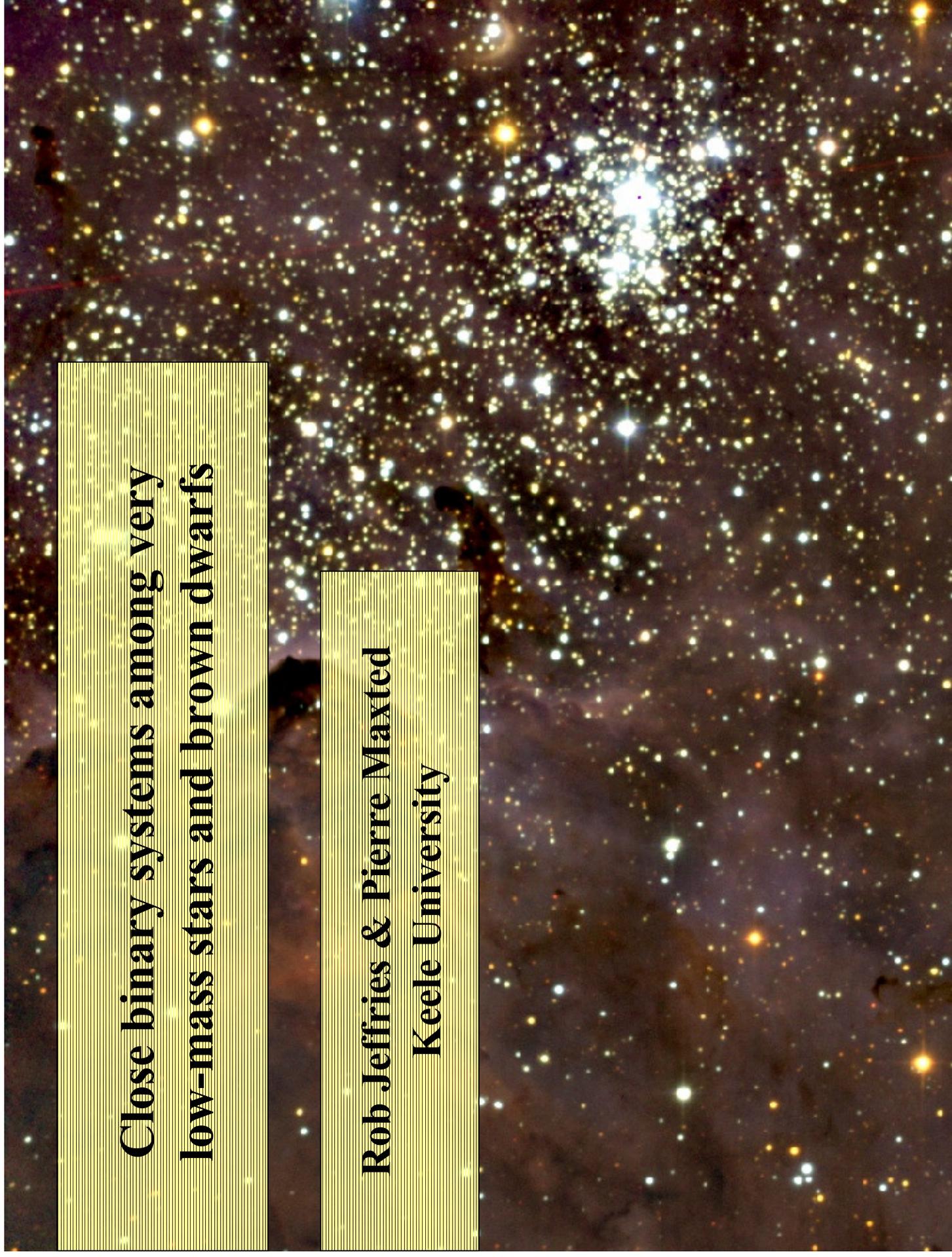


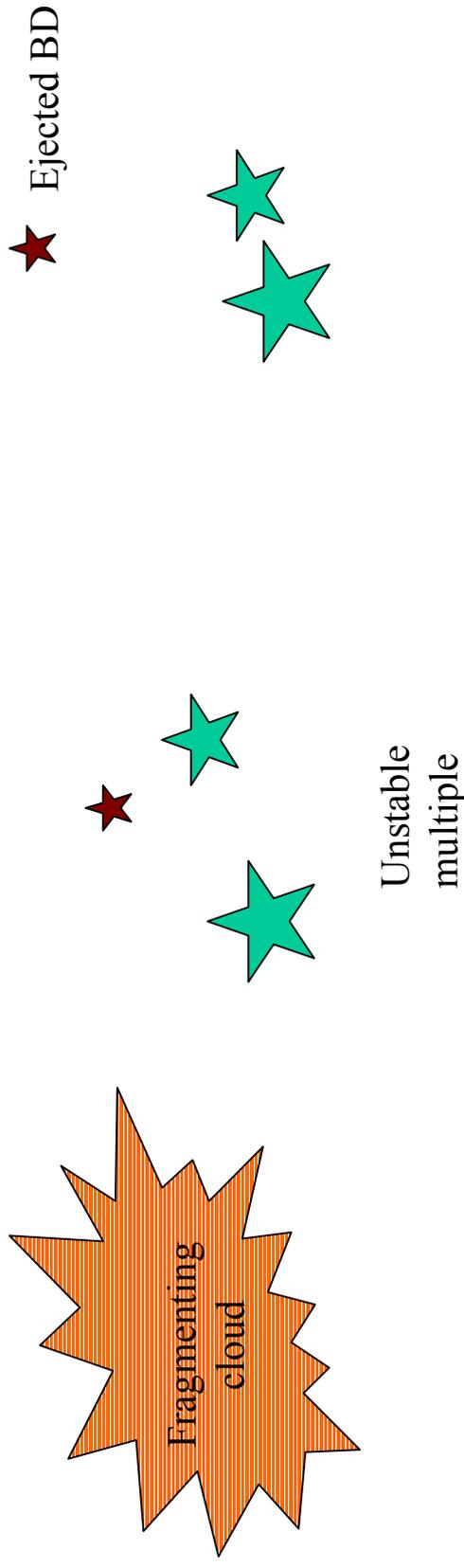
**Close binary systems among very
low-mass stars and brown dwarfs**

