

Mapping the Distribution of Stars in the Milky Way

Estimating \mathbf{r} and \mathbf{v}

Estimating $[\text{Fe}/\text{H}], [\text{X}/\text{H}], \text{ages}(?)$

Fitting 'components' to what one sees

NGC 2420 CMDs

What is the size of the sample?

• Geometry/kinematics

◇ Other **sub-populations**

– Metallicity: Fe/H , $[\alpha/Fe]$,

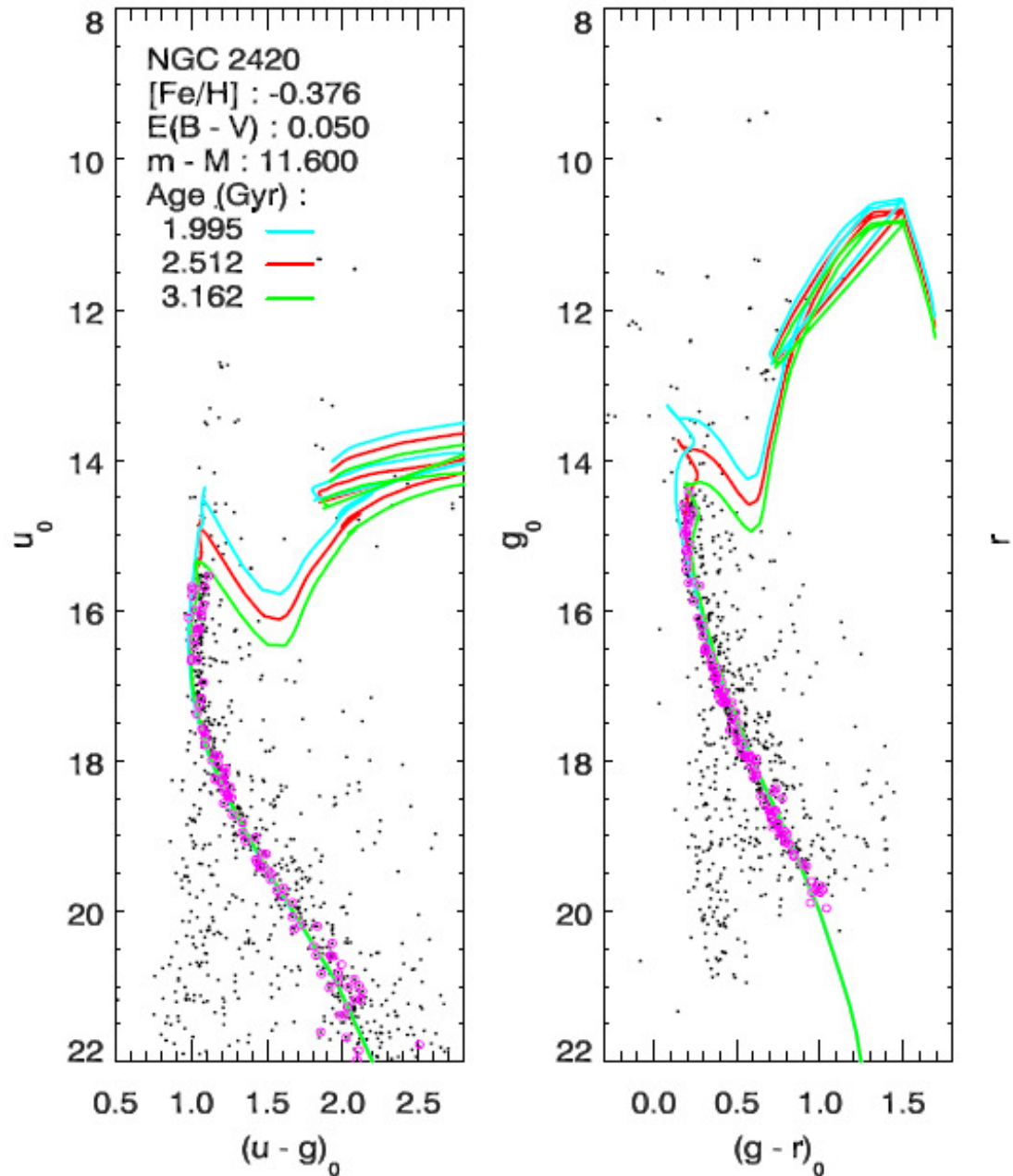
– Age:

◇ Straightforward in size of the
population, i.e. cluster

◇ Individual stars:

– Upper limits on age

– Luminosity and position



Astrometry today:

Measuring positions: α, δ and μ_α, μ_δ ,

- How well can you measure the (relative) position of a star?
 - $\delta x \sim \sigma_{\text{PSF}} / (S/N)$ (King 1983)
 - E.g. $\delta \sim 20$ mas for FWHM=1.5" and S/N=30 (ground-based)
 - E.g. $\delta \sim 1$ mas for FWHM=0.1" and S/N=40 (space, e.g. HST)
- Positions *per se* can be measured exceedingly accurately
- Precision matters only for parallaxes and proper motions

Proper motion measurements

In general: $\delta\mu \sim 1.41 \times \delta_{\text{pos}} / \text{time-baseline}$

Two relevant regimes:

incl. photographic plates
to $V \sim 19.5$

$$\delta\mu \sim 3 \text{mas/yr} \left[\frac{2''}{FWHM} \right] \times \left[\frac{15}{S/N} \right] \left[\frac{30 \text{yrs}}{\Delta t} \right]$$

current generation
CCD surveys (SDSS, PanSTARRS1)
to $V \sim 22.5$

$$\delta\mu \sim 1.7 \text{mas/yr} \left[\frac{0.7''}{FWHM} \right] \times \left[\frac{50}{S/N} \right] \left[\frac{4 \text{yrs}}{\Delta t} \right]$$

