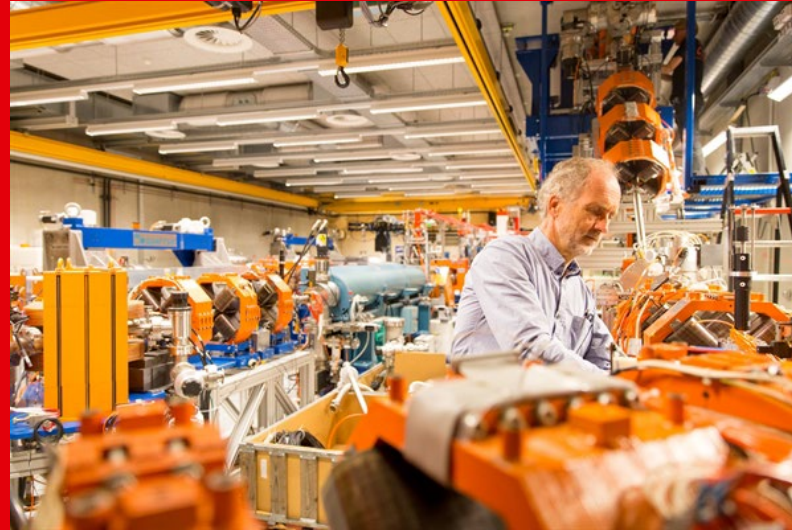
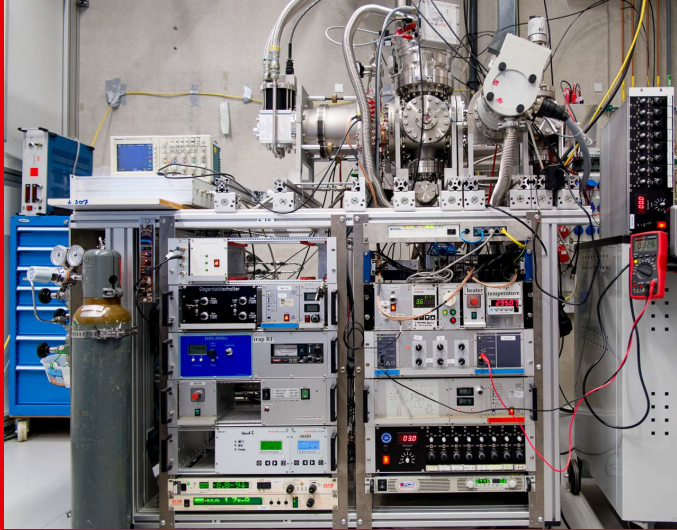


# Rotational Spectroscopy

## A Laboratory Perspective

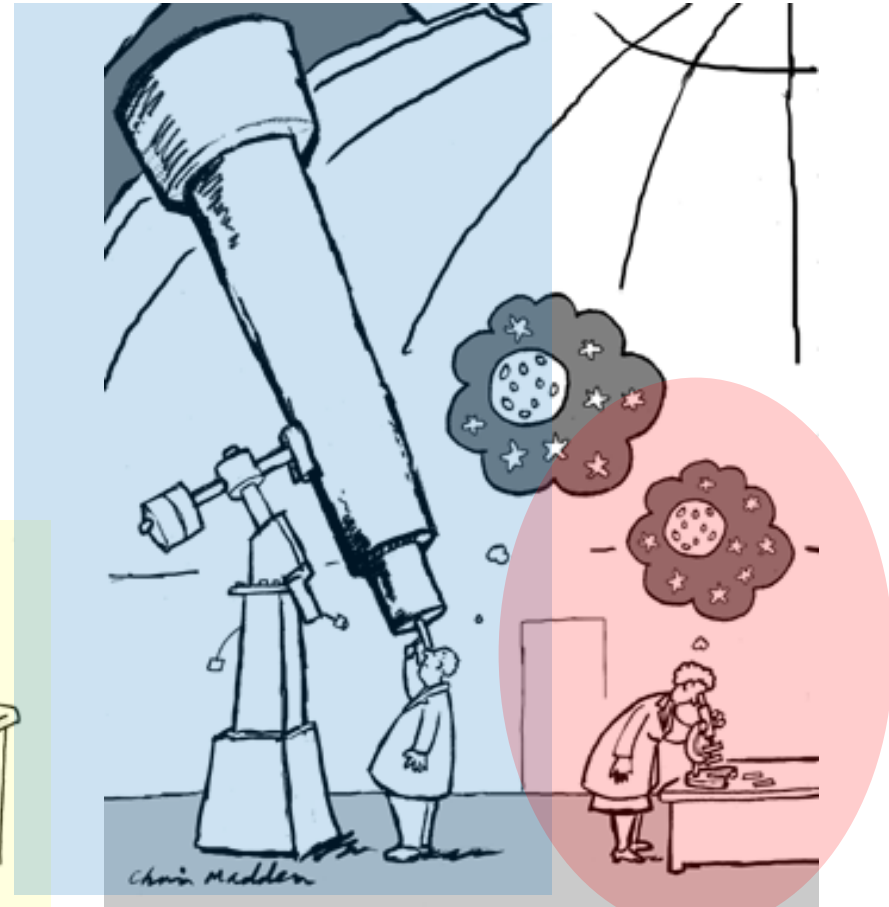
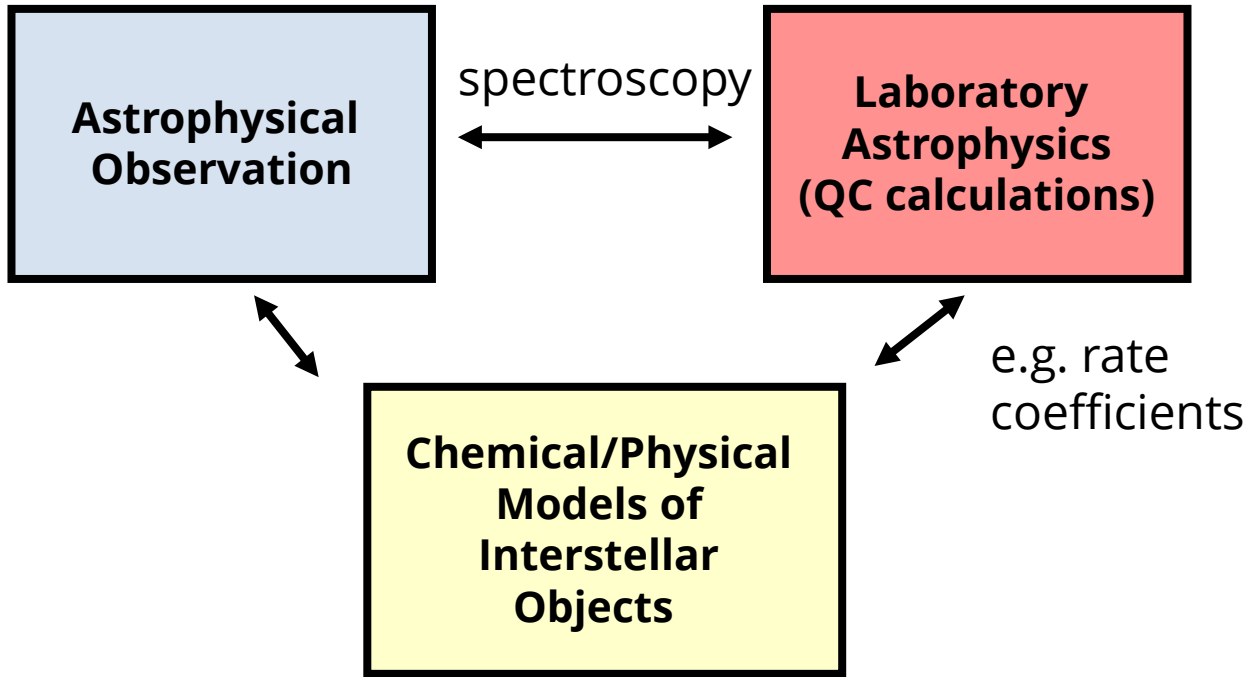


2024 COST / DAN School

Sandra Brünken

FELIX Laboratory, Institute for Molecules and Materials,  
Radboud University, Nijmegen, The Netherlands

# The Golden Triangle of Astrochemistry



© Chris Madden

# This Lecture – Laboratory Rotational Spectroscopy

- How do we measure (rotational) molecular spectra in the laboratory?
- How do we analyse these spectra?
- Why do we do this? What do molecules tell us about space?

# Molecular Complexity in Space (www.cdms.de)

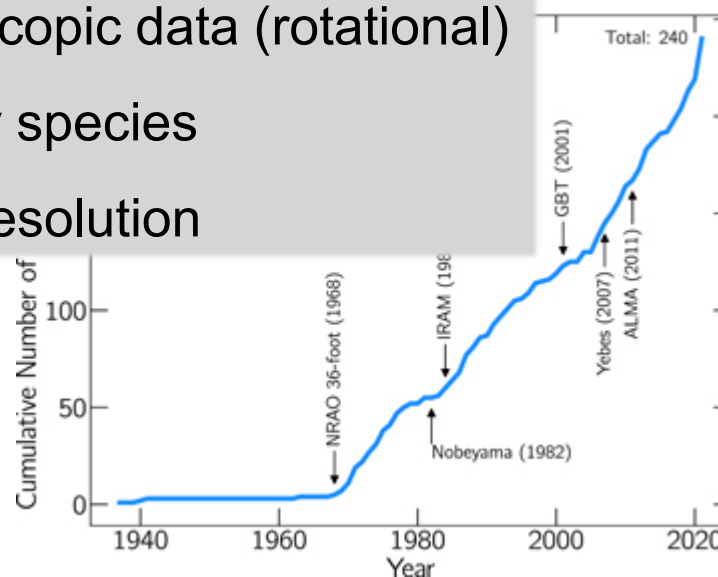
2 atoms	3 atoms	4 atoms	5 atoms	6 atoms	7 atoms	8 atoms	9 atoms	10 atoms	11 atoms	12 atoms	>12 atoms
H2	C3 *	c-C3H	C5 *	C5H	C6H	CH3C3N	CH3C4H	CH3C5N	HC9N	c-C6H6 *	HC11N
AlF	C2H	I-C3H	C4H	I-H2C4	CH2CHCN	HC(O)OCH3	CH3CH2CN	(CH3)2CO	CH3C6H	n-C3H7CN	C60 *
AlCl	C2O	C3N	C4Si	C2H4*	CH3C2H	CH3COOH	(CH3)2O	(CH2OH)2	C2H5OCHO	i-C3H7CN	C70 *
C2**	C2S	C3O	I-C3H2	CH3CN	HC5N	C7H	CH3CH2OH	CH3CH2CHO	CH3OC(O)CH3	C2H5OCH3	C60+ *

- Molecular transitions probe: chemical composition  
physical conditions  
(temperature, densities, ...)

NO	MgCN	H2CS	SiH4 *	H2CCNH ?	c-C3HCCH	HC5NH+	H2C3HCCH	CH3CHCHCN
NS	MgNC	H3O+	H2COH+	C5N-	I-H2C5	CH2CHCCH	HOCHCHCHO	CH3C(CN)CH2
NaCl	N2H+	c-SiC3	C4H-	HNCHCN	MgC5N	MgC6H		CH2CHCH2CN
OH	N2O	CH3 *	HC(O)CN	SiH3CN	CH2C3N	C2H3NH2		

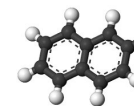
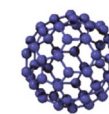
- Laboratory needs: spectroscopic data (rotational)  
for many species  
at high resolution

O2	HCP	HONO	H2CS
CF+	CCP	MgC2H	C4S
SiH ?	AlOH	HCCS	HC(O)SH
PO	H2O+	HNCN	HC(S)CN
AlO	H2Cl+	H2NC	HCCCO
OH+	KCN	HCCS+	
CN-	FeCN		
SH+	HO2		
SH	TiO2		
HCl+	C2N		
TiO	Si2C		
ArH+	HS2		
NO+ ?	HCS+		
NS+	HSC		
HeH+	NCO		
PO+	CaNC		



> 320 total  
~ 70 % organic  
~ 15 % ions

- www.cdms.de
- McGuire, ApJS 259 (2022) 30



Inga Kamp

Most species detected by their rotational lines!



# Why rotational spectroscopy?

- typical kinetic temperatures in molecular clouds: **10 – 150 K**
- often collisions dominate over radiation

critical density  $n_{\text{crit}}$ :  $\frac{C_{ul}}{A_{ul}} = 1$

Boltzmann population:

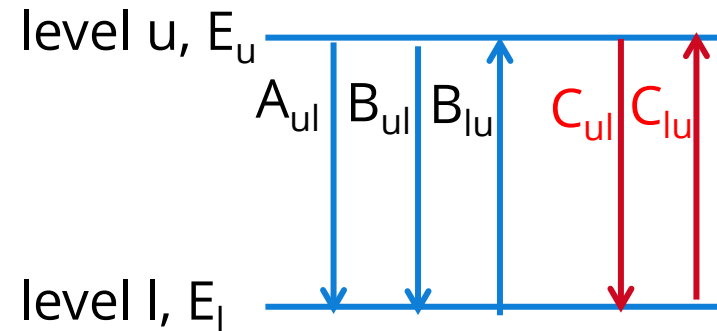
Probability to be in state  $i$

$$p_i = \frac{e^{-\frac{E_i}{kT}}}{\sum_j e^{-\frac{E_j}{kT}}} = \frac{e^{-\frac{E_i}{kT}}}{U(T)}$$

$$\frac{n_i}{n} = g_i \frac{e^{-\frac{E_i}{kT}}}{U(T)}$$

Relative number density in state  $i$

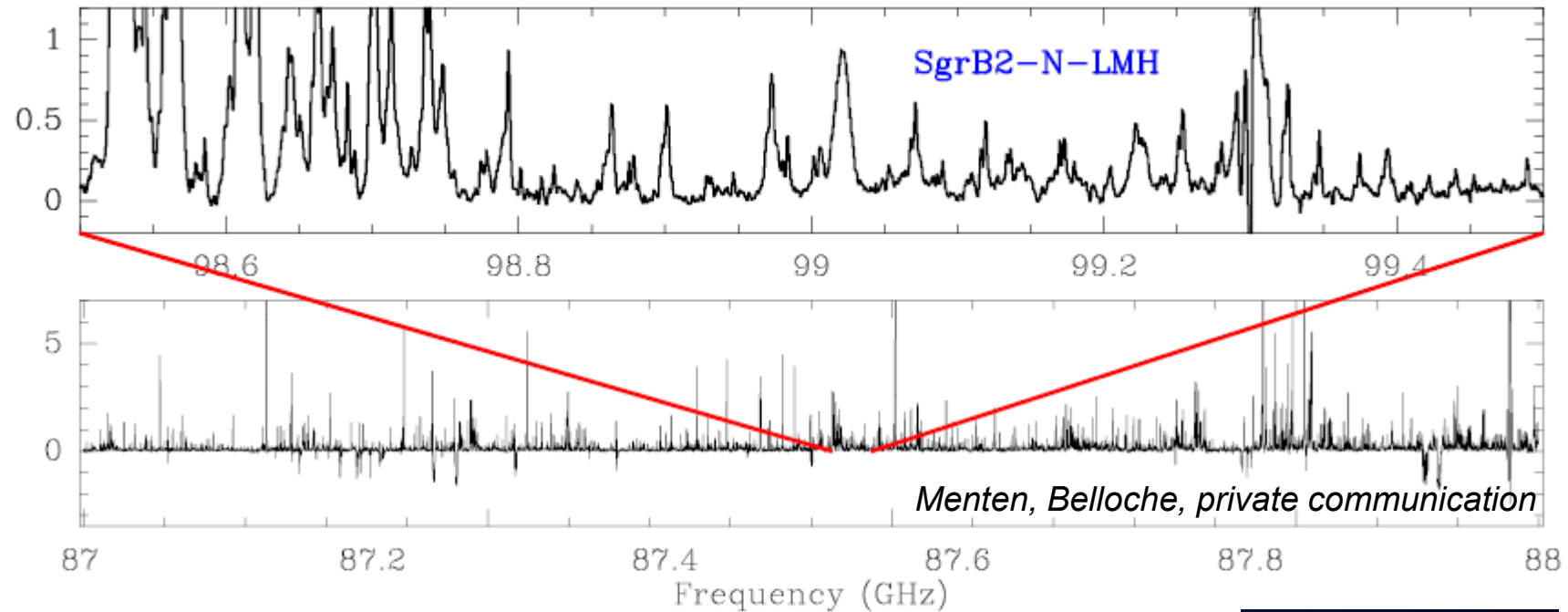
LTE: local thermal equilibrium



- Typical **rotational** constants:  $0.03 - 30 \text{ cm}^{-1}$  ( $1 - 1000 \text{ GHz}$ )  
 $E \approx \mathbf{0.05 - 50 \text{ K}}$  (via  $E=kT$ )
- Typical vibrational energies:  $100 - 3000 \text{ cm}^{-1}$   
 $E \approx \mathbf{150 - 5000 \text{ K}}$

# Why at “high” resolution?

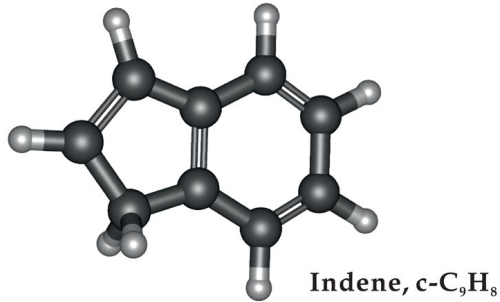
“Large Molecule Heimat”



- Line rich sources, often 100 lines per GHz  
→ high chance of wrong assignments
- Observed linewidth  $R = \Delta\nu/\nu$  can reach  $10^{-6}$



# Recent successes: Detection of hydrocarbon cycles in TMC-1



- First unambiguous detection of pure polycyclic hydrocarbon (PAHs)
- Found by two groups at the same time!
- Laboratory measurements 1979, 2005, 2021