**Rob Jeffries & Pierre Maxted
Keele University**



Very low-mass stars and brown dwarfs in binary systems

- Formation mechanism for lowest mass objects controversial - typical Jeans mass is too large!
- Binaries preserve an imprint of the formation mechanism



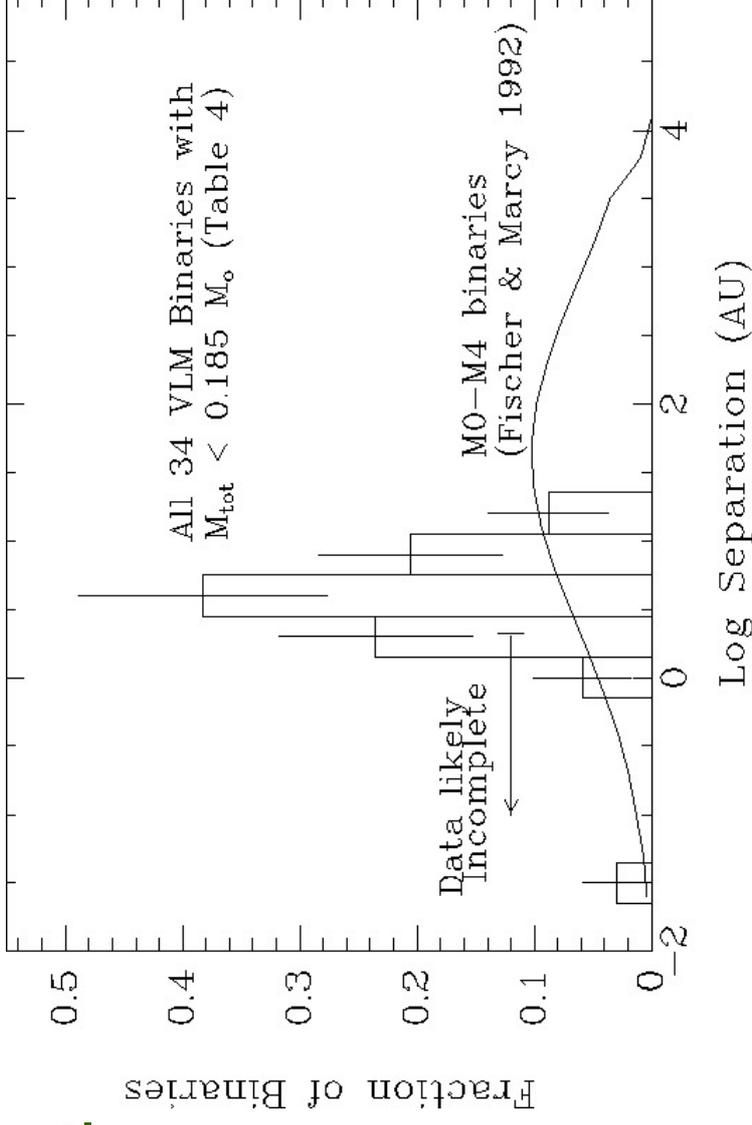
Wide VLM/BD binaries

- BF = $(15 \pm 7) \%$
(at >2.6 au)
- Peak at 3-4 au
- No very wide systems

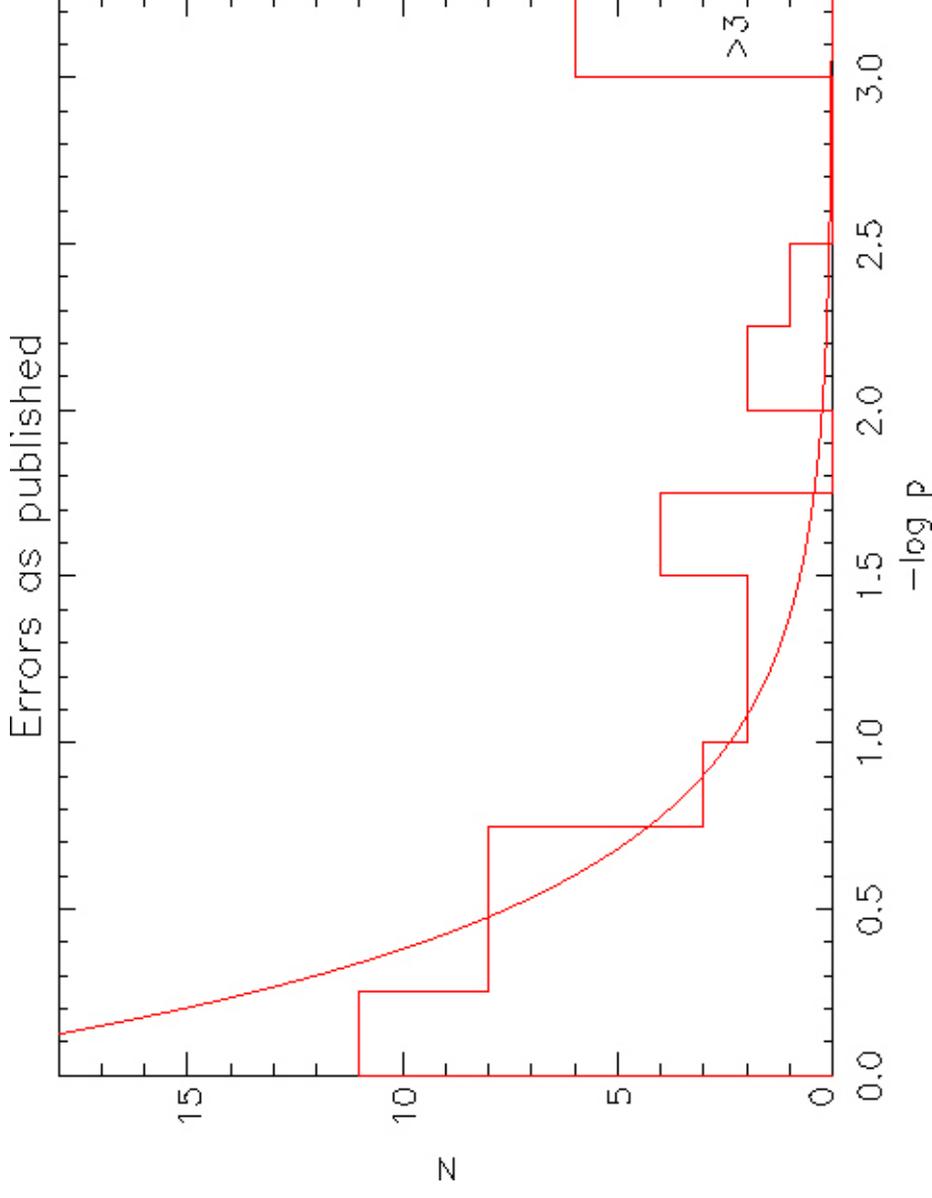
Close binaries

- Guenther & Wuchterl (2003) - 3 RV variables in 24 field VLMS/BDs
- Joergens (2005) - 2 RV variables in 11 Cha I VLMS/BDs
- Kenyon et al. (2005) - 4 close binaries in ~ 60 Sigma Ori VLMS/BDs

Close binary frequency of $>10\%$??