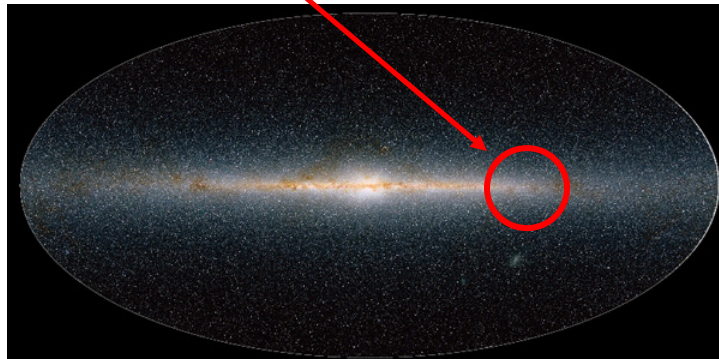
GAIA: $\sim 20 \mu\text{asec/yr}$ at $V=15$ or 0.15mas/yr at $V=20$

On sky velocities: the use of proper motion measurements

Current ground-based measurements: $\delta\mu \sim 2 \text{ mas/yr}$

Note: Distance errors enter $\mu \rightarrow v$ conversion

$\rightarrow \delta v \sim 10 \text{ km/s @ } D=1 \text{ kpc}$



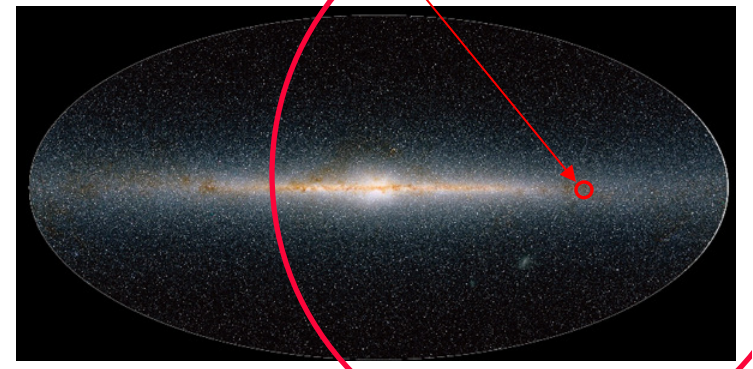
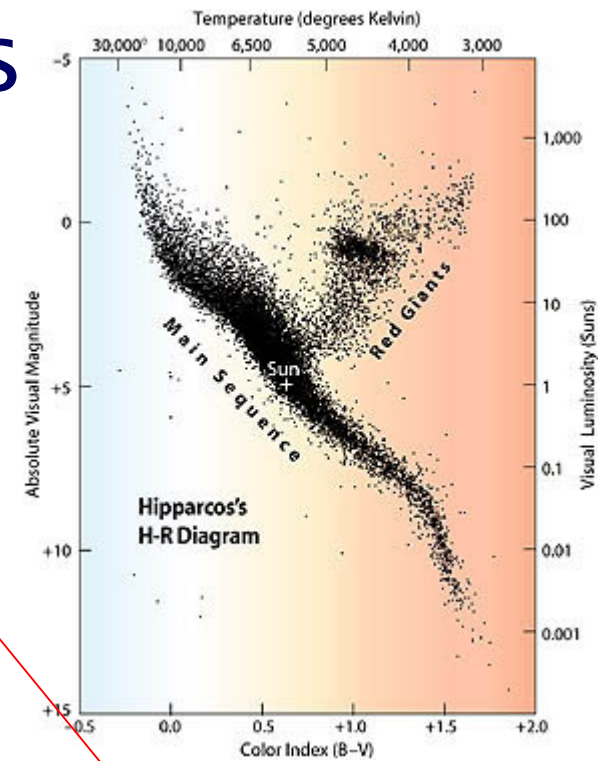
Faint stars ($V=19$) with GAIA: 0.08 mas/yr

$\rightarrow \delta v \sim 8 \text{ km/s @ } D=20 \text{ kpc}$

Distances to individual stars

1. Parallaxes

- Hipparchos 10% accuracy @ 100pc @10mag
- GAIA: 10% accuracy @ 10.000pc @15mag



Distances to individual stars

2. Estimating intrinsic luminosities

From: either spectra, colors, or light-curves

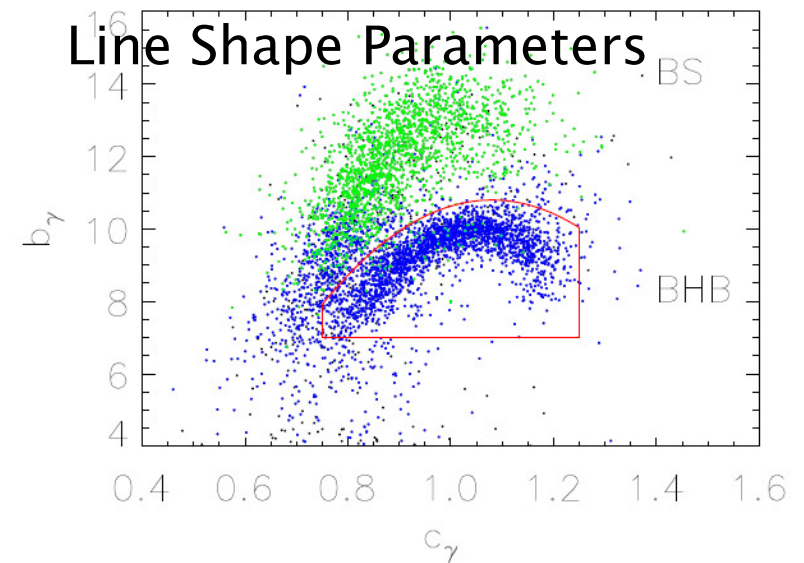
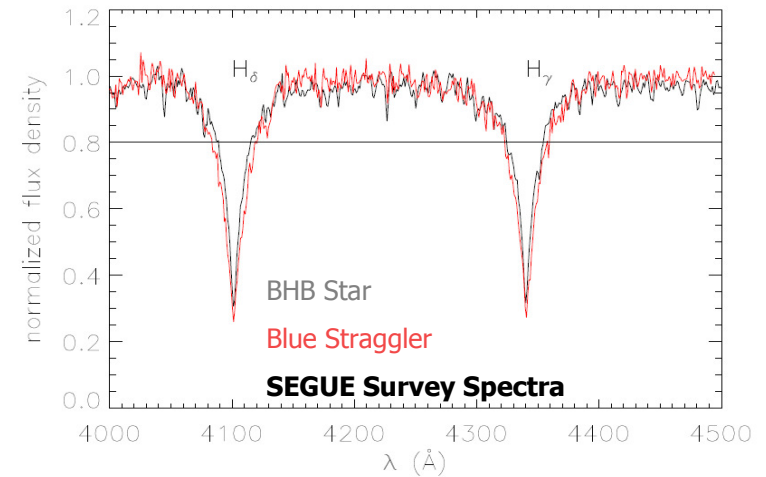
Basic classes of stars:

- **Main sequence stars:** common, $L \sim \text{color}$
 - In 'old' populations: F stars are the most luminous
- **Giants:** luminous, but hard to estimate luminosity
 - Except rare top-of-the-giant branch stars
- **Special classes:**
 - Cepheids (rare)
 - RR Lyrae and blue horizontal branch stars (BHB)
 - Both $M_V \sim 0.5$; mostly metal poor

Example for “special stars”: BHB stars in SDSS

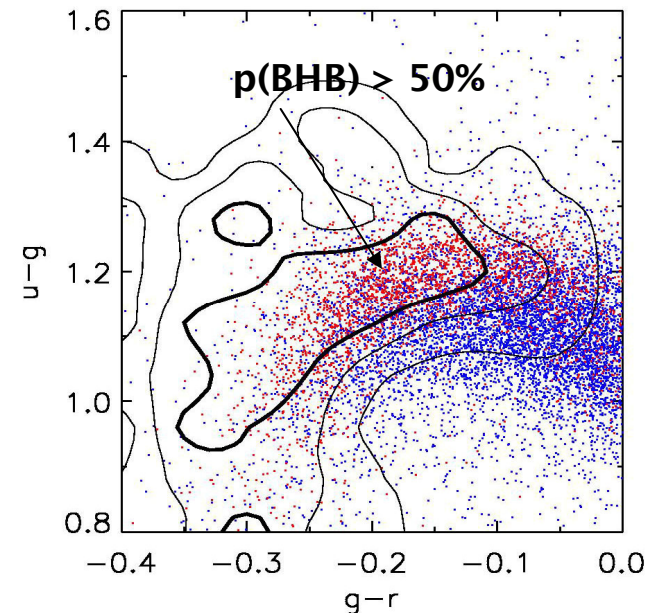
- Pre-select by color, then measure Balmer line profile parameters (cf Sirko et al 2004, Xue, Rix et al 2008)

- identification >90%
- Distances 5-10%
- Stars are metal poor



Example for “special stars”: BHB stars in SDSS

- How to use spectra (on a modest set of sources) to ‘train’ photometric classification?
- Map spectral classification back into color-color space \rightarrow vastly larger samples \rightarrow 30,000 BHB stars ($>50\%$ reliable) in SDSS with 5% distances



BHB stars , non-BHB (blue stragglers)

From spectral classification

Bell et al 2009, Xue et al 2009

Distances to Main Sequence Stars

- On the main sequence, the luminosity is a strong function of the effective temperature (or color)
 - Weak dependence on age (except MS lifetime)
 - Strong (~ 1 mag) luminosity dependence on metallicity of the stars (line blanketing)
 - Remember ‘sub-dwarfs’?
 - Clusters are ideal laboratory for calibration
 - (known) single distance, age, and $[\text{Fe}/\text{H}]$

Main Sequence Distances from Photometry

a.k.a. photometric parallax

[here based on SDSS data]

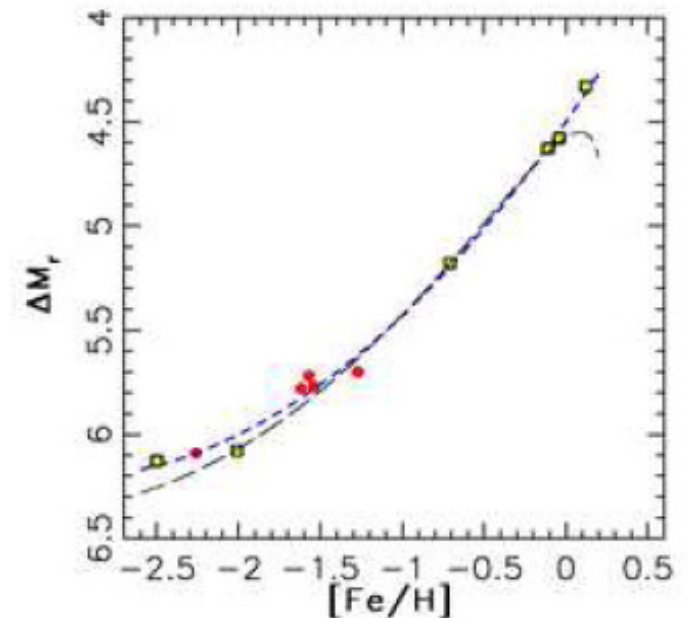
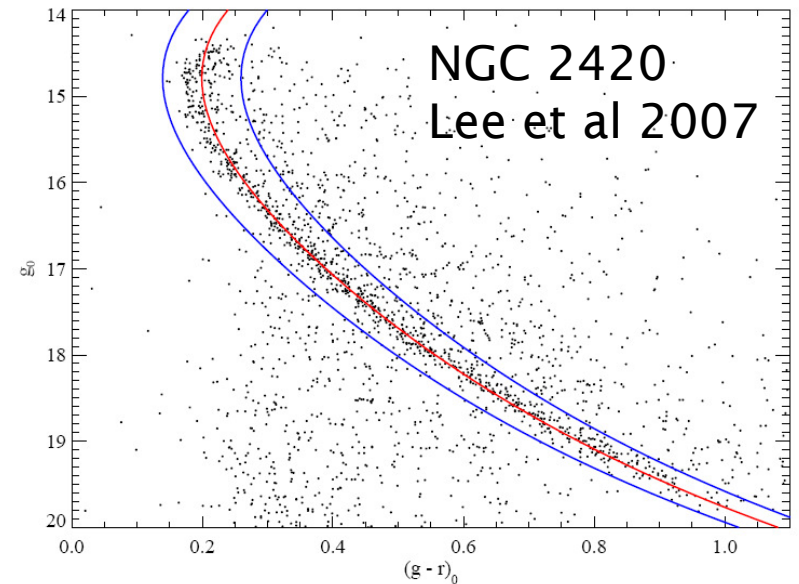
- Calibrate M_g vs $(g-i)$ on clusters.