Alessandra  
Candian

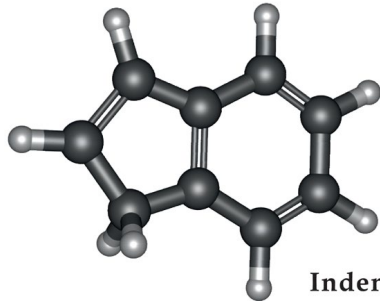
Burkhardt et al., ApJL 2021  
<https://doi.org/10.3847/2041-8213/abfd3a>



Cernicharo et al., A&A Lett., 2021  
<https://doi.org/10.1051/0004-6361/202141156>

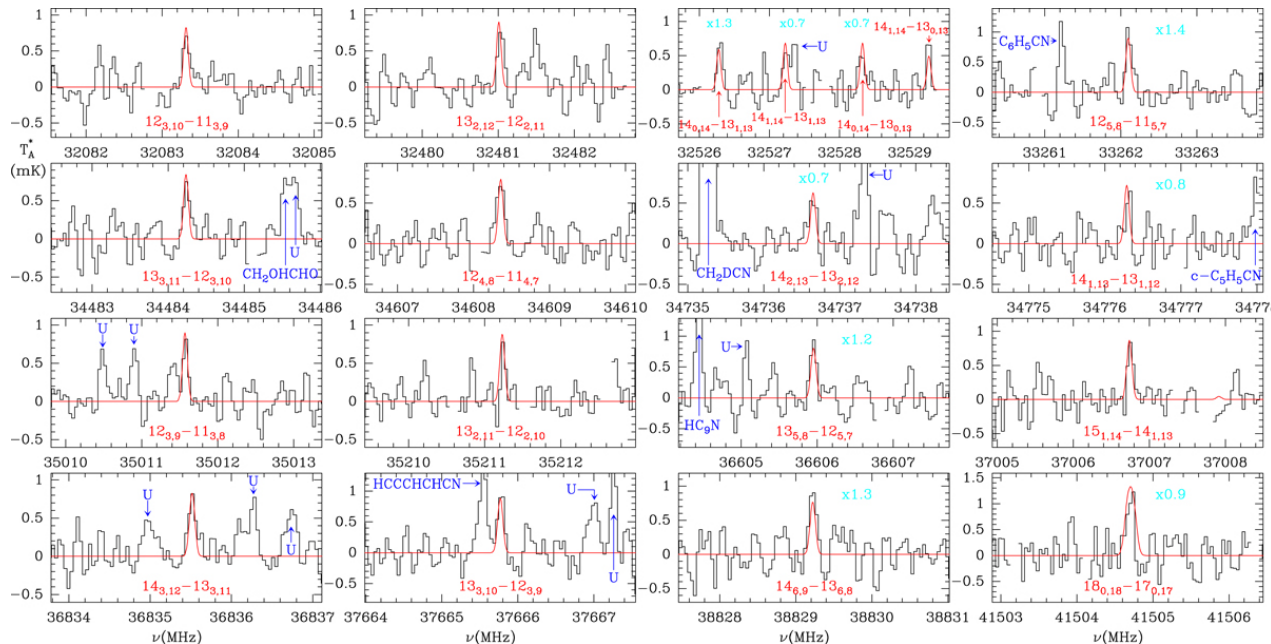


# Recent successes: Detection of hydrocarbon cycles in TMC-1



Indene,  $c\text{-C}_9\text{H}_8$

- First unambiguous detection of pure polycyclic hydrocarbon (PAHs)
- Found by two groups at the same time!
- Laboratory measurements 1979, 2005, 2021

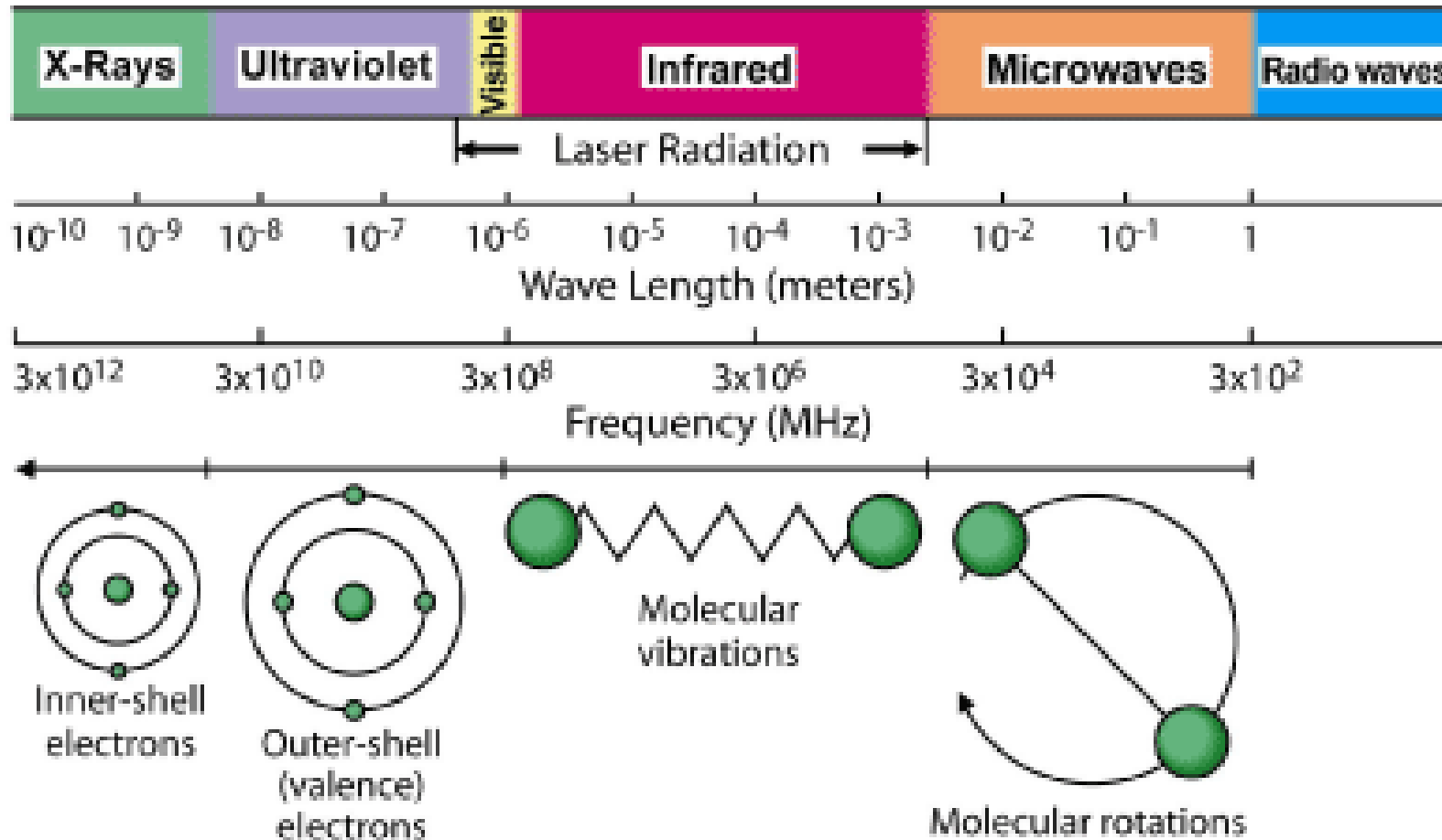


Cernicharo et al., A&A Lett., 2021  
<https://doi.org/10.1051/0004-6361/202141156>



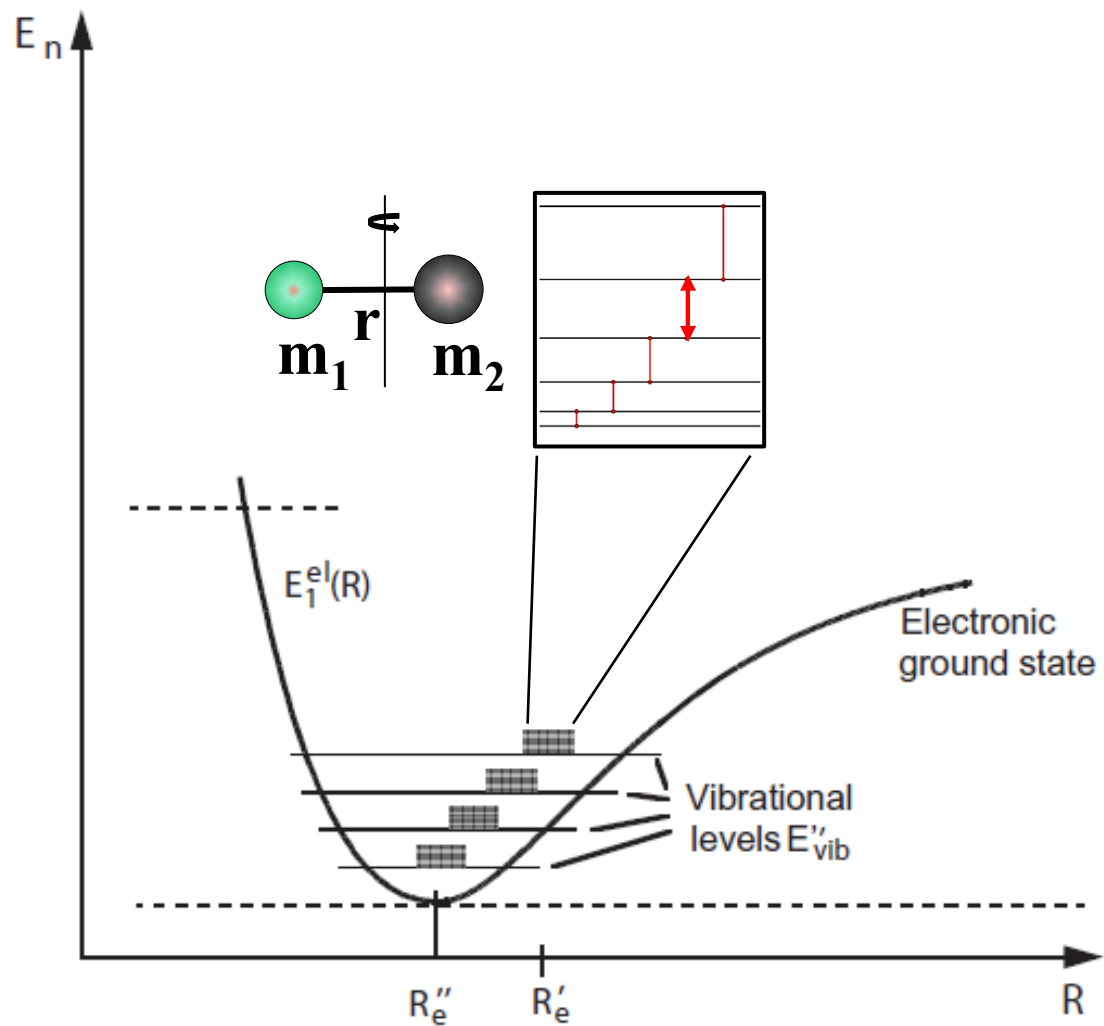


# Spectroscopy is used in all wavelength ranges

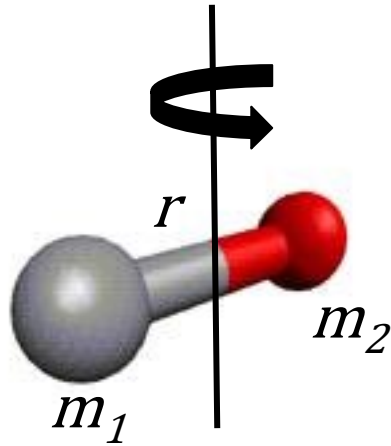


From: <https://www.ices-emfsafety.org/electromagnetic-energy/>

# Rotational Spectroscopy



# Rotational Spectroscopy - diatomics



Classical:  $E_{rot} = \frac{1}{2} I \omega^2 = \frac{P^2}{2I}$

With  $I = \mu r^2 = \frac{m_1 \cdot m_2}{m_1 + m_2} r^2$  moment of inertia

$\omega$  angular velocity around axis

$P$  angular momentum (also called  $L$  or  $J$ )

Quantum mechanics:

$$\hat{H}_{rot} \varphi = E_{rot} \varphi$$

With  $\hat{H}_{rot} = \frac{\hat{P}^2}{2I}$  rotational Hamiltonian and  $\varphi$  wavefunction (Legendre polynomials)

Solutions  $E_{rot} = B \cdot J(J + 1)$   $B = \frac{h^2}{8\pi^2 I}$  Rotational constant (in Joule)

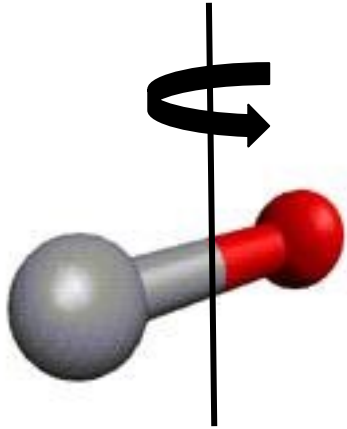
$J = 0, 1, 2, \dots$   
rotational quantum number

$$B = \frac{h}{8\pi^2 I}$$

Rotational constant (in Hz - frequency)