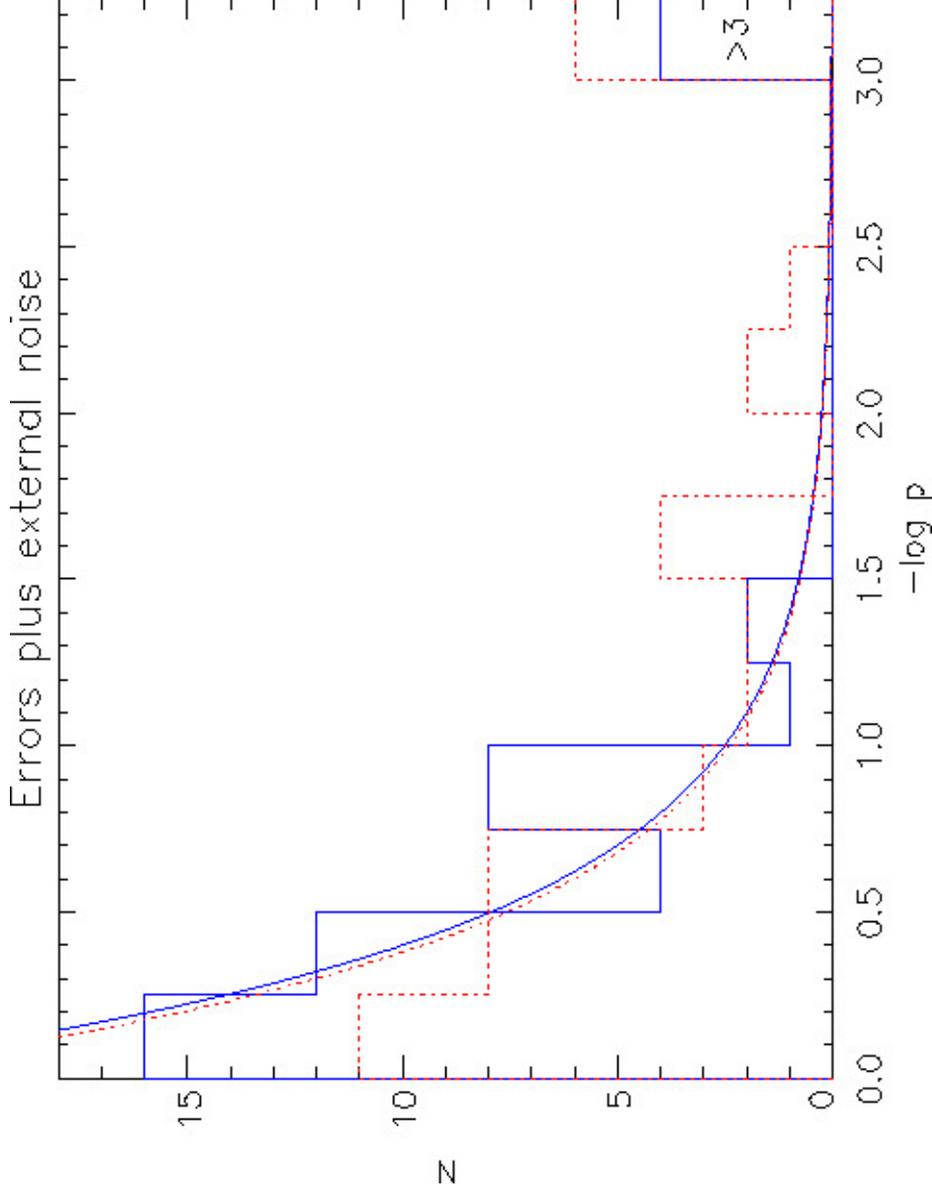


Data - 47 VLM/BD binaries with >1 RV measurement and $0.045 < M < 0.11 M_{\text{sun}}$



Add external errors to match **log p** distribution?

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Add external errors to match **log p** distribution?

Monte Carlo Simulations

For each target, take error bars, masses and times of observation.
Generate 10^7 trials picking randomly from:

- a distribution of $\log a$
- a distribution of $q = m_1/m_2$
- a distribution of eccentricity, e
- phase, inclination, longitude of periastron