$$M_r^0(g-i) = -2.85 + 6.29(g-i) - 2.30(g-i)^2,$$

- Metallicity leads to an offset in this relation

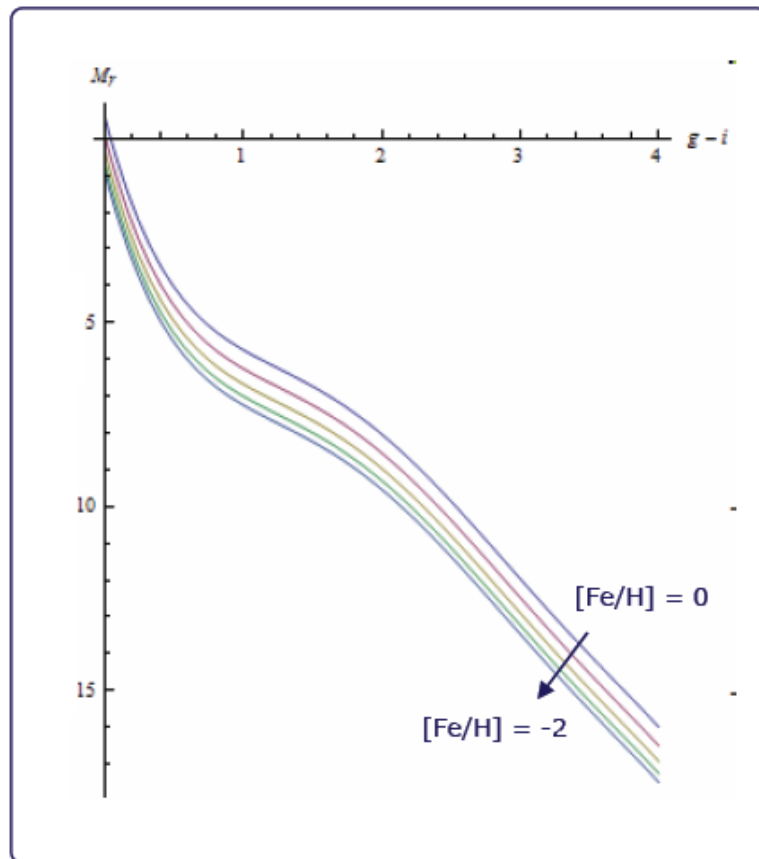
$$M_r(g-i, [Fe/H]) = M_r^0(g-i) + \Delta M_r([Fe/H])$$

- Cluster calibration indicates that if $[Fe/H]$ is known to 0.25dex systematic distance errors are $< \sim 10\%$
- Individual errors depend on photometry errors and color (worst near turn-off)
- Laird, Carney and Latham 1988
- **Ivezic et al 2007**



$$M_r(gi, 0) = -0.56 + 14.32 gi - 12.97 gi^2 + 6.127 gi^3 - 1.267 gi^4 + 0.0967 gi^5 \quad 0.3 < g-i < 4$$

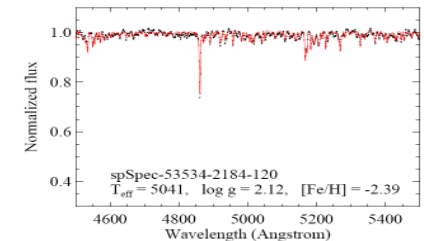
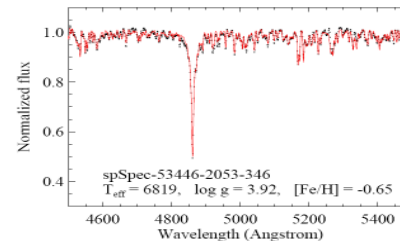
$$\Delta M_r([Fe/H]) = -1.11[Fe/H] - 0.18[Fe/H]^2 \quad -2 < [Fe/H] < 0$$