$$E = h\nu$$

# Rotational Spectroscopy - diatomics

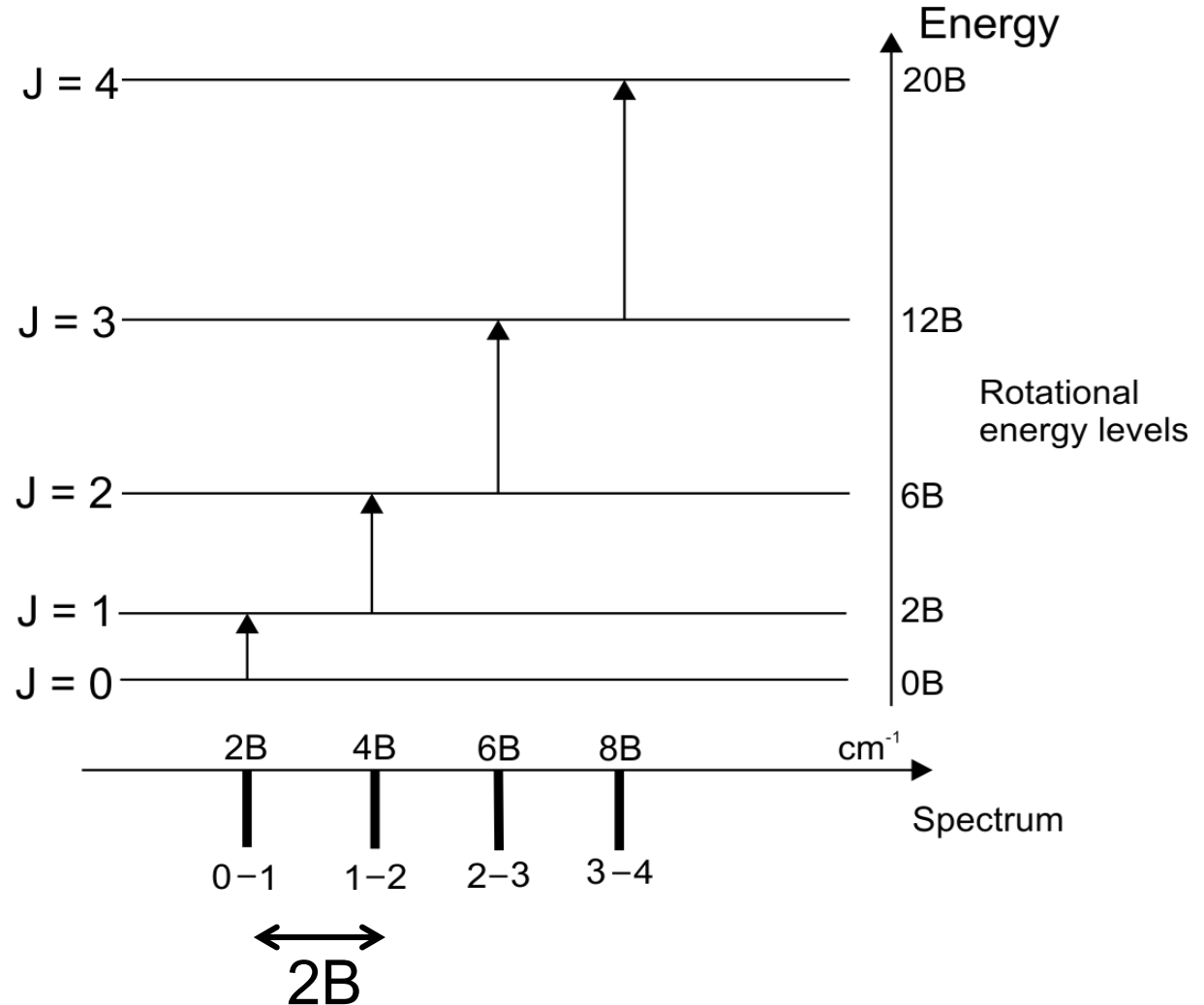


$$E_{\text{rot}} = B \cdot J(J + 1)$$

$$\Delta J = \pm 1 \quad \text{selection rule}$$

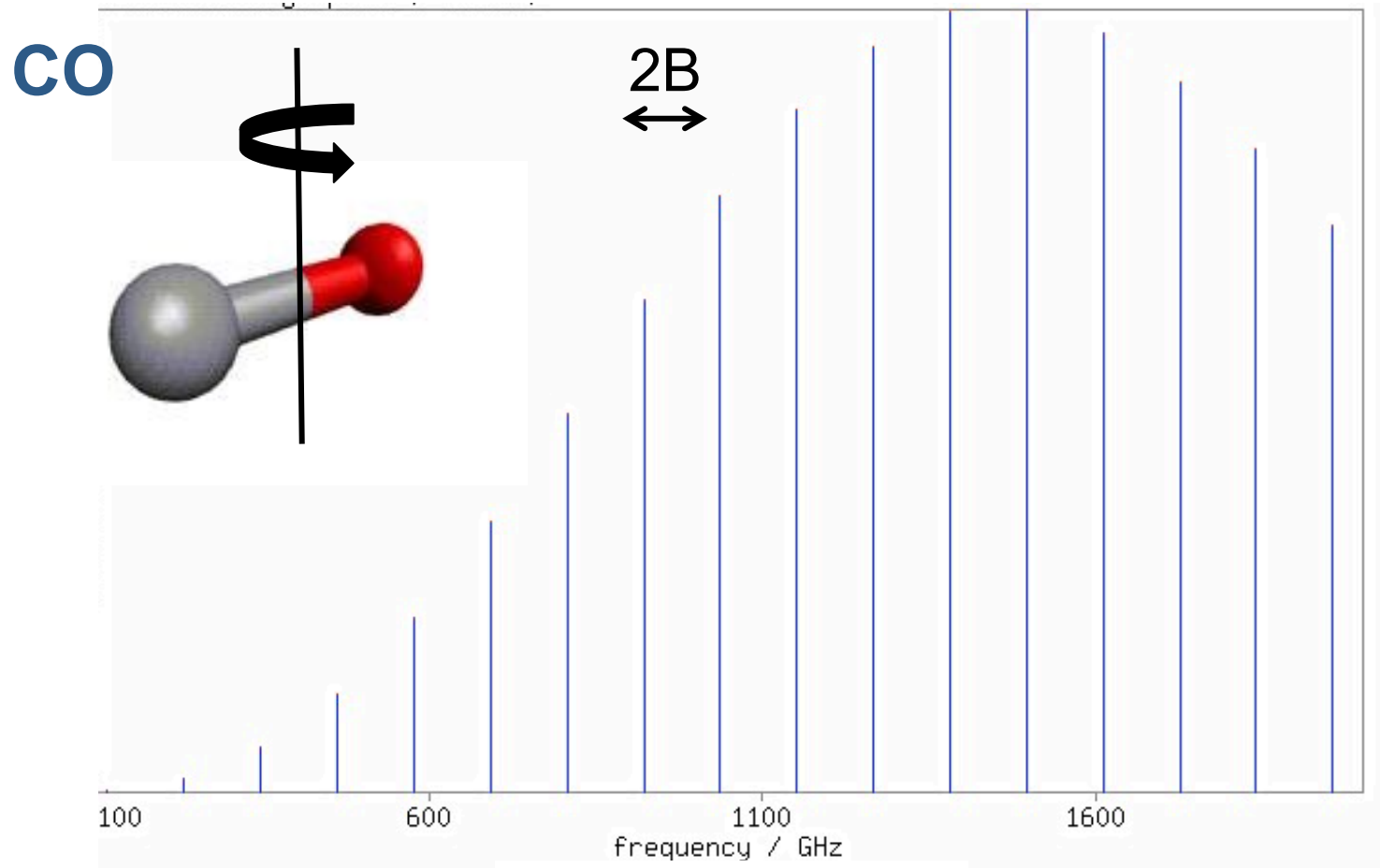
$$\Delta E_{\text{rot}} = 2B(J + 1) = h\nu$$

rotational transition  
frequencies



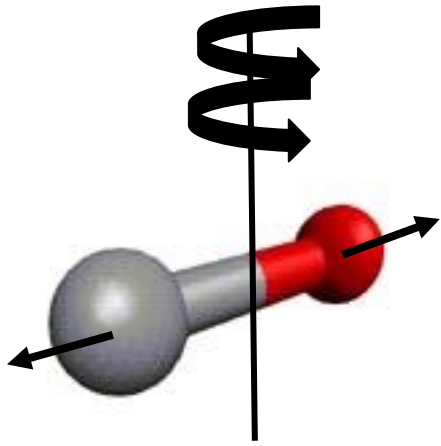
# Rotational Spectroscopy - diatomics

Rotation: frequency  $\nu = \Delta E / h$  [GHz, THz]



frequency / GHz

# Rotational Spectroscopy – non-rigid rotor



**Centrifugal distortion:** a molecule in a high rotational quantum state is “stretched”

Q: What consequence does this have on the rotational transitions?

→  $r$  and  $I$  change!

Quantum mechanical non-rigid rotor:

$$\hat{H}_{rot} = \frac{\hat{P}^2}{2I} + O(\hat{P}^n)$$

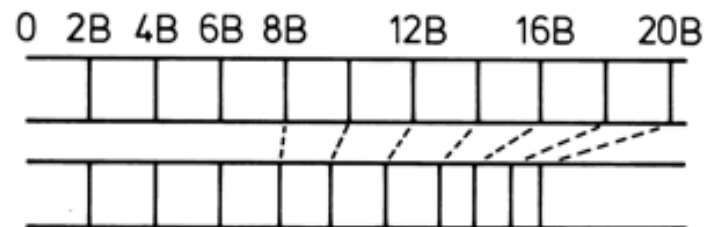
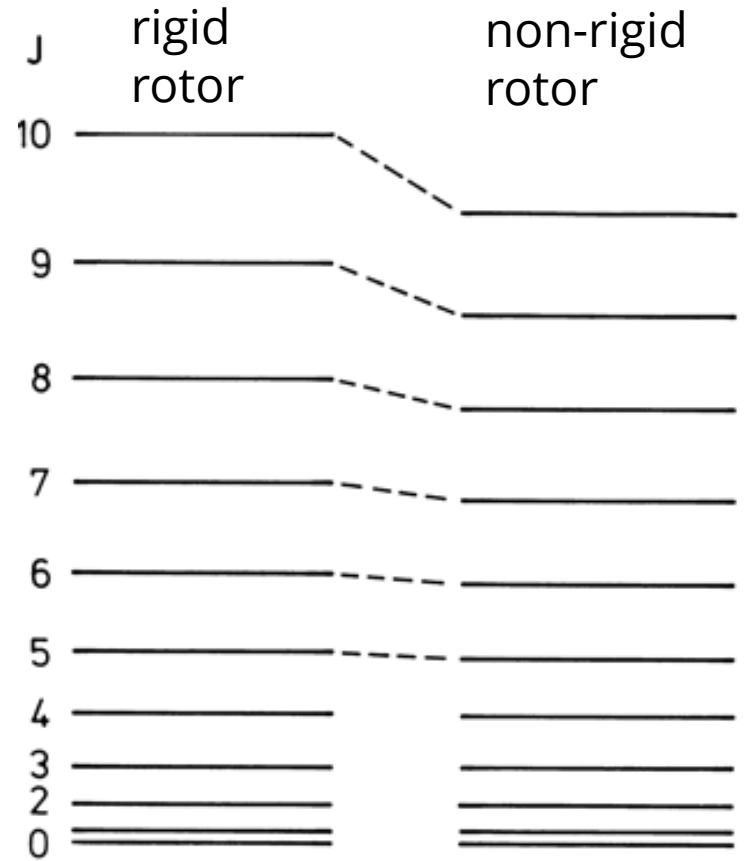
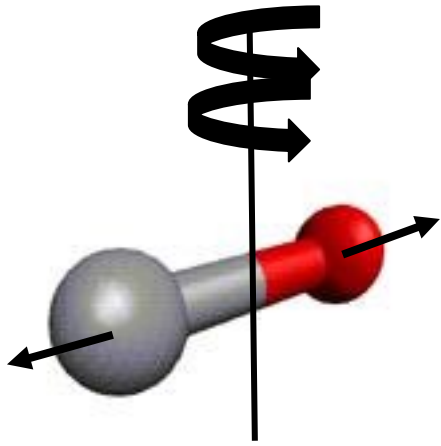
$$E_{rot} = B \cdot J(J + 1) - D \cdot J^2 (J + 1)^2 \quad (+H \cdot J^3 (J + 1)^3 + \dots)$$

centrifugal distortion constant

“effective Hamiltonian”

also to deal with asymmetry, fine-structure, hyperfine structure

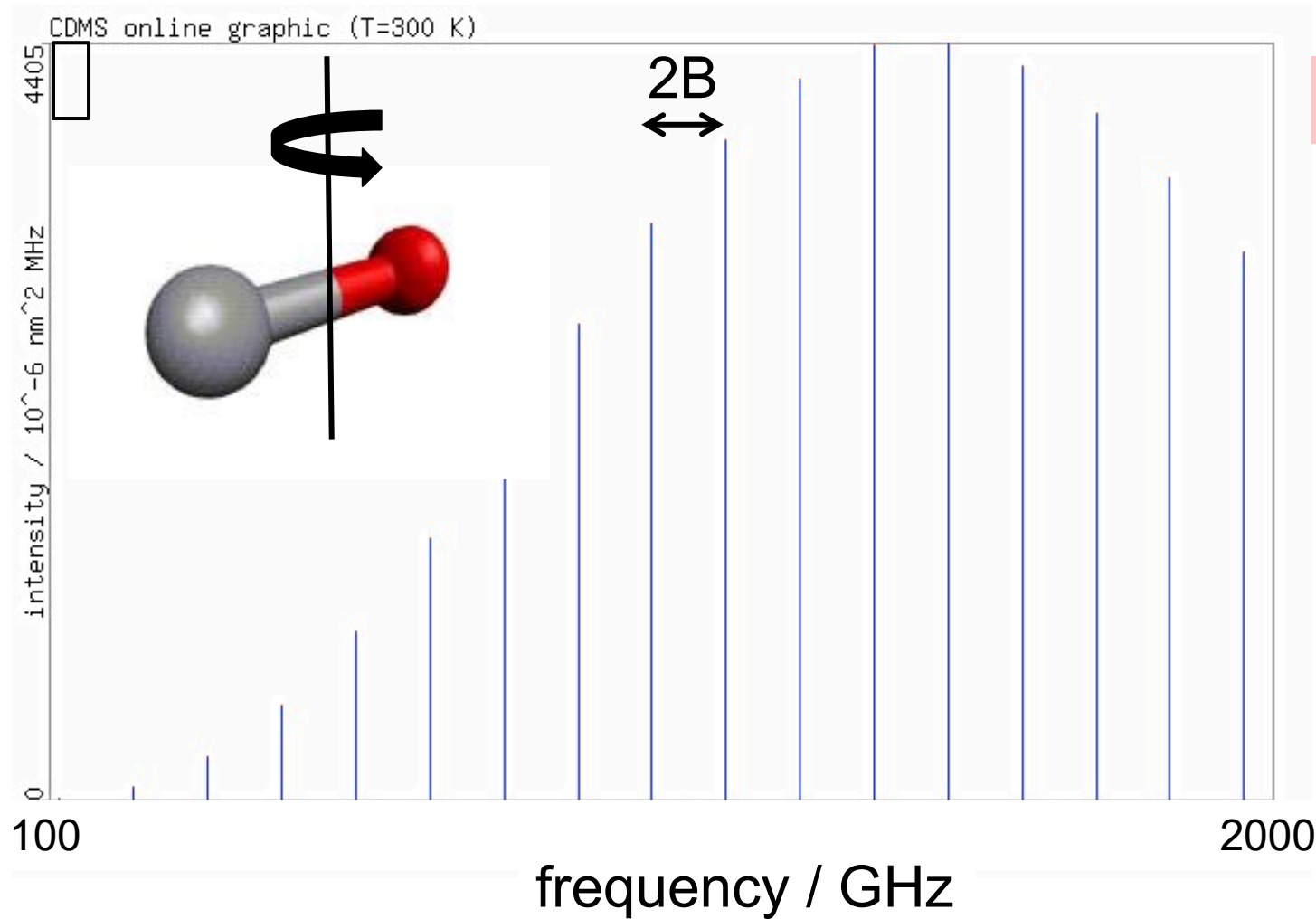
# Rotational Spectroscopy – non-rigid rotor



rigid rotor

non-rigid rotor

# Levels of complexity: isotopic species



CO & <sup>13</sup>CO ??

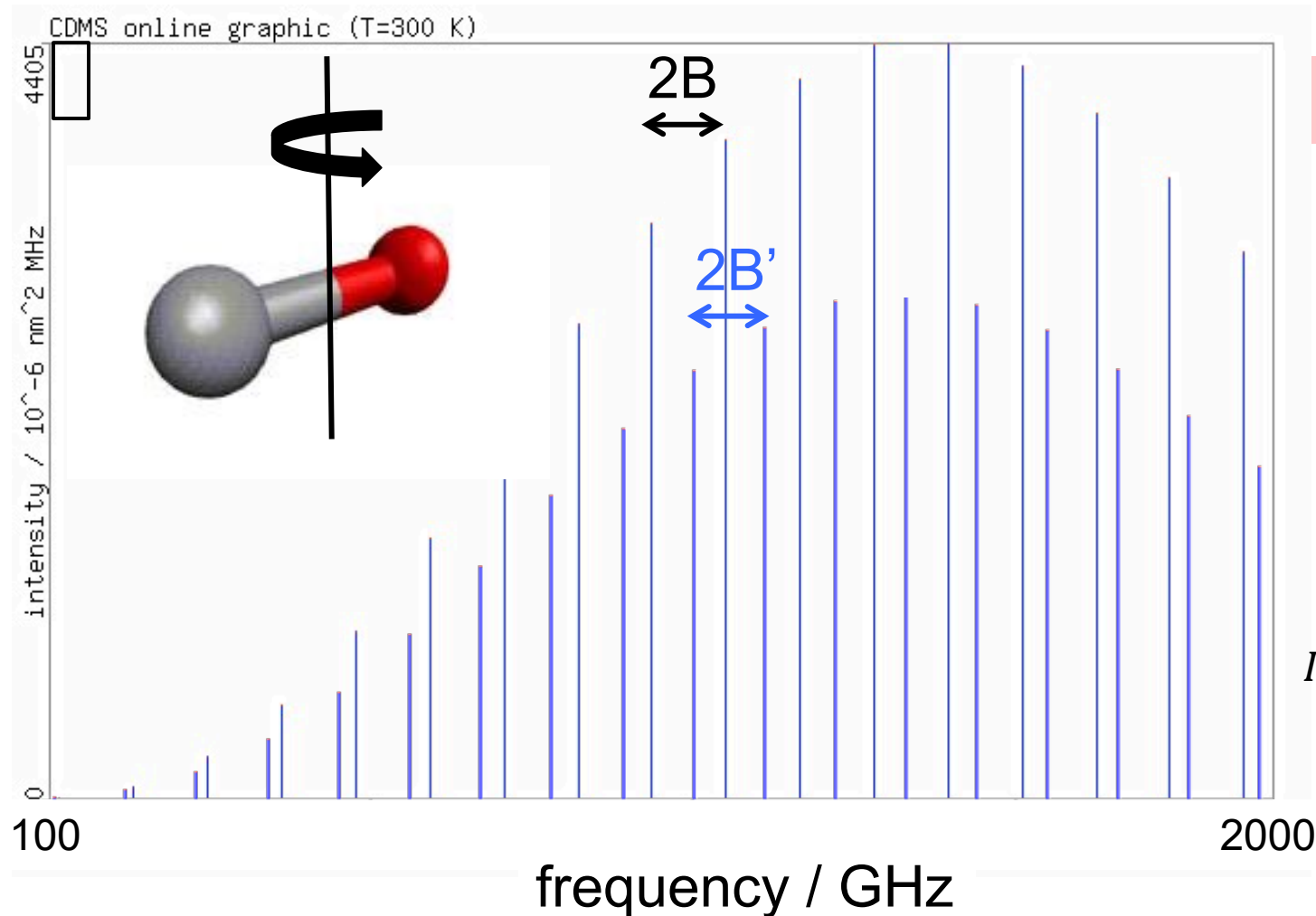
$$E_{\text{rot}} \approx BJ(J+1)$$

$$B = \frac{h}{8\pi^2 I}$$



# Levels of complexity: isotopic species

And what if the molecule vibrates?