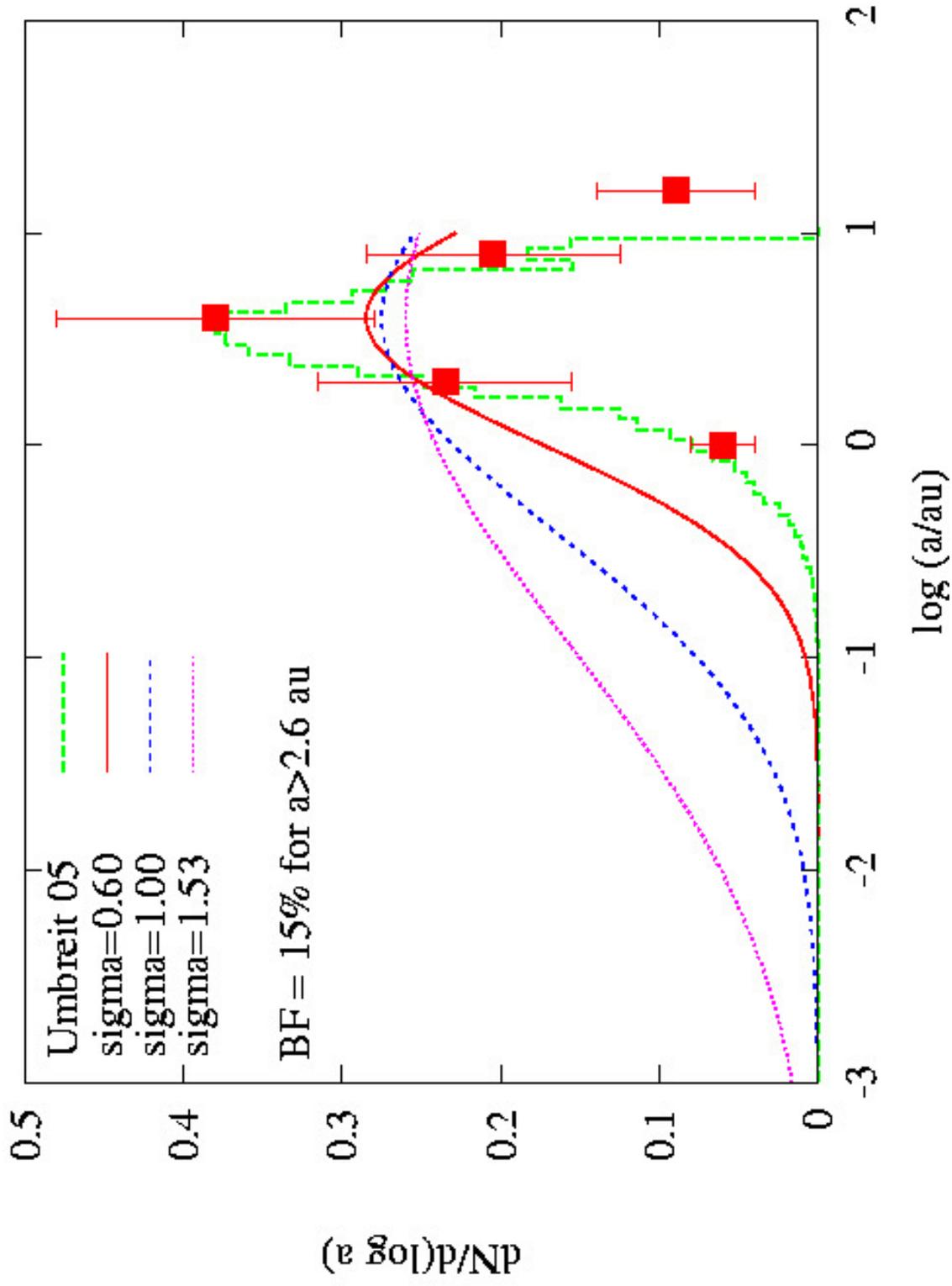
Hence calculate $RV(t)$ and perturb according to error bar

Hence calculate χ^2 and $\log p$

If $\log p < -3$ “binary” is detected

Get detection efficiency vs $\log a$ per star

Assumed a distributions



Assumptions

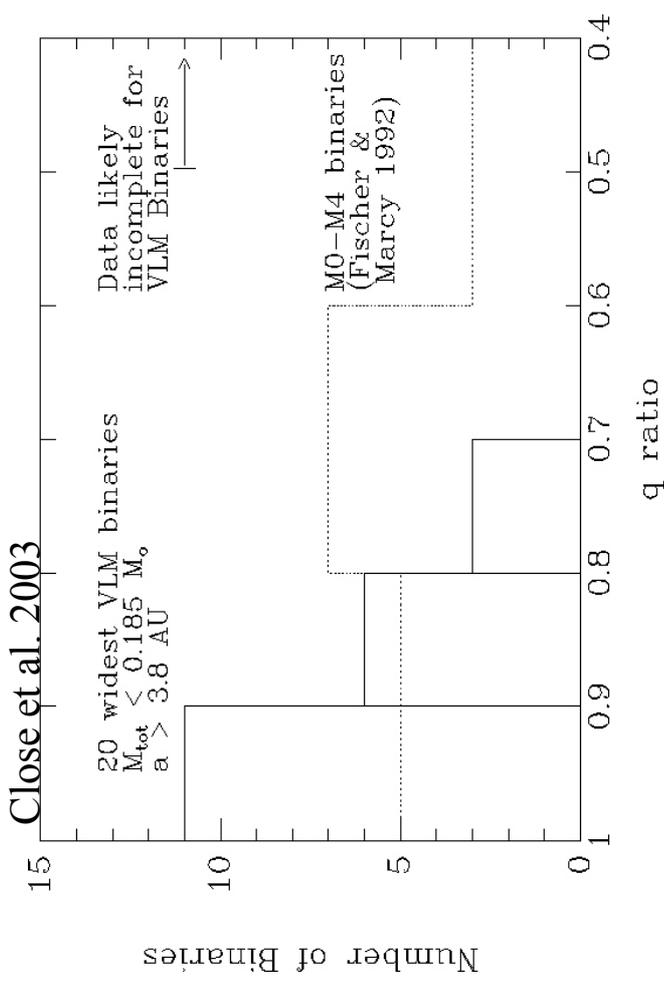
F(q)