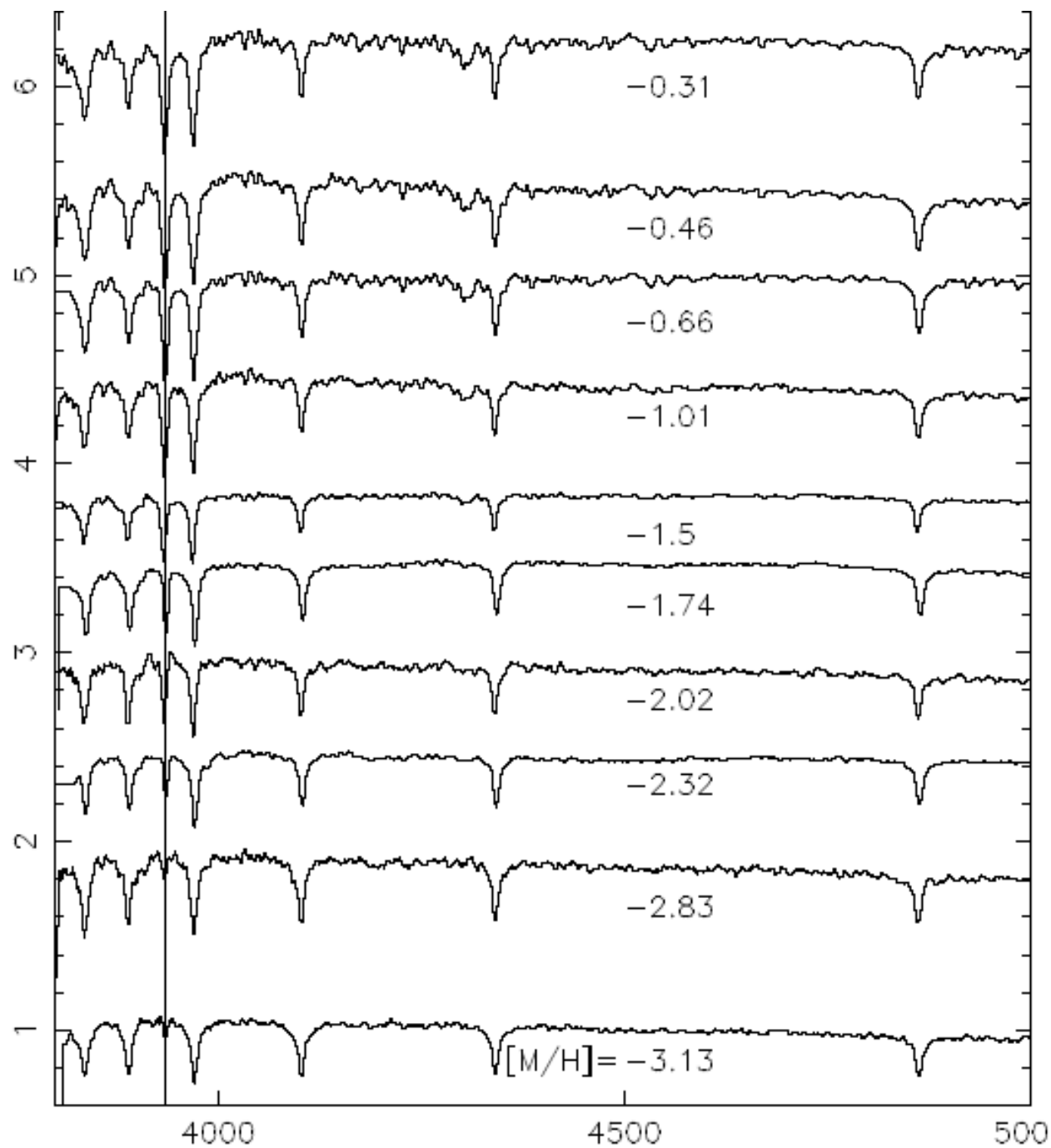
1. Metallicity-dependent photometric parallax relation for MS stars
2. Tied to globular clusters on the blue end ($g-i < 1$)
3. Tied to Hipparcos at $1 < g-i < 2$
4. Tied to ground-based trigonometric parallaxes for $g-i > 2$
5. **Distance estimates to better than 15% (likely better than 10% on the blue/bright end)**
6. **Directly applicable to any (u)gri survey (PanSTARRS, SkyMapper, DES, LSST, ...)**

Stellar parameters from medium resolution spectra

- Determine parameters by comparison with model atmospheres (either in pixel space, or line indices)
 - T_{eff} : from colors and line strengths (e.g. Balmer)
 - **Log(g)** \rightarrow luminosity, i.e. MS-subgiant-giant:
 - line-profiles (need resolution!)
 - Gravity sensitive lines (CO band-head in the near IR)
 - **[Fe/H]**: metal line strengths [single elements need higher resolution to isolate lines, see K. Freeman]
- Calibration in clusters and against high resolution spectra
- Example SDSS/SEGUE spectra:
 - $\delta T_{\text{eff}} = 200\text{k}$, $\delta[\text{Fe}/\text{H}] \sim 0.25\text{dex}$, $\delta[\log(g)] \sim 0.5\text{dex}$
 - [Lee et al 2008, Yanny et al 2008]
 - $\delta v \sim 5\text{-}15\text{ km/s}$