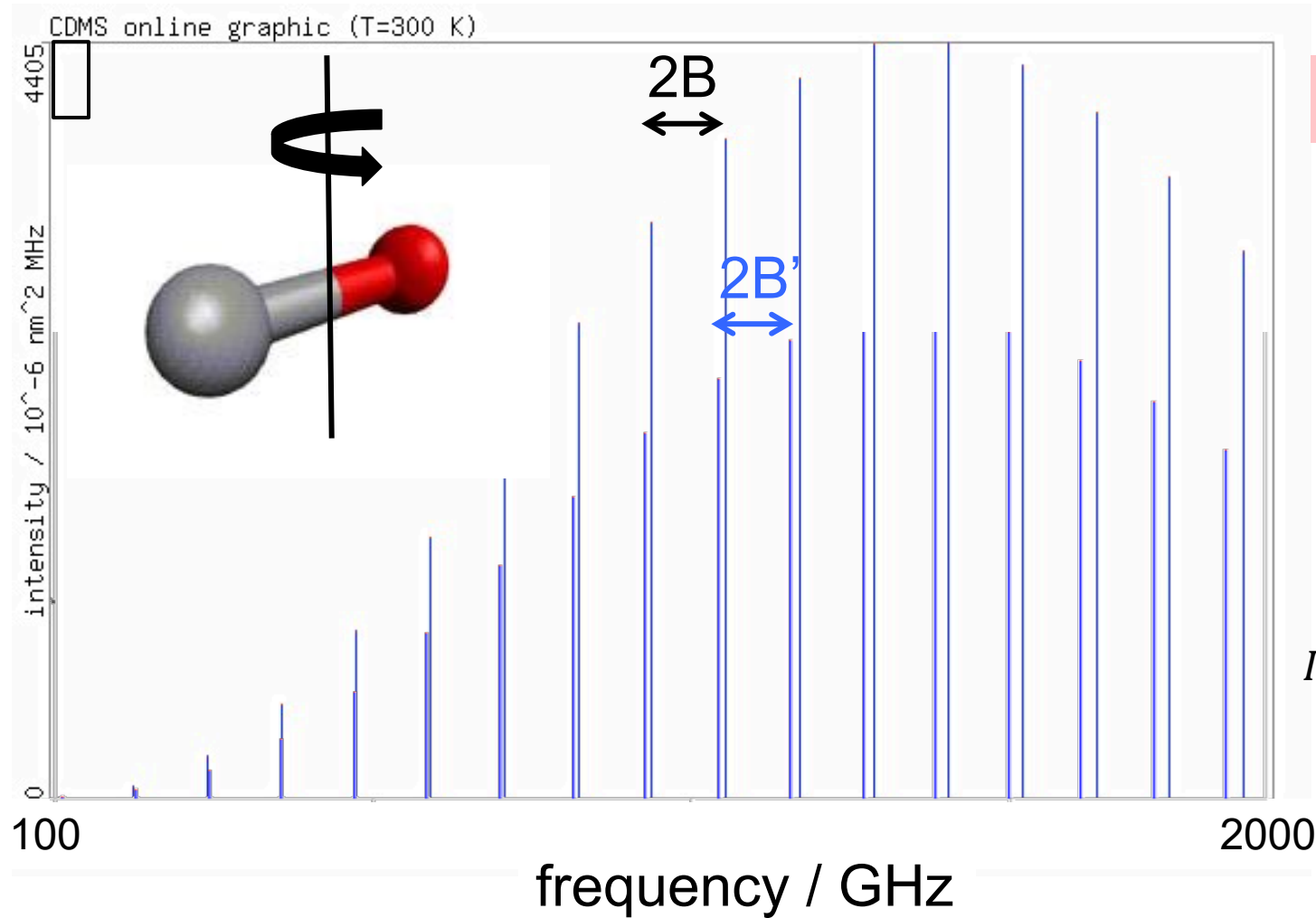
**CO &  $^{13}\text{CO}$**

$$E_{\text{rot}} \approx BJ(J+1)$$

$$B = \frac{h}{8\pi^2 I}$$

$$I = \mu r^2 = \frac{m_1 \cdot m_2}{m_1 + m_2} r^2$$

# Levels of Complexity: vibrational excitation



**CO & CO vib**

$$E_{\text{rot}} \approx BJ(J+1)$$

$$B = \frac{h}{8\pi^2 I}$$

$$I = \mu r^2 = \frac{m_1 \cdot m_2}{m_1 + m_2} r^2$$

# So what to do with this?

If you know  $B$  (and  $D$ ) you can calculate the rotational spectrum!

or

*Tutorial!*

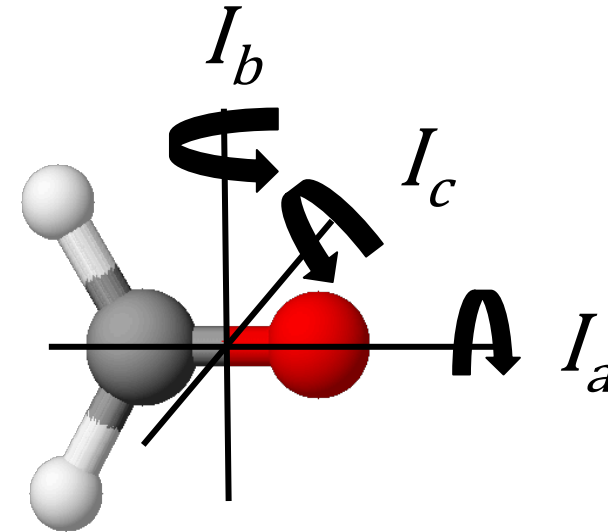
If you know a rotational frequency (and the corresponding  $J \rightarrow J + 1$ )  
you can calculate  $B$  (and  $D$ )  
and then the full rotational spectrum!

But not all molecules are diatomics (or linear)!

# General case rotating molecule

$$E_{rot} = \frac{P_a^2}{2I_a} + \frac{P_b^2}{2I_b} + \frac{P_c^2}{2I_c}$$

Principal axes  $a, b, c$   
with  $I_a \leq I_b \leq I_c$  (convention)



- Linear molecule:  $I_a = 0, I_b = I_c$  (same as diatomic)
- Symmetric top:
  - $I_a = I_b < I_c$  (oblate)
  - $I_a < I_b = I_c$  (prolate)
- Spherical top:  $I_a = I_b = I_c$
- Asymmetric top:  $I_a < I_b < I_c$

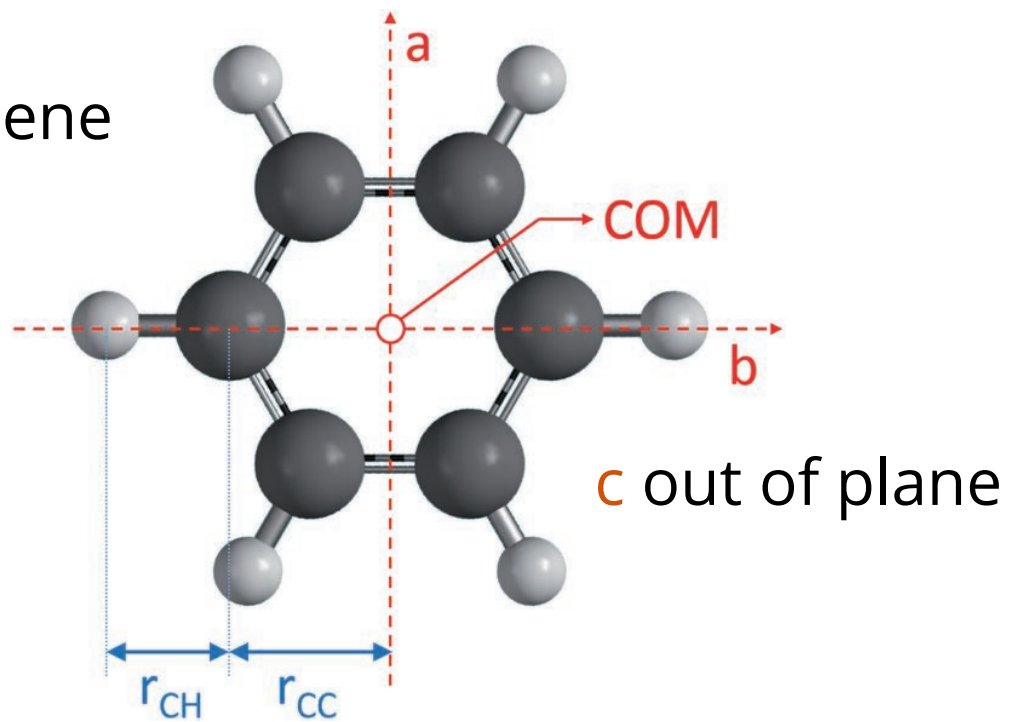
More difficult to calculate rotational spectra!

# Symmetric Rotors

- Symmetric top:  $I_a < I_b = I_c$  prolate  
 $I_a = I_b < I_c$  oblate

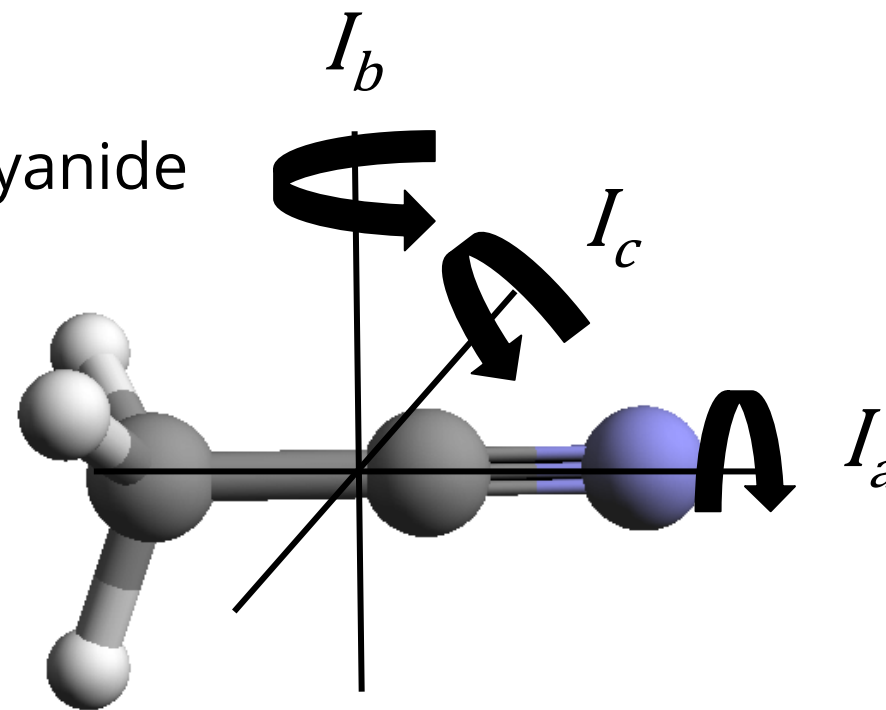
Which one is a prolate, which one an oblate rotor?

benzene



oblate

methyl cyanide



prolate

# Symmetric Rotors

- Symmetric top:
 

$I_a < I_b = I_c$	prolate,	e.g., CH <sub>3</sub> CN
$I_a = I_b < I_c$	oblate,	e.g., NH <sub>3</sub> , benzene

$$\hat{H}_{rot} = \frac{\hat{P}_a^2}{2I_a} + \frac{\hat{P}_b^2}{2I_b} + \frac{\hat{P}_c^2}{2I_c}$$

Prolate case (oblate analogue):  $\hat{H}_{rot} = \frac{1}{2I_a} \hat{P}^2 + \left(\frac{1}{2I_a} - \frac{1}{2I_b}\right) \hat{P}_a^2$  (prolate, a (z) symmetry axis)

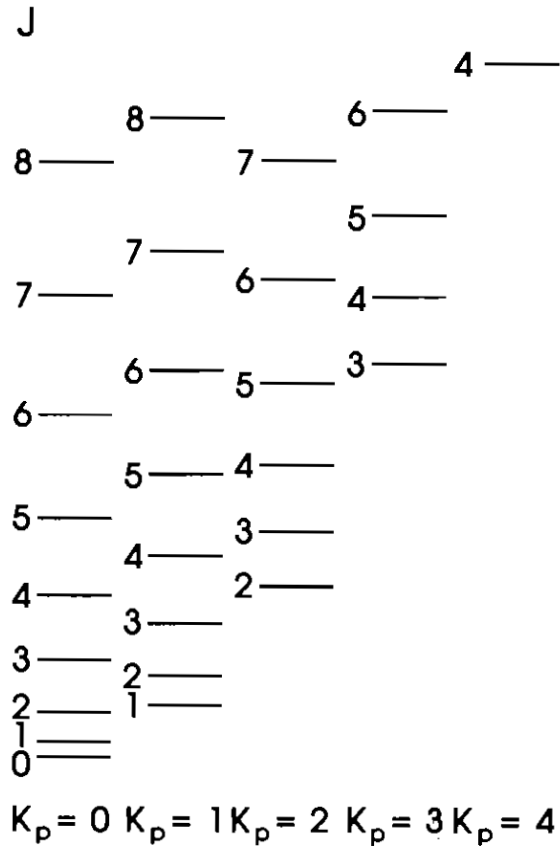
Solutions:  $E_{JK} = BJ(J + 1) + (A - B)K^2$        $A = \frac{h^2}{8\pi^2 I_a}$        $B = \frac{h^2}{8\pi^2 I_b}$        $C = \frac{h^2}{8\pi^2 I_c}$

*+ centrifugal distortion terms in J and K (D<sub>J</sub>, D<sub>K</sub>, D<sub>JK</sub> ...)*

With  $J = 0, 1, 2, \dots$  total angular momentum quantum number  
 $K = -J, -J + 1, \dots, 0, \dots, J - 1, J$  (2J + 1) values  
 projection of angular momentum on symmetry axis

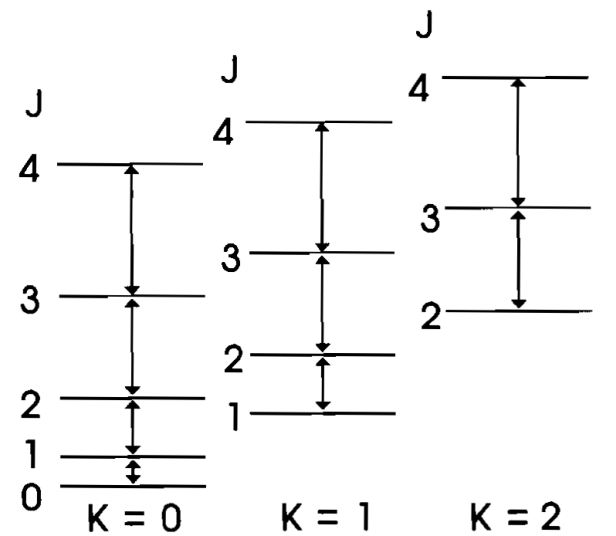
# Symmetric Rotors

$$E_{JK} = BJ(J + 1) + (A - B)K^2 + \text{centrifugal distortion terms in } J \text{ and } K$$

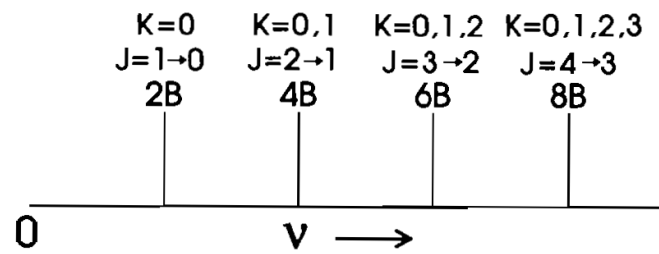


prolate symmetric top

Allowed transitions (prolate):



$$\Delta J = 1, \Delta K = 0$$



Without centrifugal distortion the spectrum looks as that of a linear molecule!

Reality:  
Bonus Tutorial

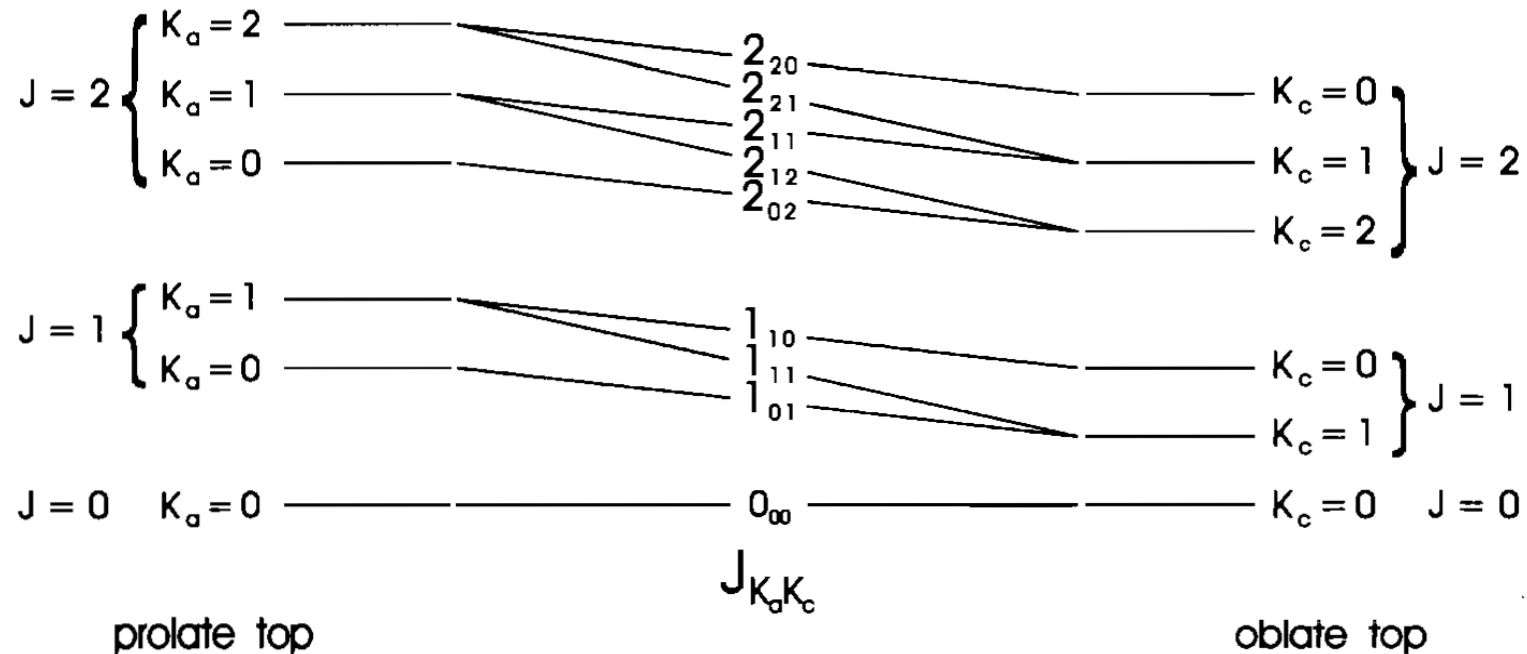
# Asymmetric Rotors (brief)

- Asymmetric top:

$$I_a < I_b < I_c$$

$$\hat{H}_{rot} = \frac{\hat{P}_a^2}{2I_a} + \frac{\hat{P}_b^2}{2I_b} + \frac{\hat{P}_c^2}{2I_c}$$

- No analytical solutions, needs to be solved numerically, using symmetric wavefunctions as basis set.
- Two additional "labels" are used, but no good quantum numbers:  $K_a, K_c$