“flat” - uniform $0.2 < q < 1$

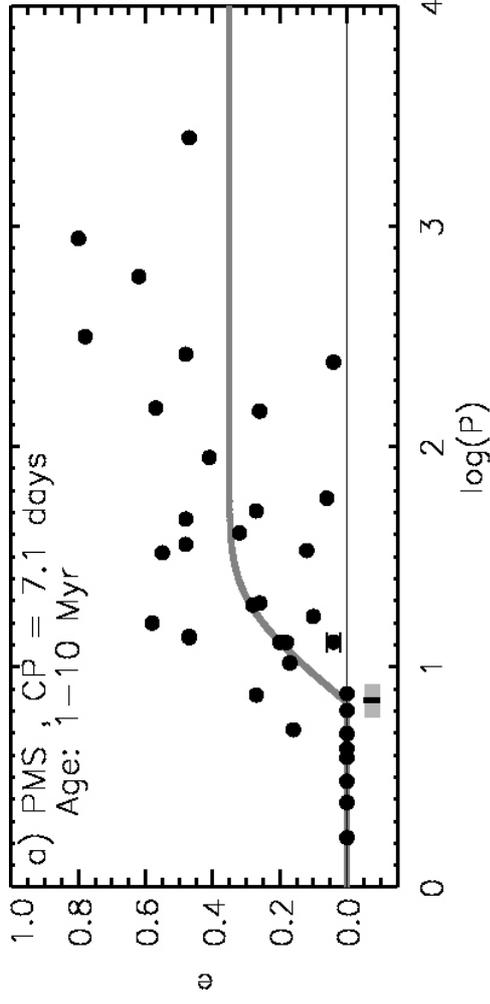
(c.f. M-dwarf F(q)) \dashrightarrow

“peaked” - uniform $0.7 < q < 1$

(c.f. VLM/BD F(q)) \dashrightarrow



Meibom & Mathieu 2005

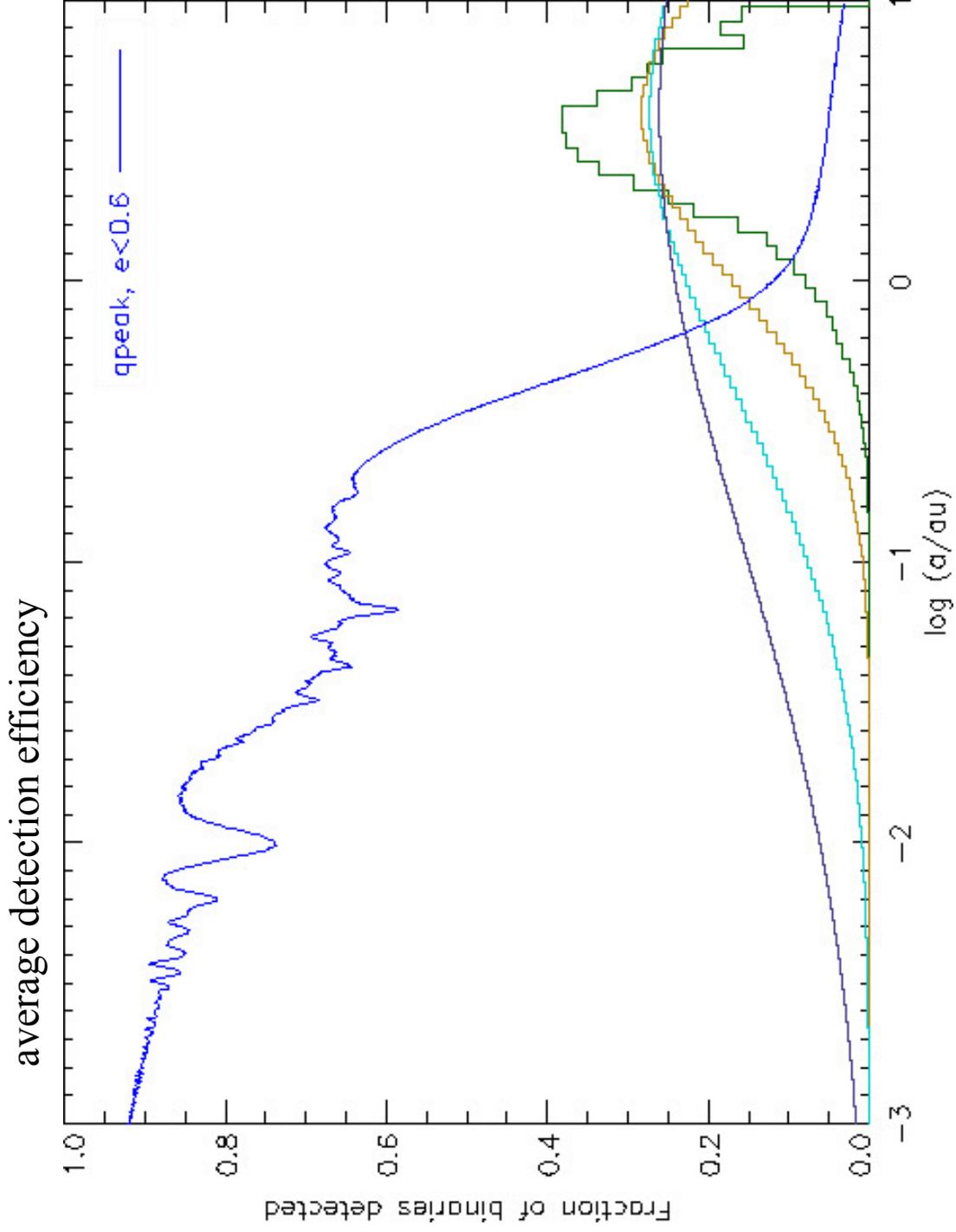


F(e)