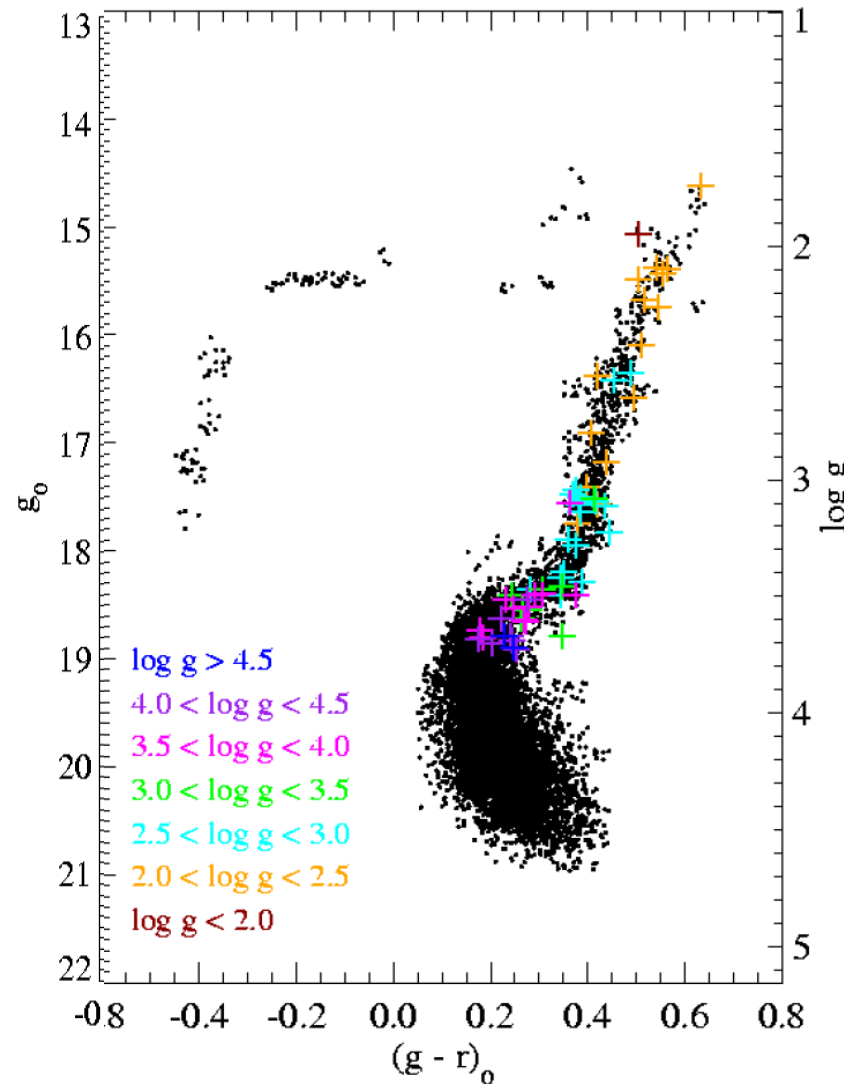
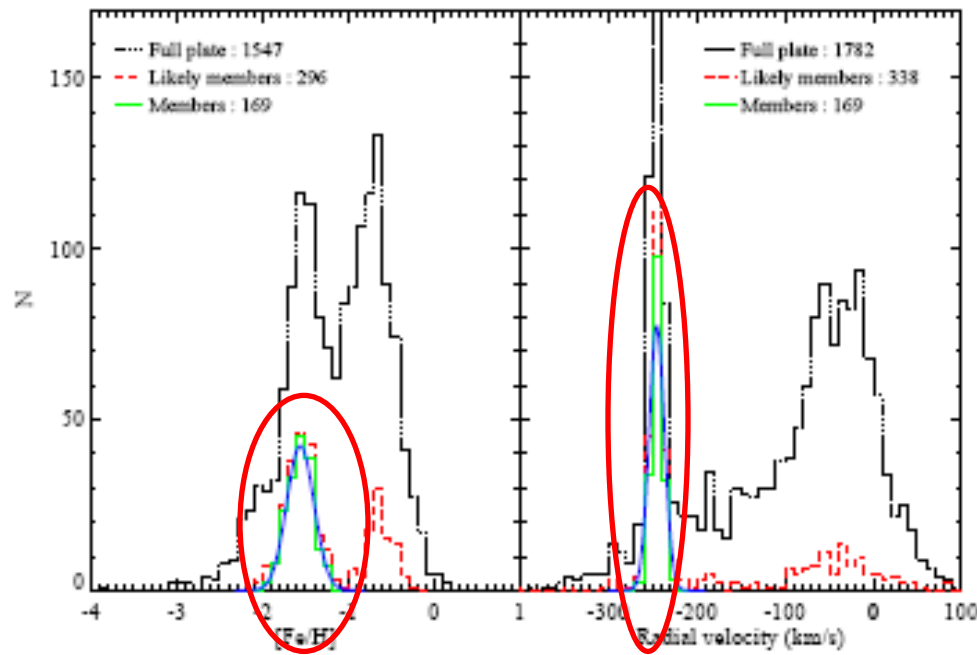


Stars of similar T_{eff}
but decreasing
[Fe/H]



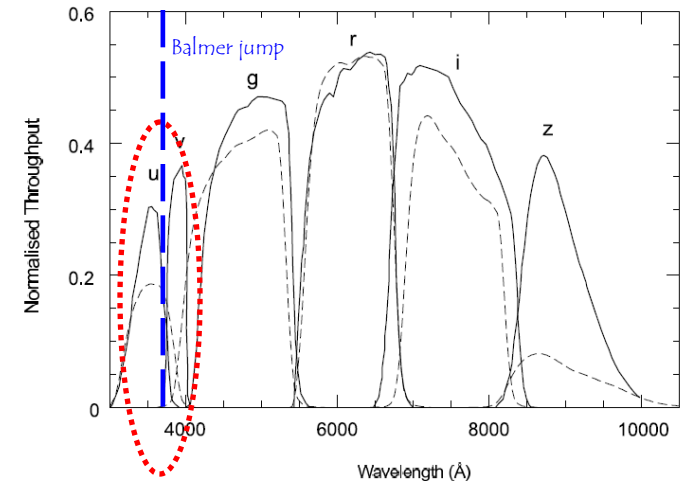
How well can you determine stellar parameters with spectra of SDSS-resolution?