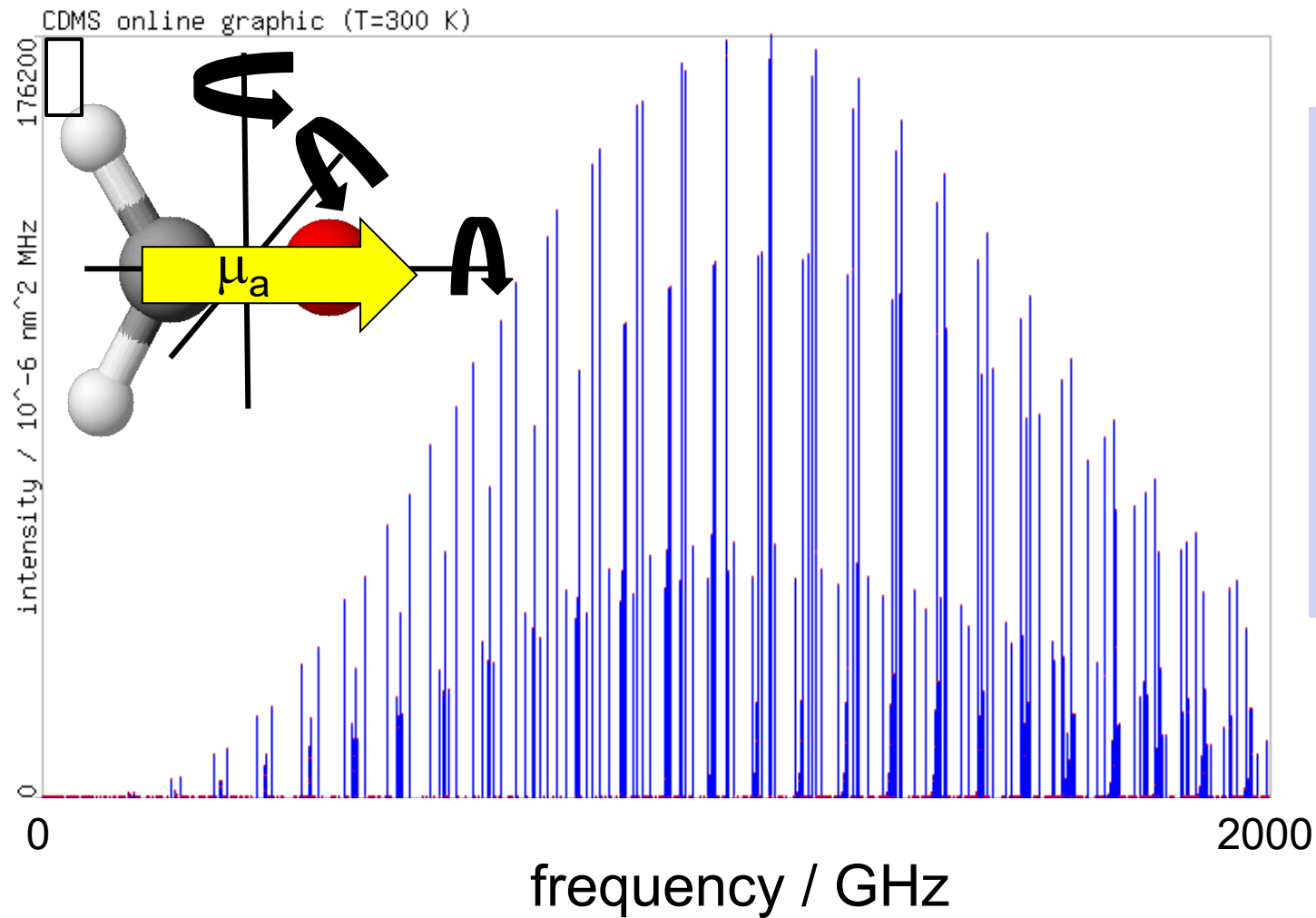




# Asymmetric Rotors (brief)

- Asymmetric top:  $I_a < I_b < I_c$   $\hat{H}_{rot} = \frac{\hat{P}_a^2}{2I_a} + \frac{\hat{P}_b^2}{2I_b} + \frac{\hat{P}_c^2}{2I_c}$
- No analytical solutions, needs to be solved numerically, using symmetric wavefunctions as basis set.
- Two additional “labels” are used, but no good quantum numbers:  $K_a, K_c$
- Selection rules depend on the orientation of the dipole moment in the molecule
  - a-type transitions with  $\mu_a \neq 0$ :  $\Delta K_a = 0$   
 $\Delta K_c = \pm 1 (\pm 3, \dots)$
  - b-type transitions with  $\mu_b \neq 0$ :  $\Delta K_a = \pm 1 (\pm 3, \dots)$   
 $\Delta K_c = \pm 1 (\pm 3, \dots)$
  - c-type transitions with  $\mu_c \neq 0$ :  $\Delta K_a = \pm 1 (\pm 3, \dots)$   
 $\Delta K_c = 0$
- All can be allowed!

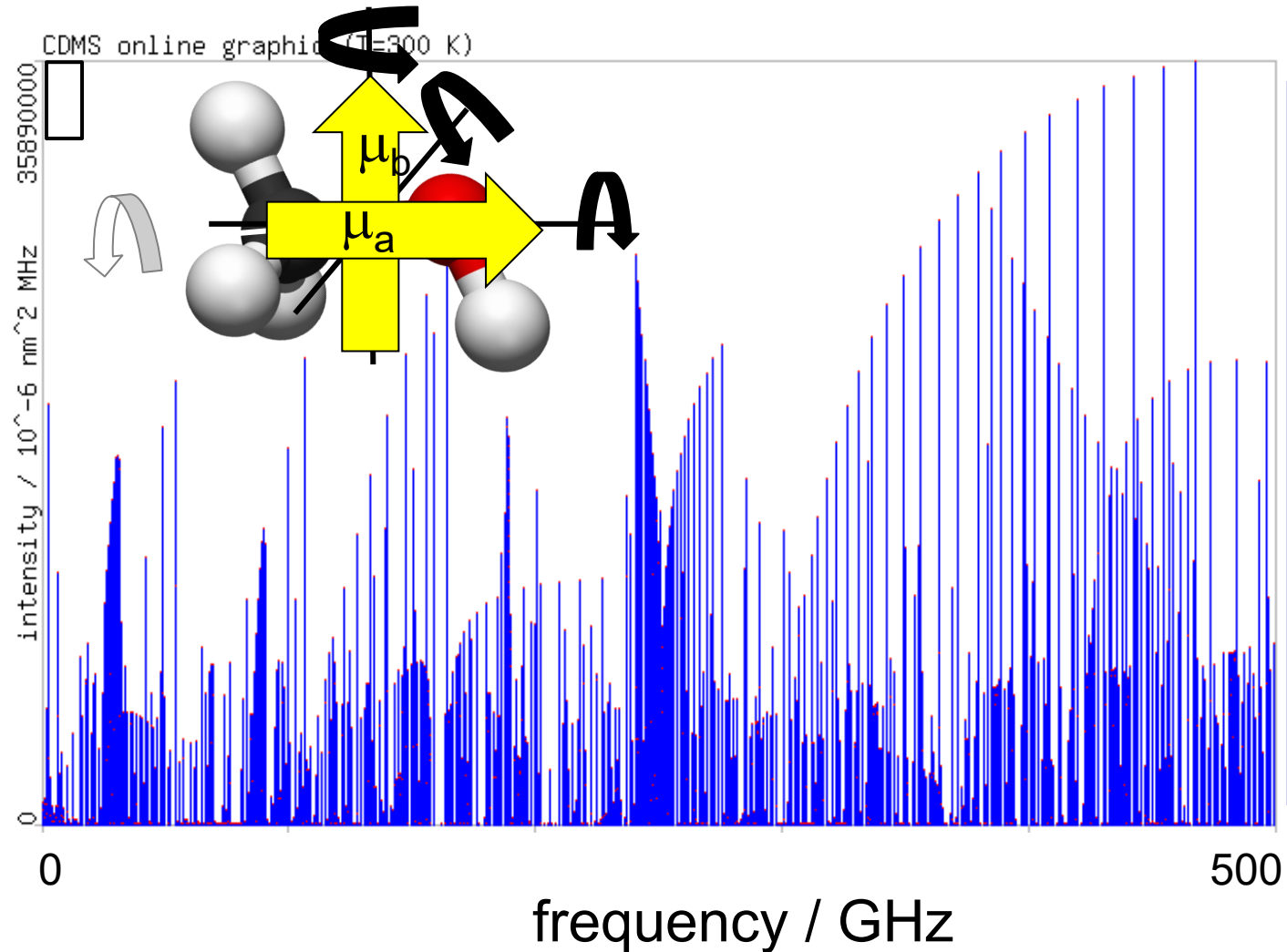
# Levels of Complexity: asymmetry



**H<sub>2</sub>CO**

- asymmetric top
- closed shell
- rigid

# Levels of Complexity: asymmetric rotor + internal rotation



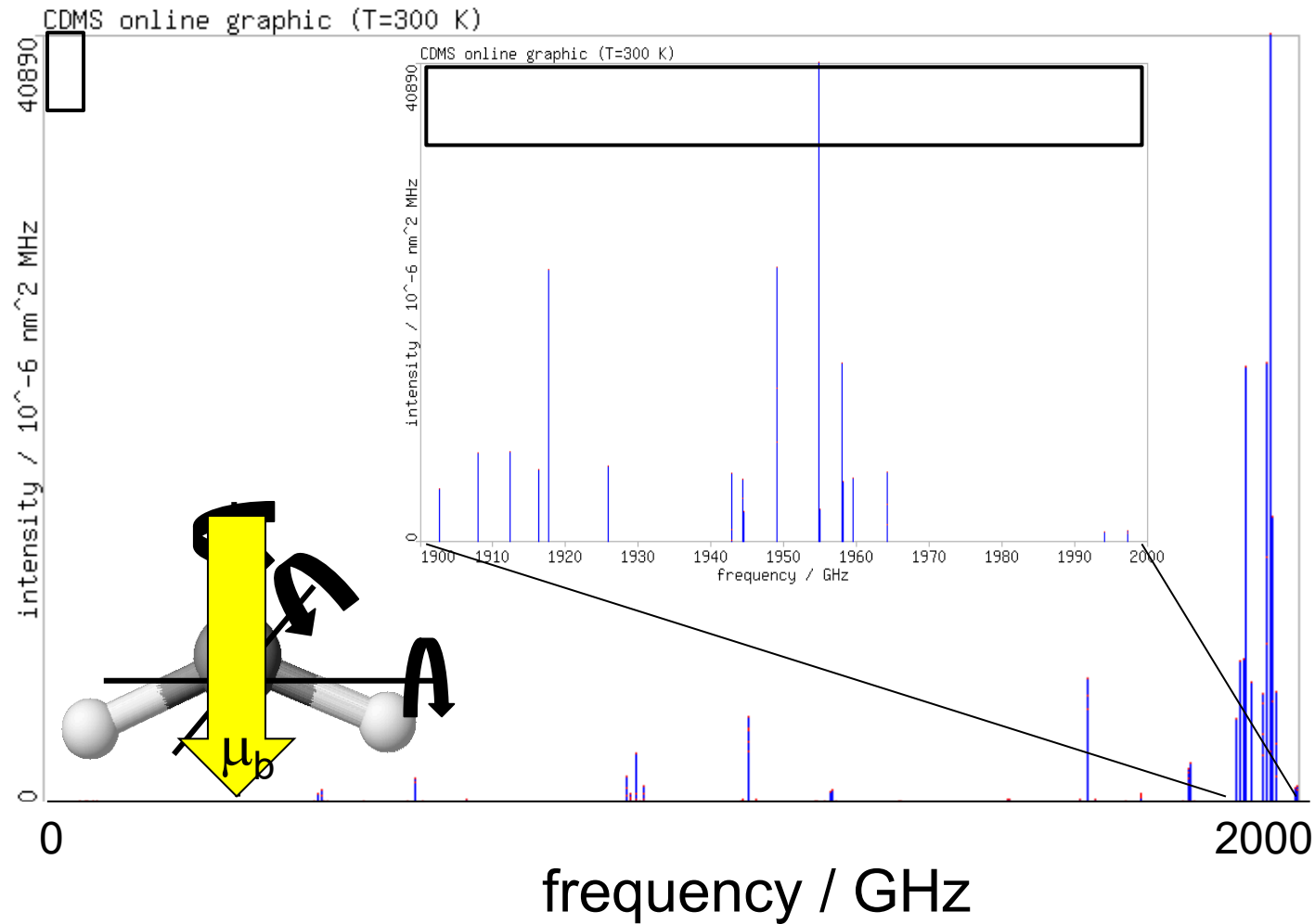
## CH<sub>3</sub>OH

- asymmetric top
- a- and b-type
- closed shell
- internal rotor

# Additional „Complicatons“

- Internal rotors (methanol), inversion (ammonia)
- Radical species  
Open shell molecules, finestructure due to electronic angular momentum / spin & coupling with rotation

# Levels of Complexity: electronic interaction



## CH<sub>2</sub>

- asymmetric top
- light & “floppy”
- radical  $^3B_2$  spin-rotation interaction + hyperfine structure

# Additional „Complicatons“

- Internal rotors (methanol), inversion (ammonia)
- Radical species  
Open shell molecules, finestructure due to electronic angular momentum / spin & coupling with rotation
- Hyperfine structure  
Interactions of rotation with nuclear spin of atoms  
interactions of electronic angular momentum / spin with nuclear spin

Most of this well understood, but needs to be measured / fitted for each individual molecule (and all its isotopologies, vibrational excited states, ...)

# Tools

Tools for analysis of experimental spectra and prediction of rotational spectra  
Based on effective Hamiltonian approaches

- spfit / spcat: <https://spec.jpl.nasa.gov> (basis of jpl and cdms catalogues)
- Pgopher: <https://pgopher.chm.bris.ac.uk/> (see tutorial!)
- PROSPE: <http://info.ifpan.edu.pl/~kisiel/prospe.htm>

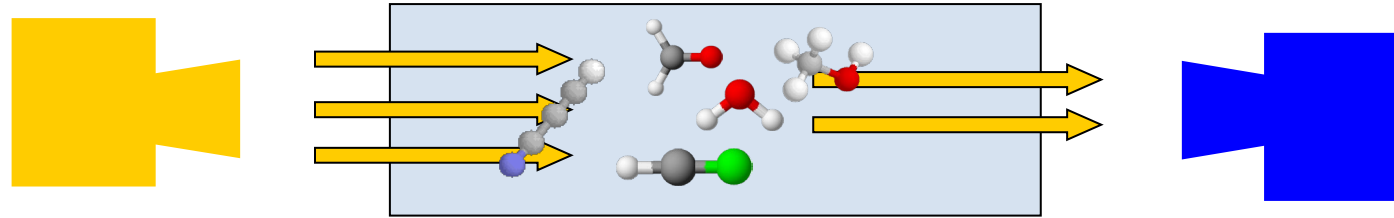
# The spectroscopist's To Do list

- Quantum chemical *ab initio* calculations to get an idea of the structure, ground state and rotational constants
- Finding an efficient way to produce the molecule
- High resolution measurements over a broad range of the spectrum
- “Understand your molecule”:

Fitting the observed lines to an effective rotational Hamiltonian to predict its full spectrum and intensities



# “Conventional” Absorption Spectroscopy



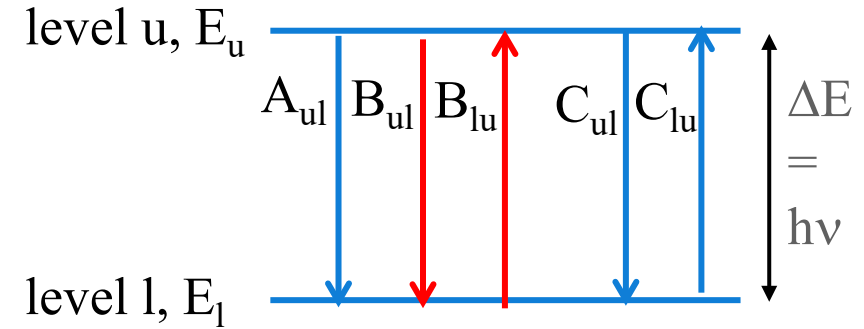
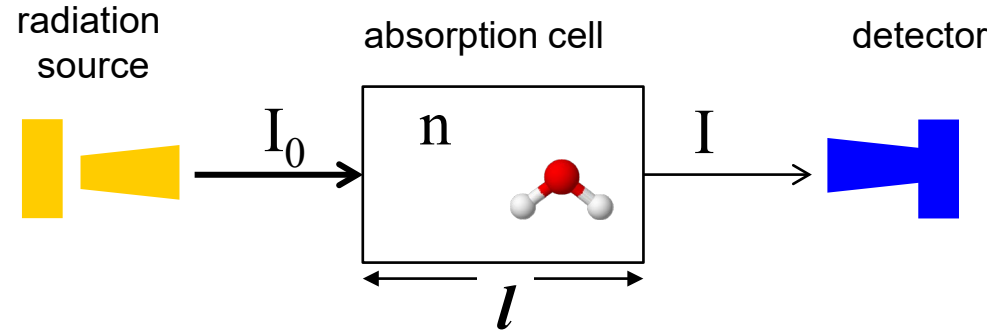
tunable, monochromatic  
radiation source

absorption cell

broadband photon detector



# Line Intensities – Typical Absorption Experiment



Photons absorbed:  $dI = -I \cdot \alpha \cdot dz$

Integrate → Beer's Law:  $I = I_0 \cdot e^{-\alpha l}$

*Same as radiative transfer but neglect self-emission!*

Absorption coefficient  $\alpha$  depends on number density  $n$ , line width  $\Delta\nu$ , Boltzmann distribution at temperature  $T$ , and transition properties (frequency, Einstein coefficients, upper energy, statistical weights)

$$\alpha = n \frac{g_u c^2 A_{ul}}{8\pi \nu^2 \Delta\nu U(T)} e^{-\frac{E_u}{kT}} \left( e^{\frac{h\nu}{kT}} - 1 \right) \quad \text{And partition function } U(T) = \sum g_i e^{-\frac{E_i}{kT}}$$

# Intermezzo: Calculation of astronomical intensities

Remember optical depth  $\tau_\nu = \int_0^L \alpha_\nu dx = \alpha_n L$

So this means for molecular line: 
$$\tau_\nu = N \frac{g_u c^3 A_{ul}}{8\pi \nu^3 \Delta\nu U(T)} e^{-\frac{E_u}{kT}} \left( e^{\frac{h\nu}{kT}} - 1 \right)$$
  
(use  $N = nL$  and  $\Delta\nu = \frac{\Delta\nu}{\nu} c$ )

And for the brightness temperature: 
$$\Delta T_B = \frac{h\nu}{k} \left[ \frac{1}{e^{\frac{h\nu}{kT}} - 1} - \frac{1}{e^{\frac{h\nu}{kT_b}} - 1} \right] [1 - e^{-\tau_\nu}]$$