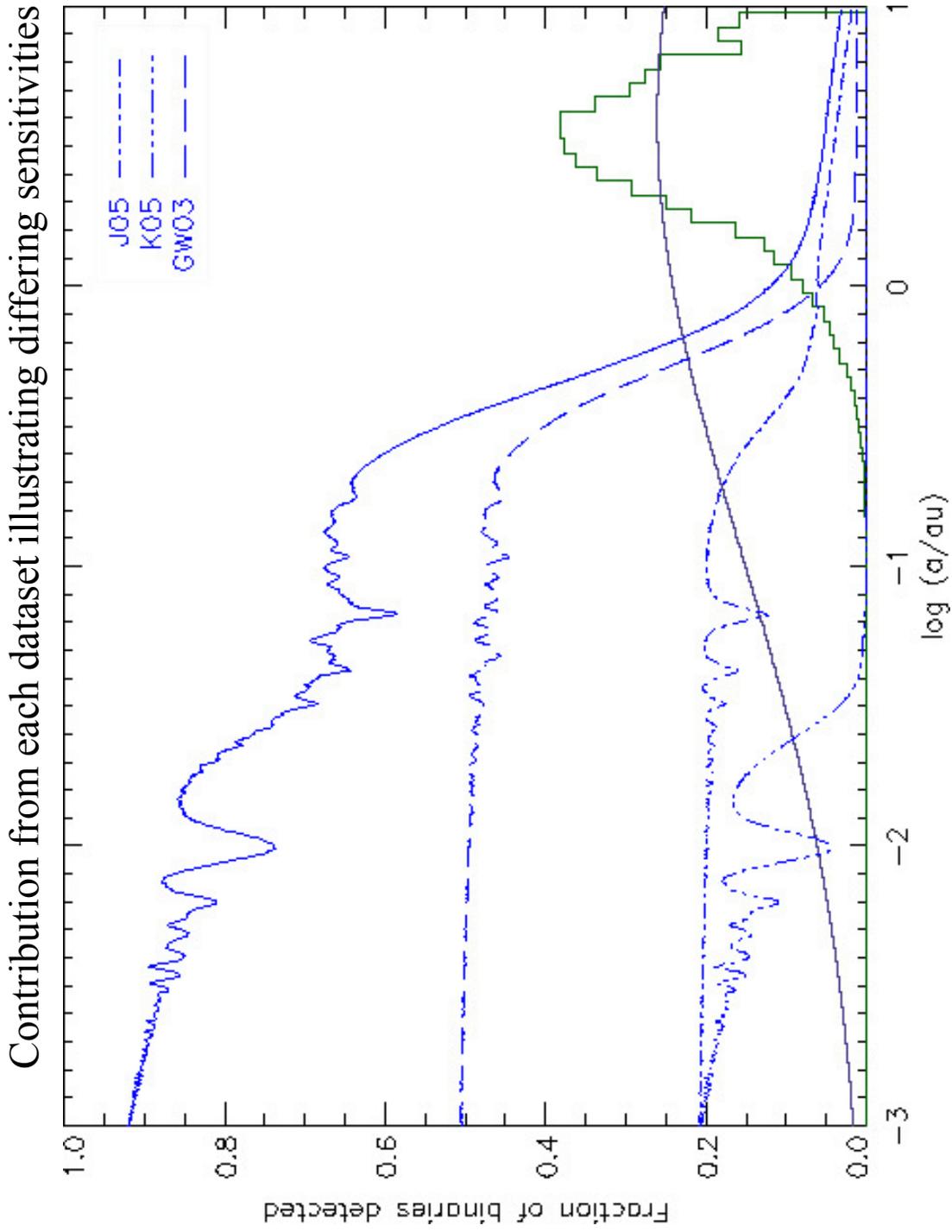
$e=0$ for $P < 10$ days, then

F(e)=uniform $0 < e < e_{\text{max}}$
(with e_{max} 0.6 or 0.9)

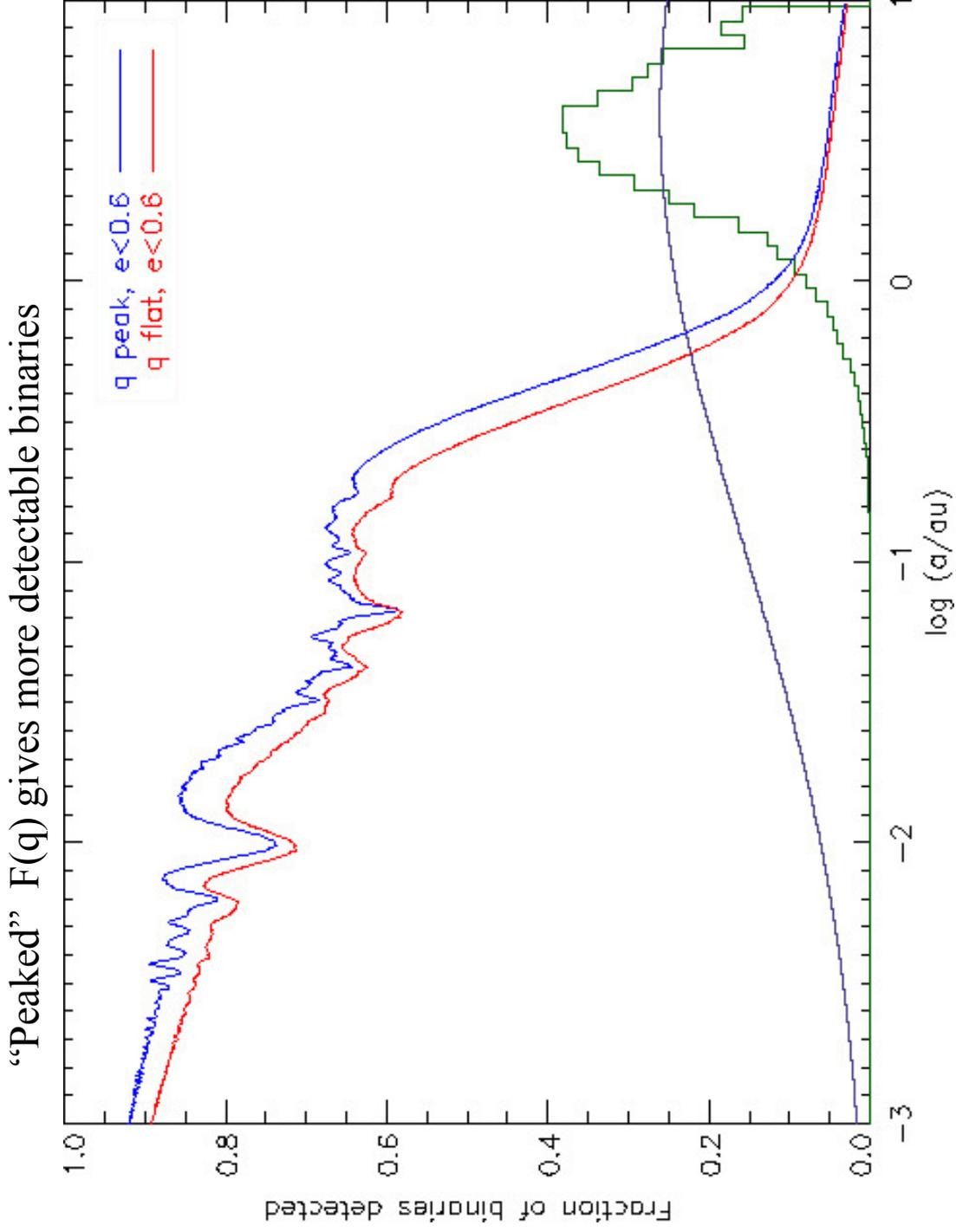
Probability of detecting a binary system at $\log p < -3$