- Res. ~ 2800
- Test with clusters



Stellar Parameters from Colors

- Optimize filter set for stellar parameters
- **SkyMapper**: Murphy et al 2008, Keller et al 2007



Stellar Parameters from Colors

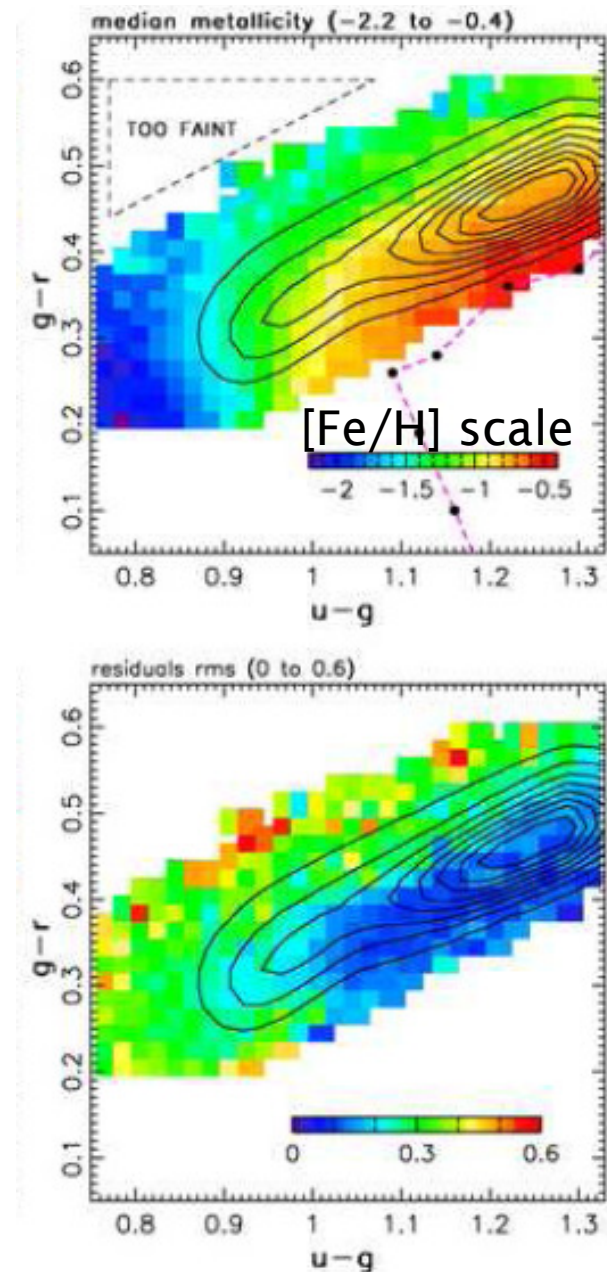
- What can be done with only broad-band filters? E.g. SDSS

Ivezic et al 2008

- For stars with $5000\text{K} < T < 7000\text{K}$ one can estimate their metallicity from their position in the $u-g$ $g-r$ color-color plane
- At least for metal-poor-ish stars ($\text{Fe}/\text{H} < -0.5$)
- Accuracy: ~ 0.3 dex

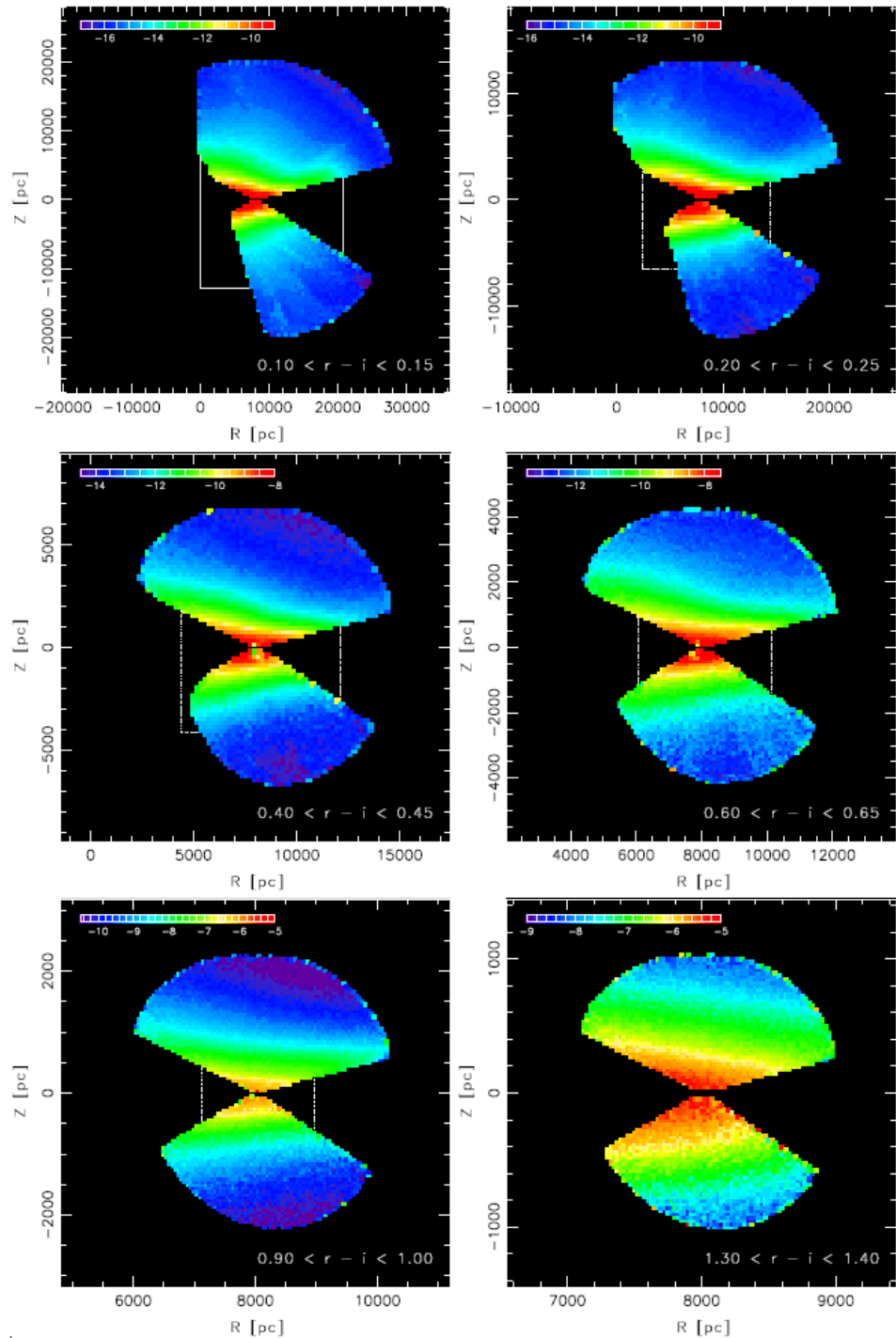
→ metallicity estimates for millions of stars