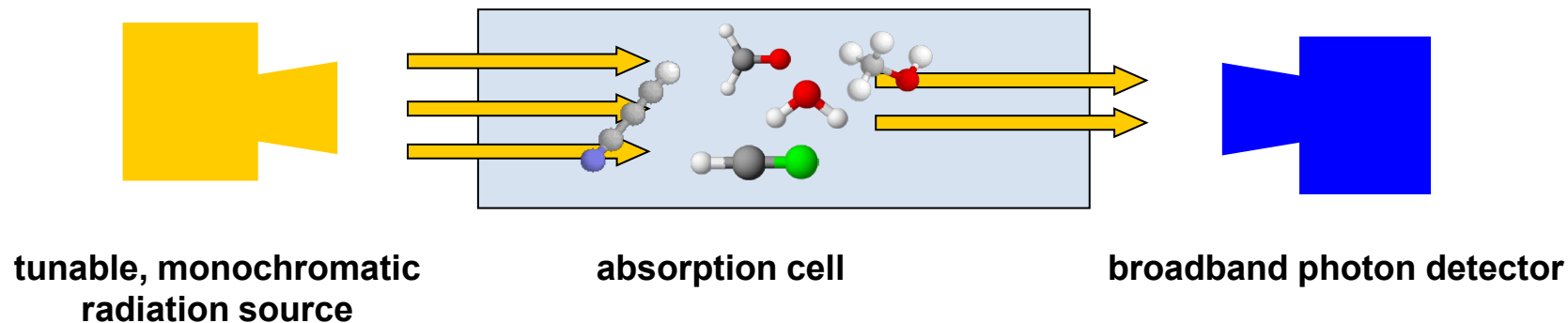
Simplified for  $\frac{h\nu}{kT} \ll 1$ : 
$$\Delta T_B = (T - T_b) [1 - e^{-\tau_\nu}]$$

Simplified for  $T_b = 0$ , using  $\tau_\nu$ : 
$$\Delta T_B = N \frac{g_u c^3 h A_{ul}}{8k\pi \nu^2 \Delta\nu U(T)} e^{-\frac{E_u}{kT}}$$

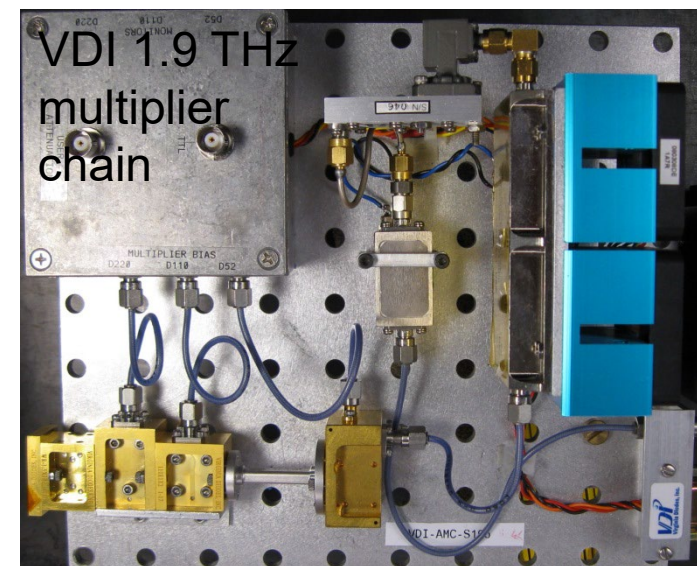
So if you know your molecule & astronomical source, you can

- Calculate brightness temperature (needs modelled abundance)
- Calculate abundance and temperature from observations!

# “Conventional” Absorption Spectroscopy

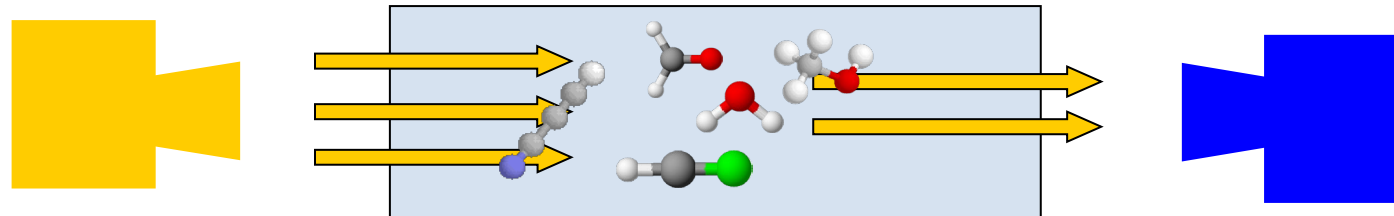


- Infrared: lasers (QCLs, OPOs, diodes)
- mm-, THz radiation sources
  - synthesizer, Gunn diodes
  - **solid state multiplier chains (up-conversion)**
  - FIR laser
  - Photomixing (down-conversion)...



frequency accuracy, linewidth, stability, tunability, power, calibration...

# “Conventional” Absorption Spectroscopy



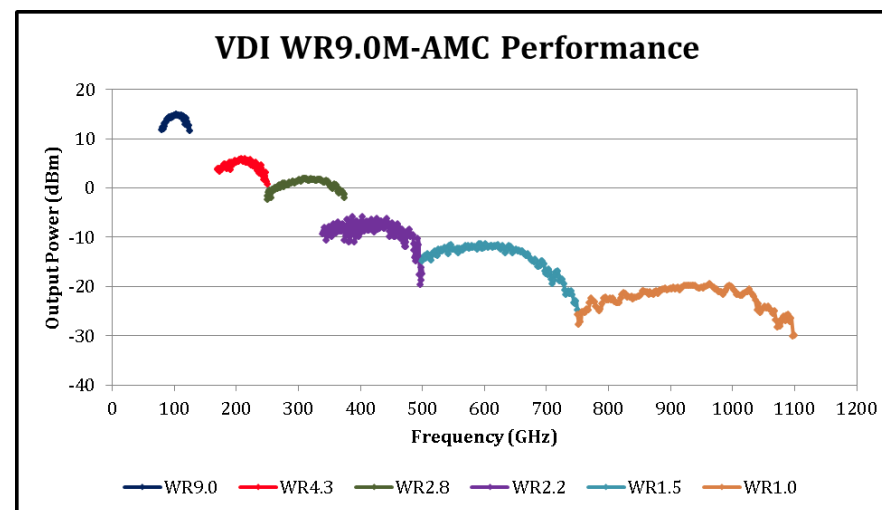
tunable, monochromatic radiation source

absorption cell

broadband photon detector



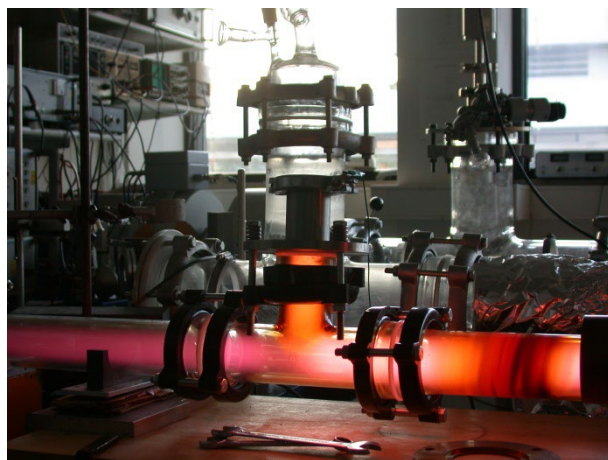
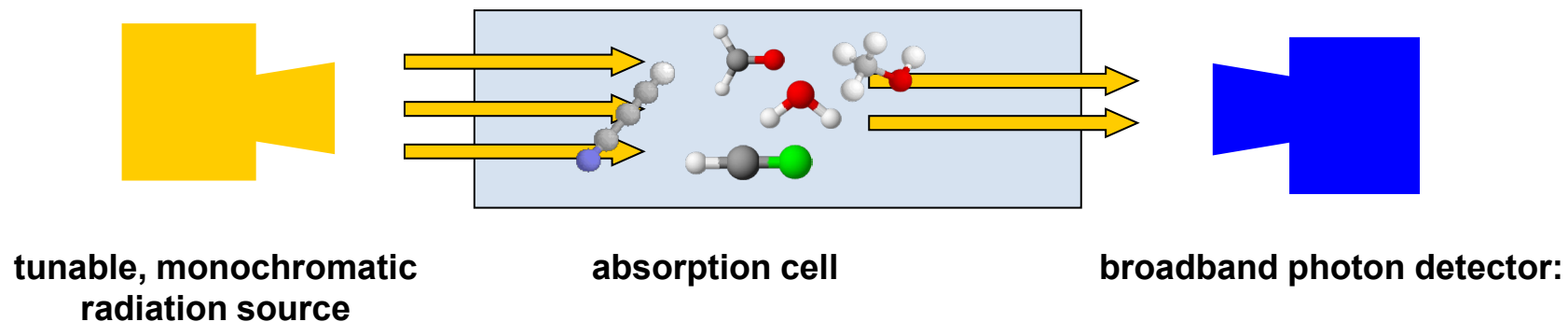
Virginia Diodes, Inc.



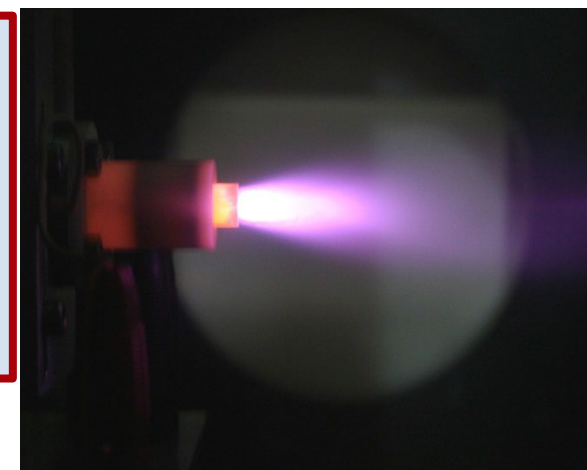
## Technology mainly driven by heterodyne receiver development!

- automated rapid scanning with fast electronics
- intrinsic linewidth & accuracy  $\ll$  kHz up to 1 THz
- Wide tuning range of 30%

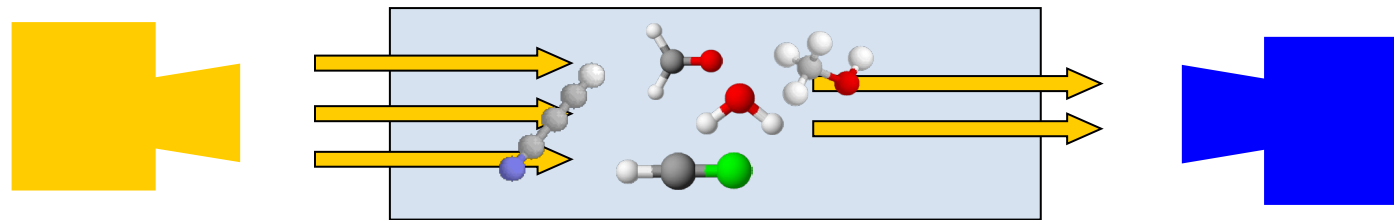
# “Conventional” Absorption Spectroscopy



- Stable (bottled) gases
- Radicals & ions: discharges (RF, DC, AC)
- Refractory molecules: pyrolysis & laser ablation



# “Conventional” Absorption Spectroscopy



tunable, monochromatic  
radiation source

absorption cell

broadband photon detector:



Thermal:

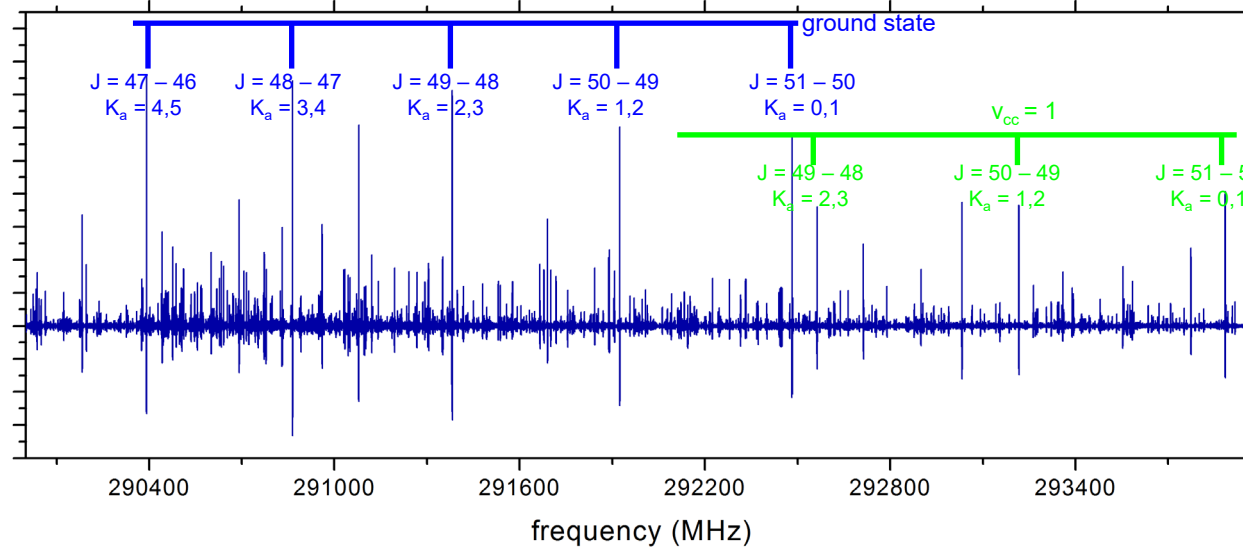
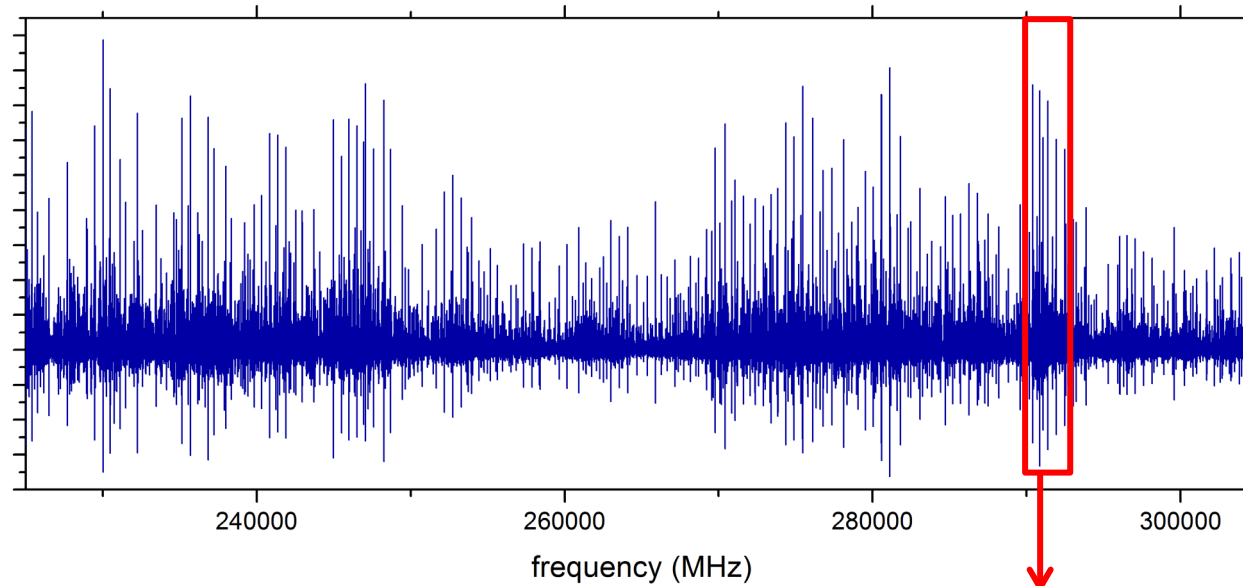
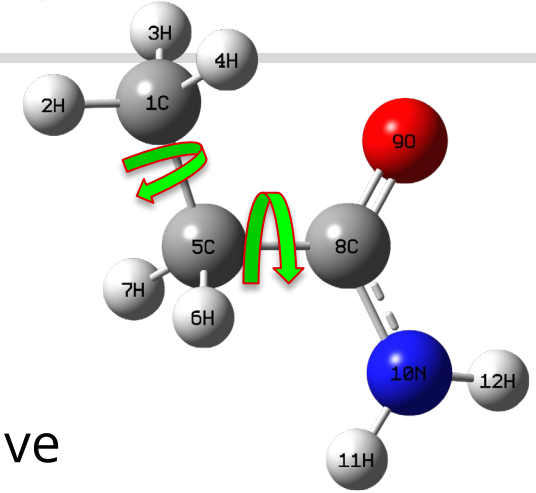
- (hot electron) bolometer
- pyroelectric

Photonic:

- photoconductive
- photovoltaic (photodiodes)
- photoemissive (photo-multiplier)

**Sensitivity, noise, spectral coverage, speed, ....**

# Typical Data of Complex Molecules: Propionamide



Peptide bond motive

Formamide ( $\text{HCONH}_2$ ) & Acetamide ( $\text{CH}_3\text{CONH}_2$ ) were detected in SgrB2(N)

9 – 462 (630) GHz coverage

Analysis challenging

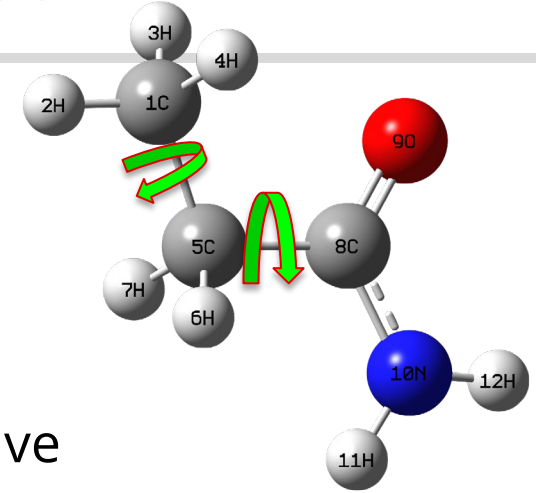
Finally 5495 transitions assigned

Lab: L. Margulés et al. PhLam Lille 69<sup>th</sup> ISMS (2014)