Probability of detecting a binary system at $\log p < -3$

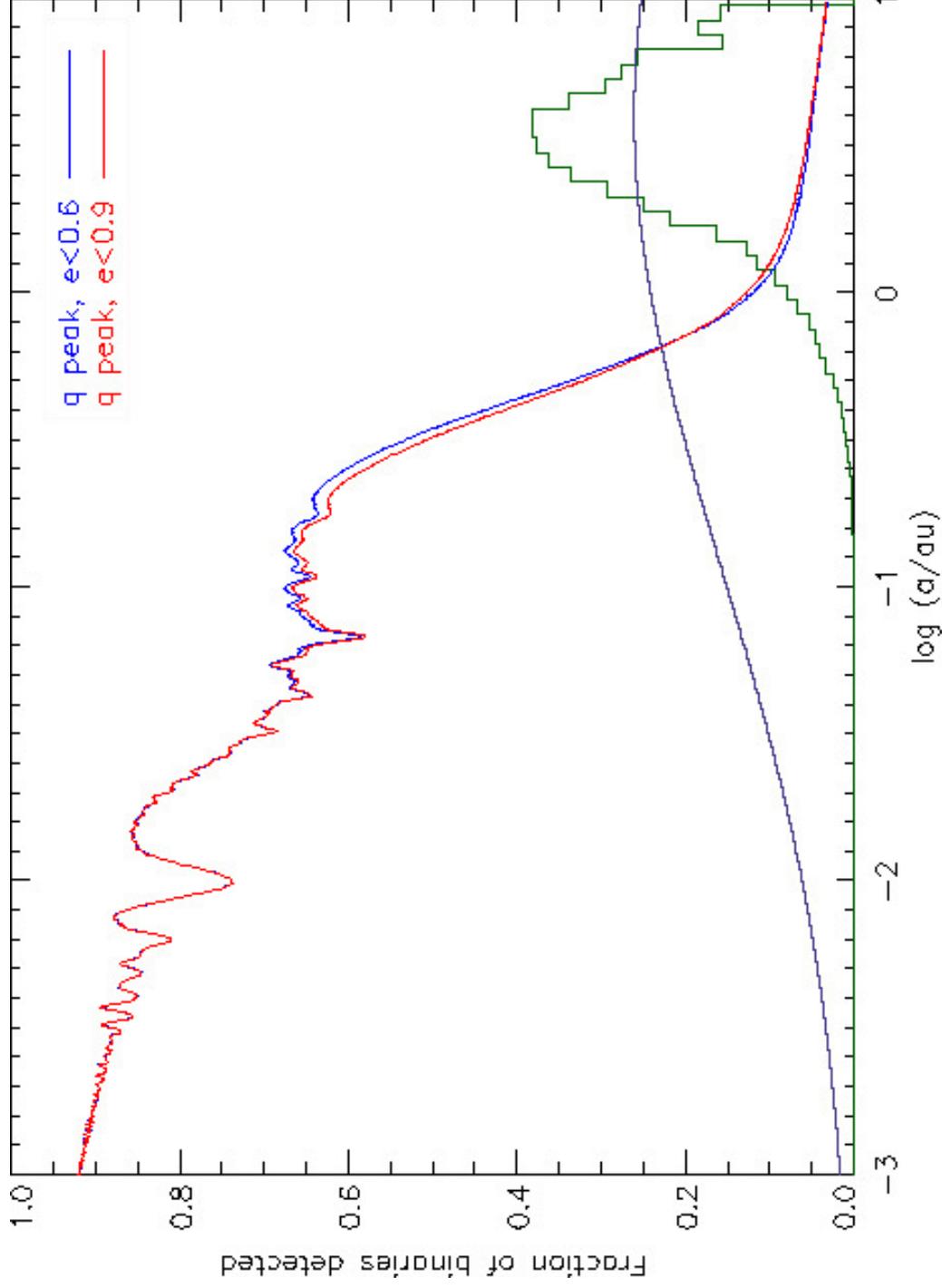


Probability of detecting a binary system at $\log p < -3$

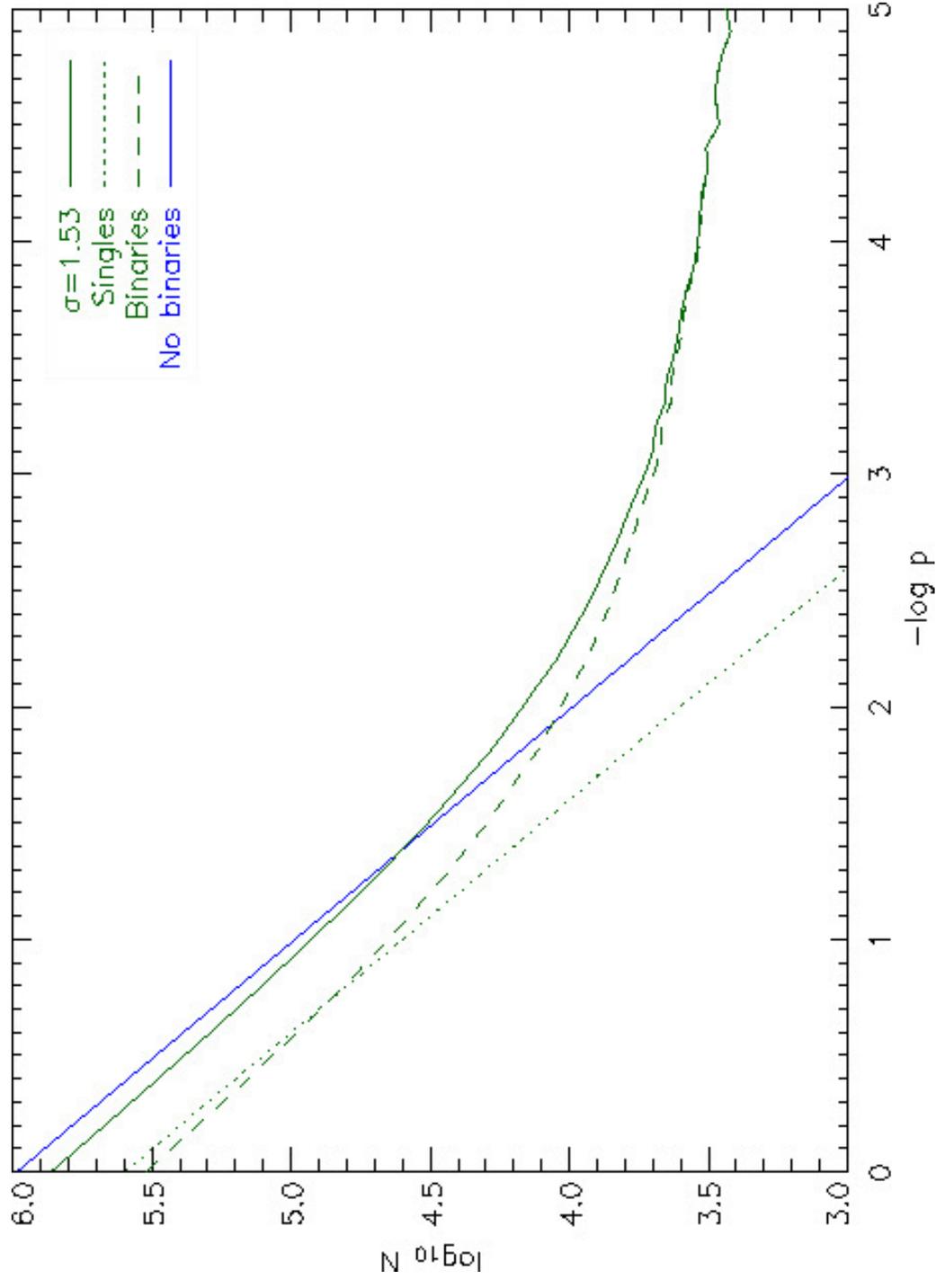


Probability of detecting a binary system at $\log p < -3$

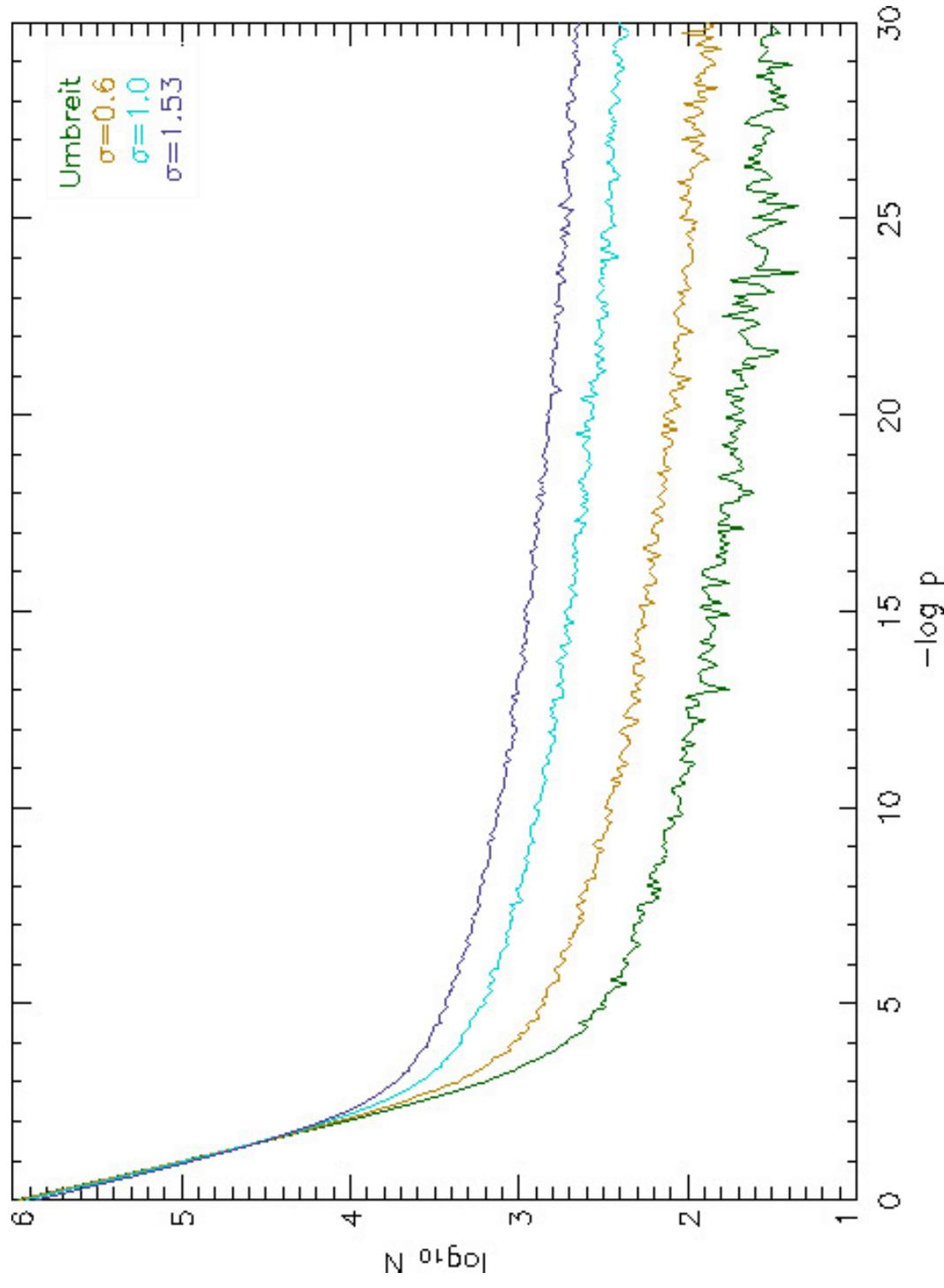
Changing $F(e)$ makes little difference



Mix together singles and binaries in the appropriate proportion to simulate the expected $\log p$ distribution



Integrate beyond $\log p = -3$ to calculate number of detected “binaries”



F(log a)	f_B	N_{BIN}	P(N_{OBS} ≥ 4)%	P(N_{OBS} ≤ 4)%
Umbreit	0.26	0.6 - 1.0	0.4 - 1.9	99.7 - 99.9
σ = 0.60	0.32	1.5 - 2.3	6.1 - 19.4	92.3 - 98.4
σ = 1.00	0.45	4.7 - 6.4	70.3 - 90.1	21.0 - 47.4
σ = 1.53	0.59	9.6 - 12.1	99.3 - 99.9	0.3 - 2.4

N_{BIN} is corrected for “binary bias” in field star samples

Umbreit (N-body) produces **too few** binaries

σ = 1.53 produces **too many** binaries

0.6 < σ < 1.0 favoured -- **total BF=32-45% !**

IMPLICATIONS

Fragmentation does not produce close ($< \text{few au}$) binaries – hardening mechanisms required.

1. N-body simulations produce few close binaries - so dynamical hardening probably ineffective

Ejection should produce few close VLMS/BD binaries as they are rarely the most massive objects in a protostellar aggregate

2. Hydrodynamical hardening processes must be effective. But current SPH simulations predict VLM/BD binary fractions of $\sim 8\%$ - mainly at 5-10 au.

CONCLUSIONS

- **Large close binary fraction 17-30% with $a < 2.6 \text{ au}$**
- **Cannot be explained by N-body “ejection” models**
- **Neither can current SPH models produce these binaries**
- **Need a way of bringing VLMS/BDs together, without disrupting them**
- **Only caveat is small number (4) of identified close binaries - a larger survey is needed!**