Star colors as function of $[\text{Fe}/\text{H}]$

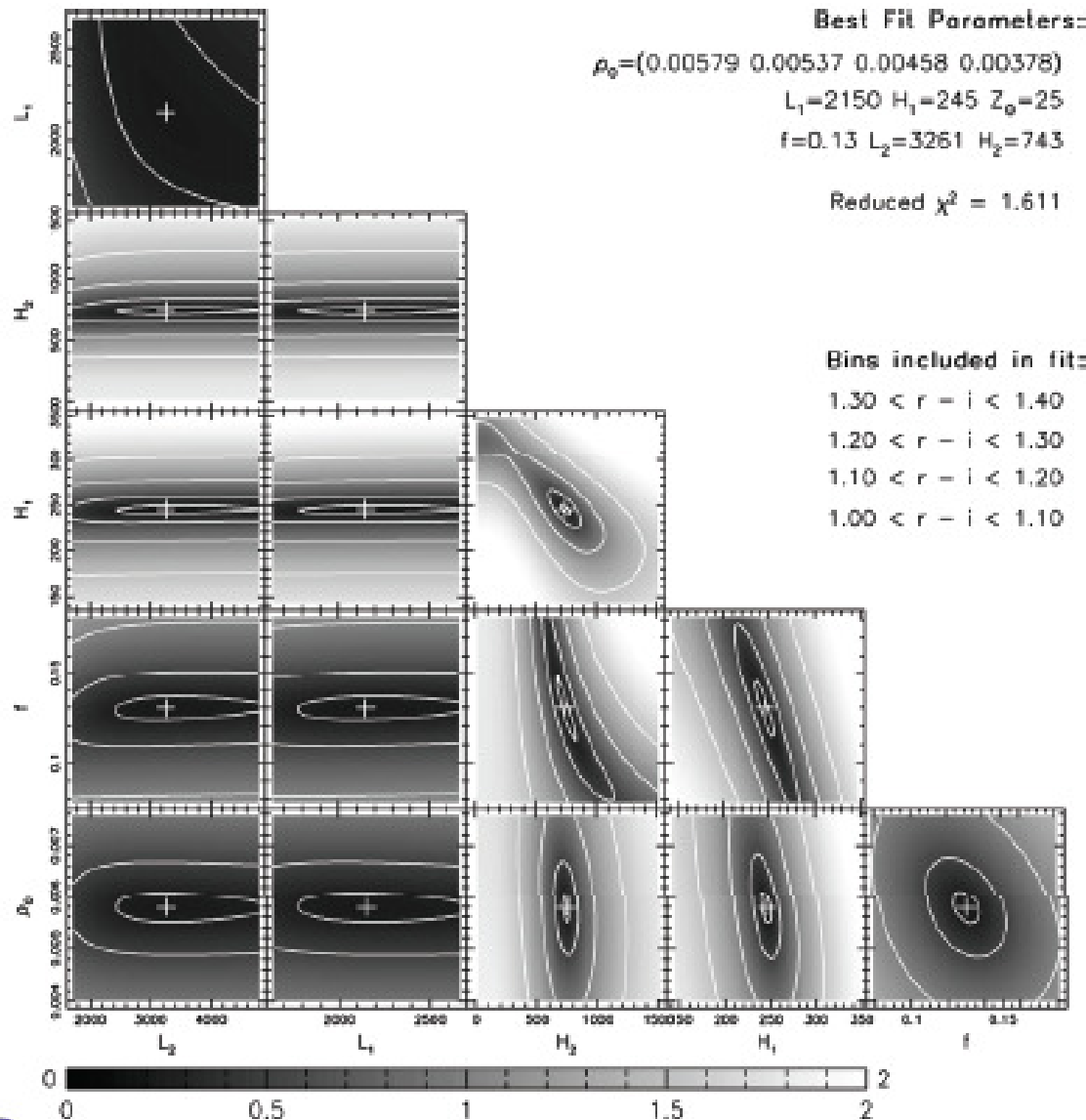


Star-by-star density maps of the Milky Way (SDSS volume)

- From Juric et al 2007
- Panels: different colors/luminosities
- Note different scales of the panels



Disk Model Fit



- M-dwarfs ($D < 2$ kpc) excellently fit by two exponentials

- Best fit:

- $Z_0 = 25$ pc
- $H_1 = 245$ pc, $H_2 = 740$ pc
- $L_1 = 2.15$ kpc, $L_2 = 3.3$ kpc
- $f = 13\%$
- Reduced $\chi^2 = 1.6$

- Uncertainties and covariances easily seen in χ^2 plots (left)
- Same values obtained when allowing the scales to vary in adjacent color bins

Summary

- ‘Classic’ tools to estimate stellar properties, distances, motions, etc.. are back *en vogue*
 - Spectroscopy for precision
 - Photometry for mass production
- 10% distances to $>10^7$ stars, metallicities for 10^6 stars exist.
- We can make 3D star-by-star or population maps of (good parts of) the Milky Way
 - You can practice now for GAIA