Astro: J. Li et al., ApJ 919 (2021) 4



# Typical Data of Complex Molecules: Propionamide



**Table 1**  
Molecular Parameters of Propionamide Obtained with the RAM36hf Program

Parameter	Operator <sup>b</sup>	$\nu = 0$ <sup>c</sup>	$\nu = 1$ <sup>c</sup>
$F$	$P_\alpha^2$	5.55 <sup>d</sup>	5.55 <sup>d</sup>
$V_3$	$\frac{1}{2}(1 - \cos 3\alpha)$	759.46(16)	1042.8(14)
$\rho$	$J_p p_\alpha$	0.054475(70)	0.054475 <sup>d</sup>
$A_{\text{RAM}}$	$J_z^2$	0.317819(34)	0.31562(33)
$B_{\text{RAM}}$	$J_x^2$	0.138258(34)	0.13829(31)
$C_{\text{RAM}}$	$J_y^2$	0.0949374576(41)	0.096130(29)
$D_{ab}$	$\{J_z, J_x\}$	-0.047201(65)	-0.04556(63)
$F_m$	$P_\alpha^4$	...	$-0.3270(50) \times 10^{-2}$
$\rho_m$	$J_z p_\alpha^3$	...	$0.499(21) \times 10^{-3}$
$F_J$	$J^2 p_\alpha^2$	...	$0.844(30) \times 10^{-4}$
$V_{3J}$	$J^2(1 - \cos 3\alpha)$	$-0.59516(20) \times 10^{-3}$	$0.234(10) \times 10^{-1}$
$V_{3K}$	$J_z^2(1 - \cos 3\alpha)$	$-0.191946(67) \times 10^{-2}$	$-0.341(28) \times 10^{-2}$
$V_{3bc}$	$(J_x^2 - J_y^2)(1 - \cos 3\alpha)$	$-0.14119(18) \times 10^{-3}$	$-0.1125(15) \times 10^{-3}$
$\Delta_J$	$-J^4$	$0.28990(20) \times 10^{-7}$	$0.128(12) \times 10^{-7}$
$\Delta_{JK}$	$-J^2 J_z^2$	$0.4182(37) \times 10^{-7}$	$0.299(11) \times 10^{-6}$
$\Delta_K$	$-J_z^4$	$0.30071(53) \times 10^{-6}$	$0.4772(67) \times 10^{-6}$
$\delta_J$	$-2\{J^2, (J_x^2 - J_y^2)\}$	$0.76905(88) \times 10^{-8}$	$0.5872(90) \times 10^{-8}$
$\delta_K$	$-\{J_z^2, (J_x^2 - J_y^2)\}$	$-0.100211(26) \times 10^{-6}$	$-0.8083(73) \times 10^{-7}$
$D_{6bc}$	$\frac{1}{2} \sin 6\alpha \{J_x, J_y\}$	...	$-0.1767(33) \times 10^{-2}$
$V_{6J}$	$J^2(1 - \cos 6\alpha)$	...	$-0.1135(47) \times 10^{-1}$
$V_{3JJ}$	$J^4(1 - \cos 3\alpha)$	$0.545(31) \times 10^{-9}$	...
$\Phi_J$	$J^6$	$0.5310(38) \times 10^{-12}$	...
$\Phi_{JK}$	$J^4 J_z^2$	$-0.12542(88) \times 10^{-10}$	$0.597(25) \times 10^{-11}$
$\Phi_{KJ}$	$J^2 J_z^4$	$0.1464(47) \times 10^{-10}$	$-0.3293(52) \times 10^{-10}$
$\phi_J$	$2J^4(J_x^2 - J_y^2)$	$0.2536(19) \times 10^{-12}$	...
$\phi_{JK}$	$J^2\{J_z^2, (J_x^2 - J_y^2)\}$	$-0.3479(28) \times 10^{-11}$	...
$\phi_K$	$\{J_z^4, (J_x^2 - J_y^2)\}$	$0.453(19) \times 10^{-11}$	$-0.533(33) \times 10^{-11}$
$L_{KKJ}$	$J^2 J_z^6$	$-0.2497(57) \times 10^{-13}$	...
$l_K$	$\{J_z^6, (J_x^2 - J_y^2)\}$	$0.1454(58) \times 10^{-13}$	...
$\chi_{aa}$		$0.67790(56) \times 10^{-4}$	$0.639(30) \times 10^{-4}$
$\chi_{bb}$		$0.64887(60) \times 10^{-4}$	$0.644(17) \times 10^{-4}$

Peptide bond motive

Formamide (HCONH<sub>2</sub>) & Acetamide (CH<sub>3</sub>CONH<sub>2</sub>) were detected in SgrB2(N)

9 – 462 (630) GHz coverage

Analysis challenging

Finally 5495 transitions assigned

Lab: L. Margulés et al. PhLam Lille 69<sup>th</sup> ISMS (2014)

Astro: J. Li et al., ApJ 919 (2021) 4

# But once you understand it : Propionamide in space

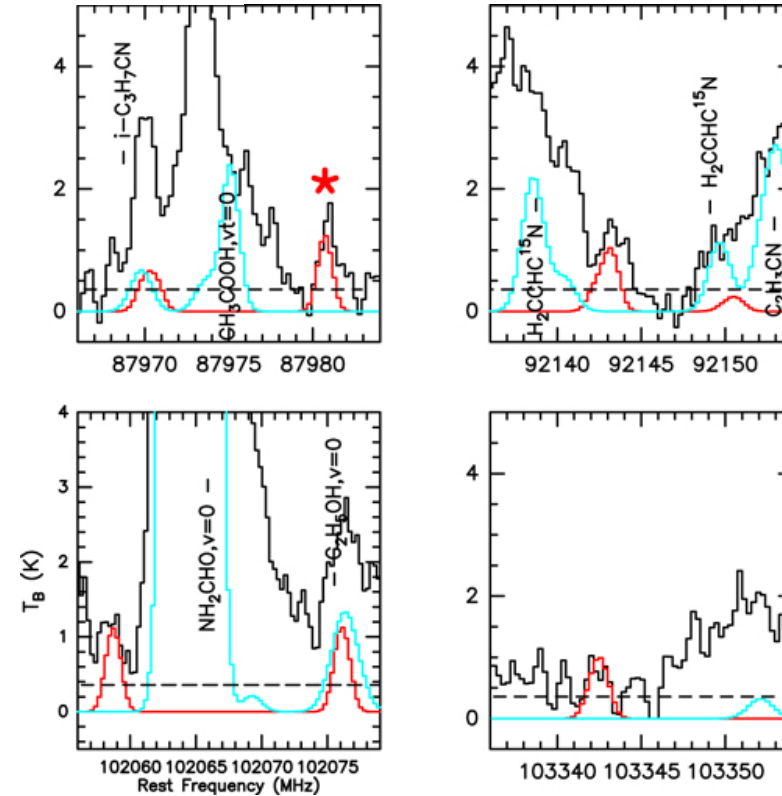
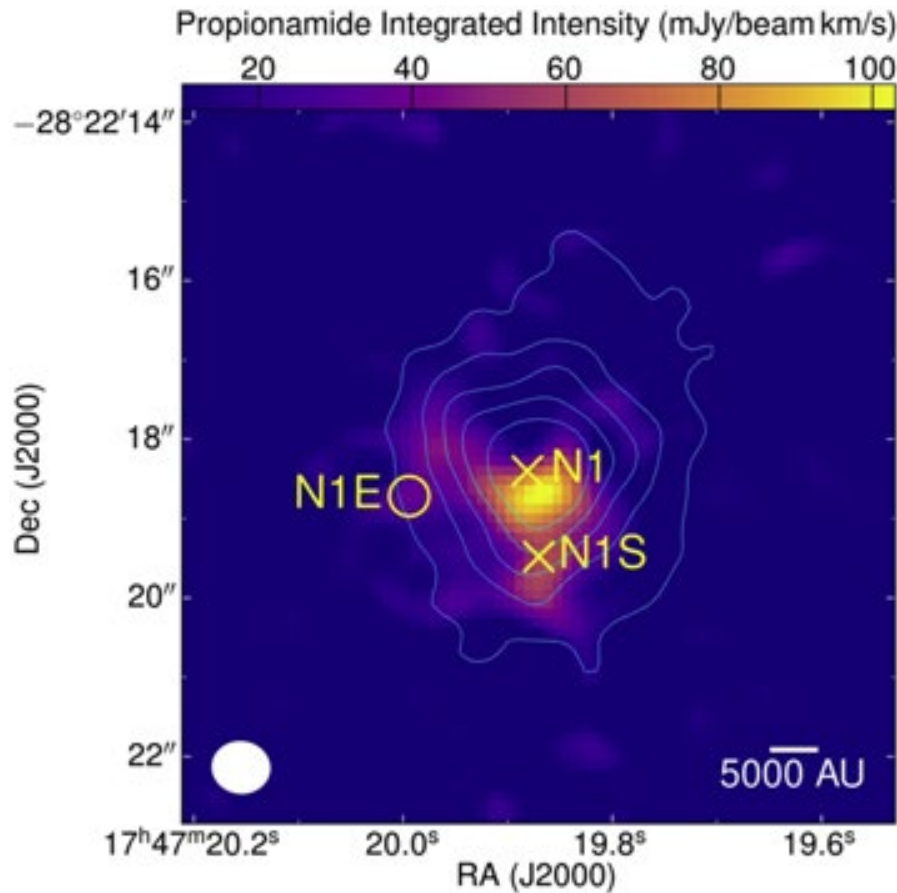
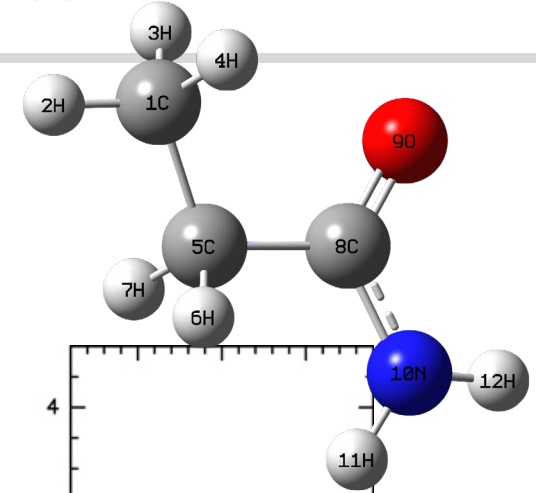
THE ASTROPHYSICAL JOURNAL, 919:4 (18pp), 2021 September 20  
 © 2021. The American Astronomical Society. All rights reserved.

<https://doi.org/10.3847/1538-4357/ac091c>



## Propionamide ( $C_2H_5CONH_2$ ): The Largest Peptide-like Molecule in Space

Juan Li (李娟)<sup>1,2</sup>, Junzhi Wang (王均智)<sup>1,2</sup>, Xing Lu (吕行)<sup>3</sup>, Vadim Ilyushin<sup>4,5</sup>, Roman A. Motiyenko<sup>6</sup>, Qian Gou (勾茜)<sup>7</sup>, Eugene A. Alekseev<sup>4,5</sup>, Donghui Quan (全冬晖)<sup>8,9</sup>, Laurent Margulès<sup>6</sup>, Feng Gao (高峰)<sup>10,11</sup>, Frank J. Lovas<sup>12,13</sup>, Yajun Wu (吴亚军)<sup>1,2</sup>, Edwin Bergin<sup>14</sup>, Shanghuo Li (李尚活)<sup>15</sup>, Zhiqiang Shen (沈志强)<sup>1,2</sup>, Fujun Du (杜福君)<sup>16,17</sup>, Meng Li (李梦)<sup>7</sup>, Siqi Zheng (郑思琪)<sup>1,2,18</sup>, and Xingwu Zheng (郑兴武)<sup>19</sup>

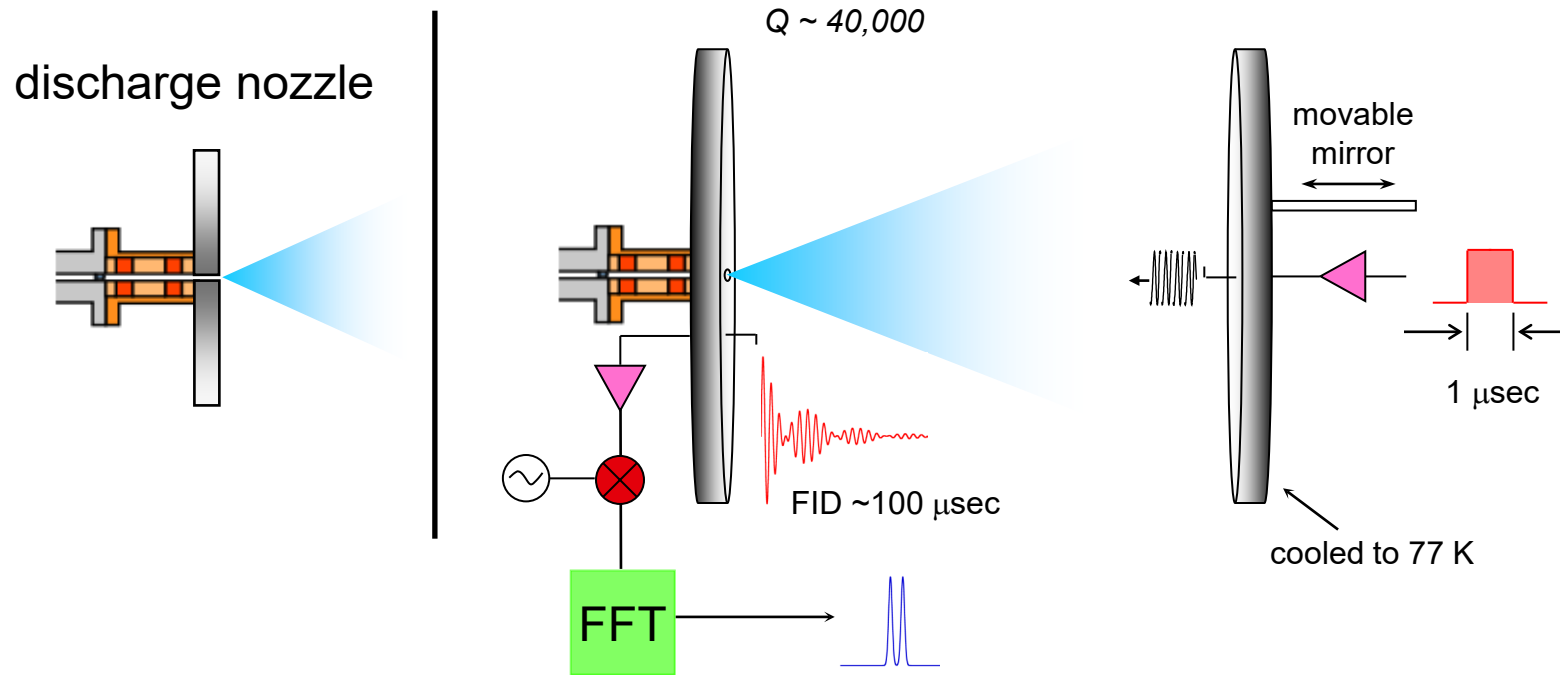


Lab: L. Margulès et al. PhLam Lille 69<sup>th</sup> ISMS (2014)  
 Astro: J. Li et al., ApJ 919 (2021) 4

# Fourier Transform Microwave Spectroscopy (FTMW)

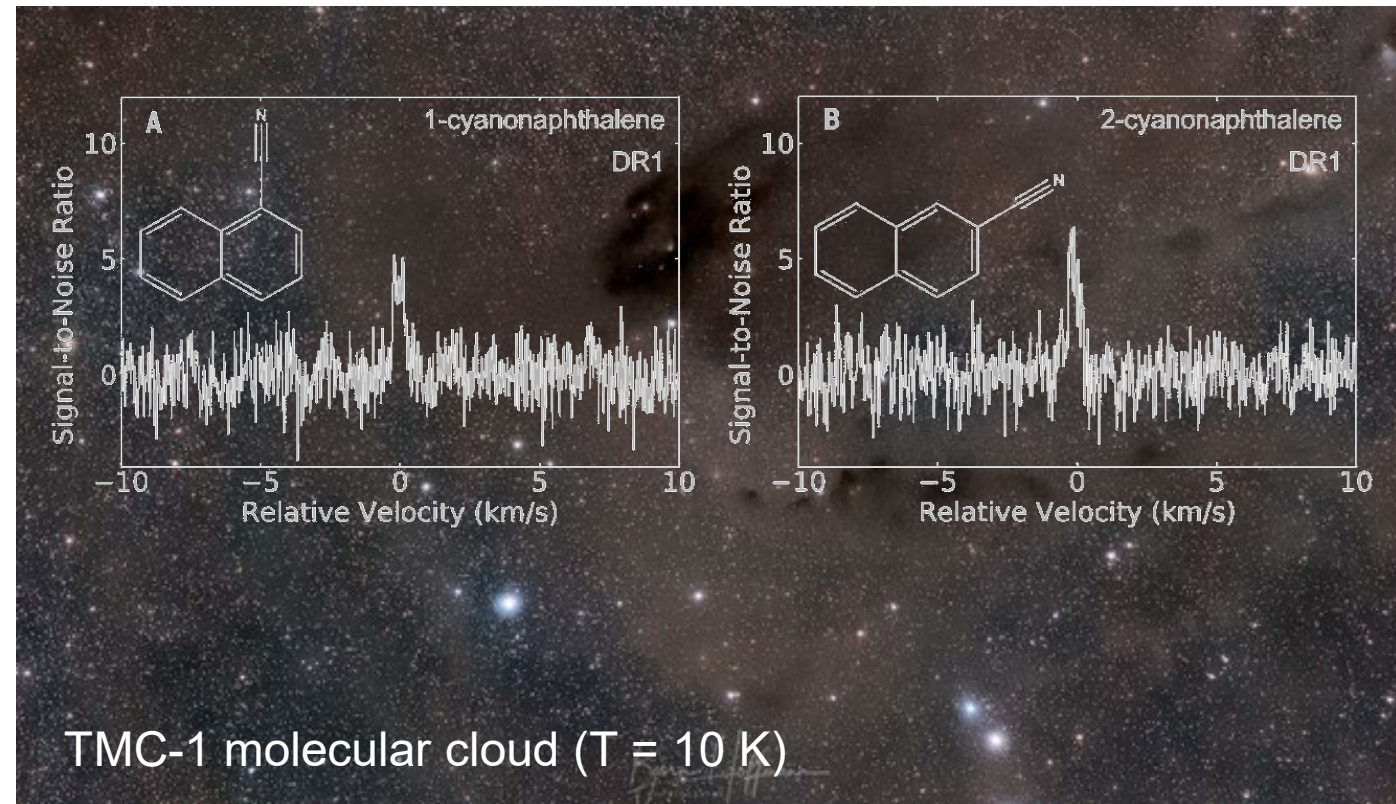
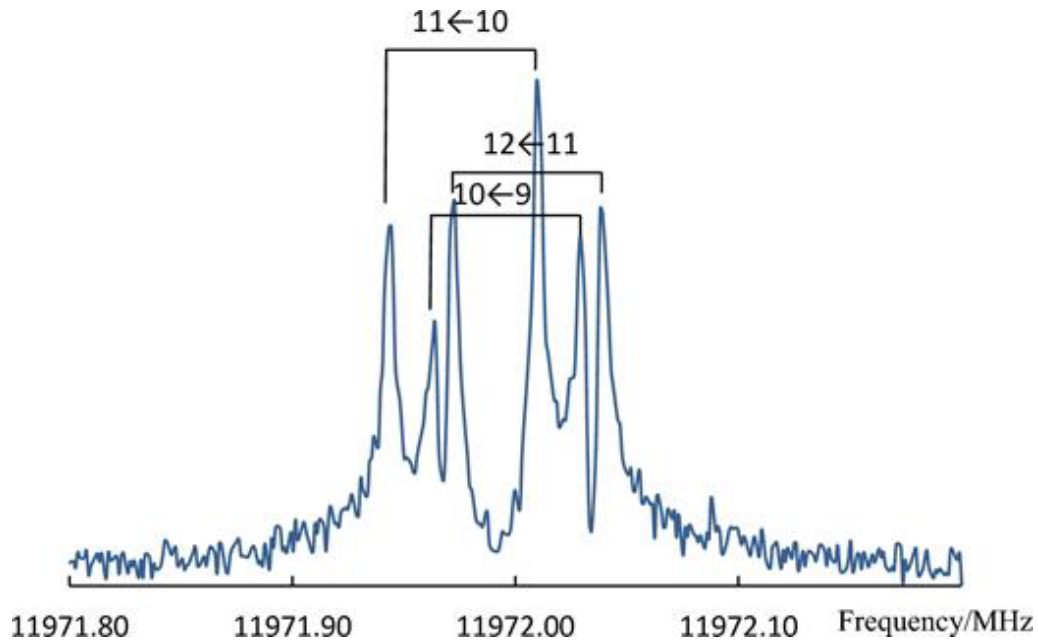
supersonic nozzle coupled to a high-Q Fabry-Perot cavity

Balle & Flygare,  
Rev. Sci. Instrum. 52 (1981) 33



- frequency range: 5 – 42 GHz line width: 20 kHz accuracy: 1-2 kHz bandwidth: 1 MHz
- High Q Fabry-Perot cavity for excitation and detection
- Molecular beam expansion leads to cooling of the molecules to few K (narrow lines, high population in low J states)
- Use discharges or laser ablation to produce molecules in gas phase

# FTMW Example I – Detection of cyanonaphthalene

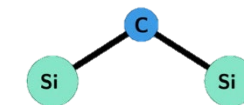


## Detection of two interstellar polycyclic aromatic hydrocarbons via spectral matched filtering

Brett A. McGuire<sup>1,2,3\*</sup>, Ryan A. Loomis<sup>2†</sup>, Andrew M. Burkhardt<sup>3†</sup>, Kin Long Kelvin Lee<sup>1,3</sup>, Christopher N. Shingledecker<sup>4,5,6</sup>, Steven B. Charnley<sup>7</sup>, Ilsa R. Cooke<sup>8</sup>, Martin A. Cordiner<sup>7,9</sup>, Eric Herbst<sup>10,11</sup>, Sergei Kalenskii<sup>12</sup>, Mark A. Siebert<sup>11</sup>, Eric R. Willis<sup>10</sup>, Ci Xue<sup>10</sup>, Anthony J. Remijan<sup>2</sup>, Michael C. McCarthy<sup>3</sup>

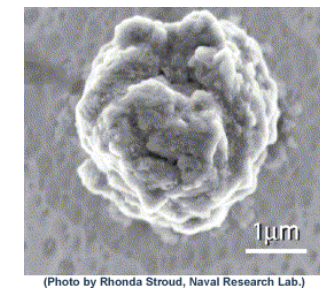
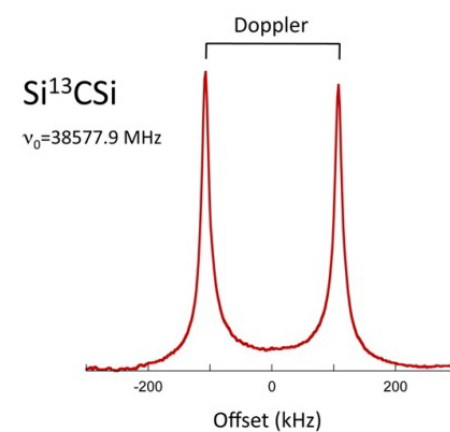
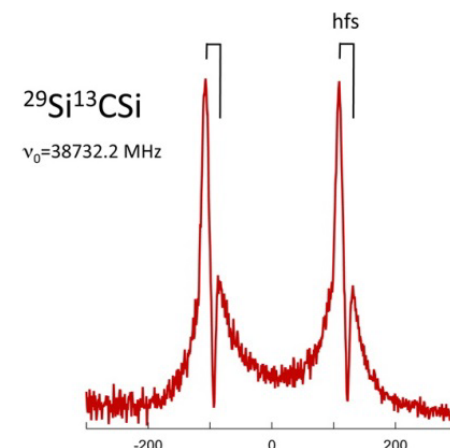
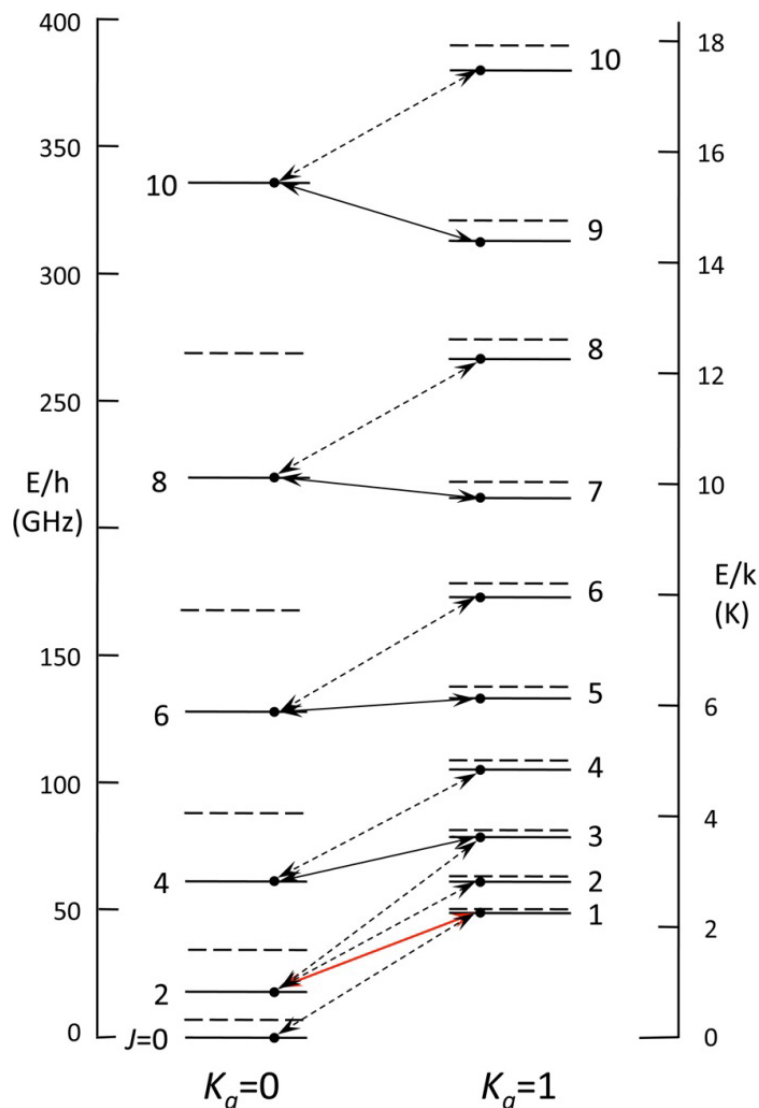
Lab: D. McNaughton et al., MNRAS 476 (2018) 5268  
Astro: B. McGuire et al., *Science* **371** (2021) 1265

# FTMW Example II Laboratory and Astronomical Detection of SiCSi

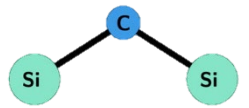


$\text{Si}_n\text{C}_m$  molecular species act as seeds for carbonaceous dust formation in C-rich AGB stars

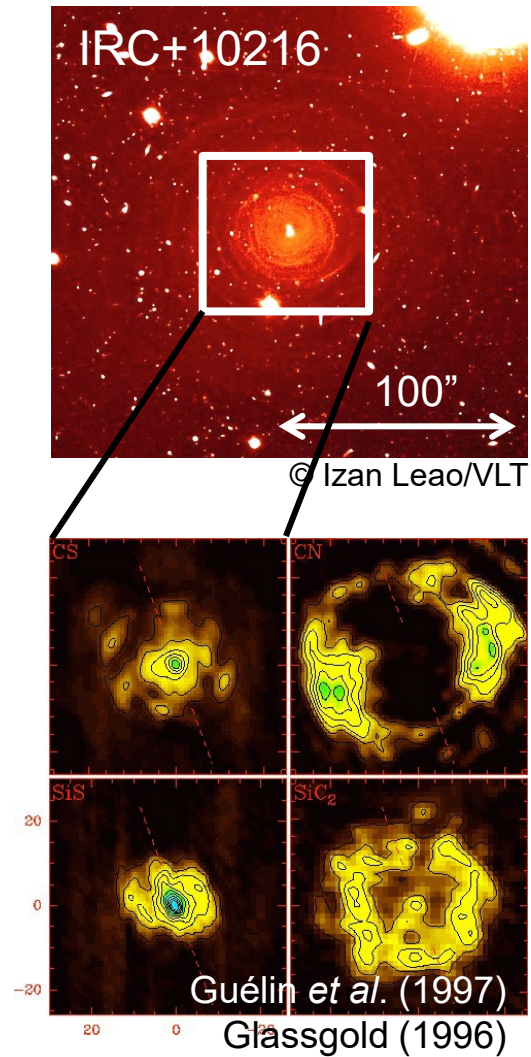
- discharge of  $\text{SiH}_4$  &  $\text{C}_2\text{H}_2$
- up to 12 lines for several isotopic species
- reliable transition frequencies
- structural analysis
- double-resonance experiments



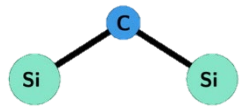
# FTMW Example II Laboratory and Astronomical Detection of SiCSi



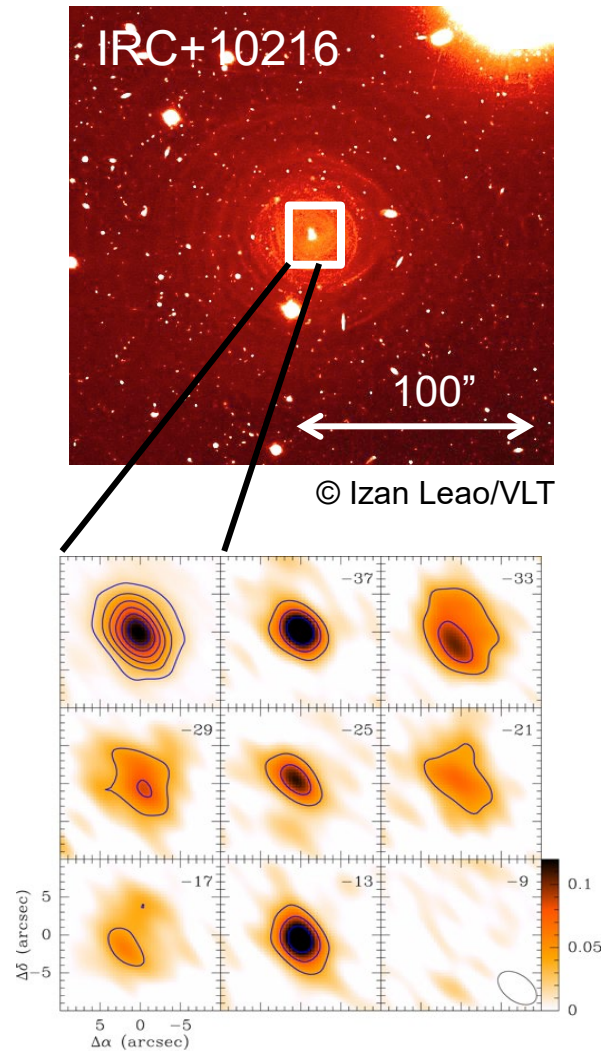
$\text{Si}_n\text{C}_m$  molecular species act as seeds for carbonaceous dust formation in C-rich AGB stars  
SiC & SiC<sub>2</sub> already detected in circumstellar envelope of the carbon-rich AGB star IRC +10216



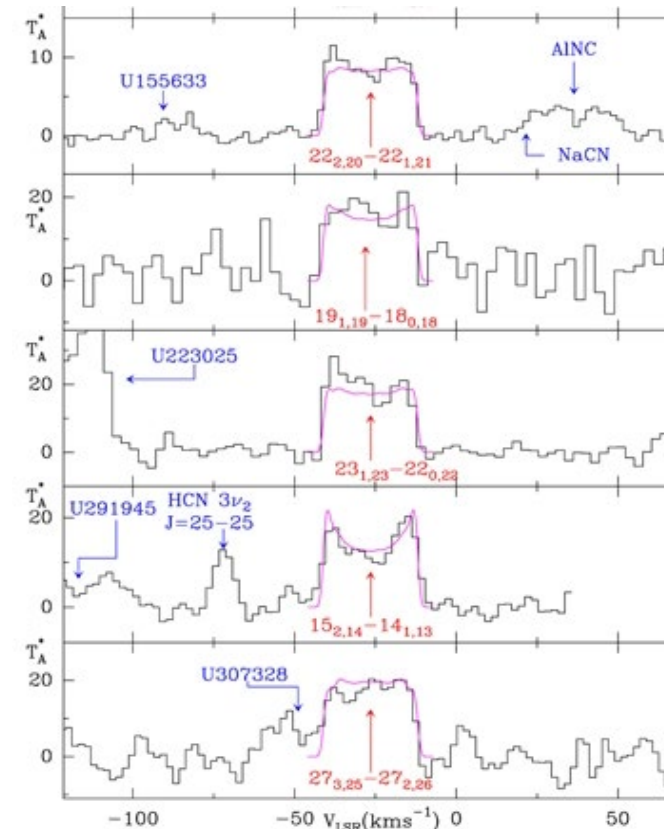
# FTMW Example II Laboratory and Astronomical Detection of SiCSi



$\text{Si}_n\text{C}_m$  molecular species act as seeds for carbonaceous dust formation in C-rich AGB stars  
 $\text{SiC}$  &  $\text{SiC}_2$  already detected in circumstellar envelope of the carbon-rich AGB star IRC +10216



IRAM 30m & SMA: >100 lines  
 (80-350 GHz)

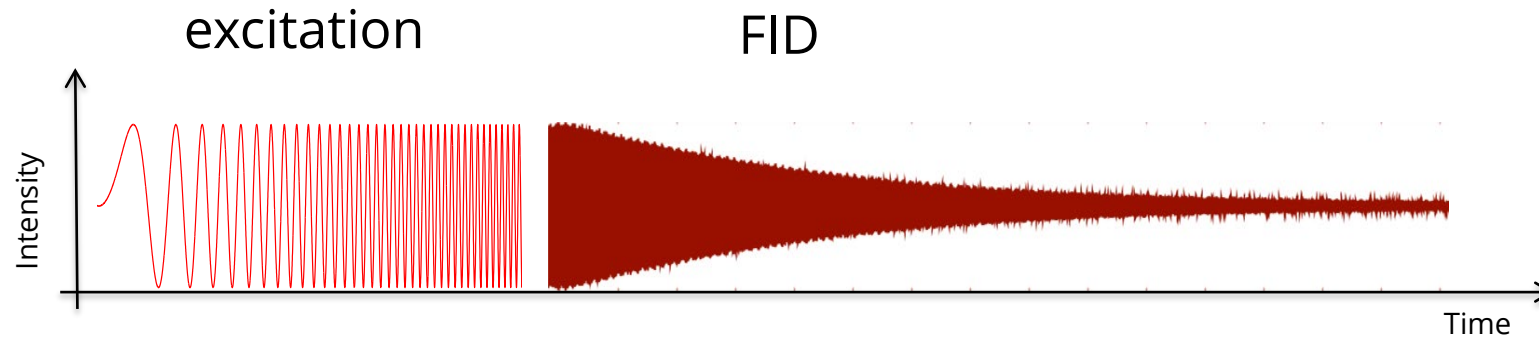


J. Cernicharo et al., ApJ 806(2015) L3

# Chirped-Pulse Fourier Transform Microwave (CP-FTMW)

With a cavity FTMW, the excitation bandwidth is limited to ~1 MHz due to the cavity Q!  
-> slow stepping through the frequency range

Solution: use a chirped pulse, containing many frequencies & no cavity!



Macroscopic Polarization

$$P \propto \mu^2 \cdot E_{Pulse} \cdot \frac{\Delta N_0}{\sqrt{\alpha}}$$

[G. Barratt Park et. al. 2011]

Dephasing of FID Signal

$$S_{FID} \propto \sin(\omega_{10}t) \cdot e^{-\frac{t}{T_1}} \cdot e^{-\frac{t}{T_2}}$$

$T_1$ : population lifetime  
 $T_2$ : coherence lifetime

[R. G. Bird 2011]

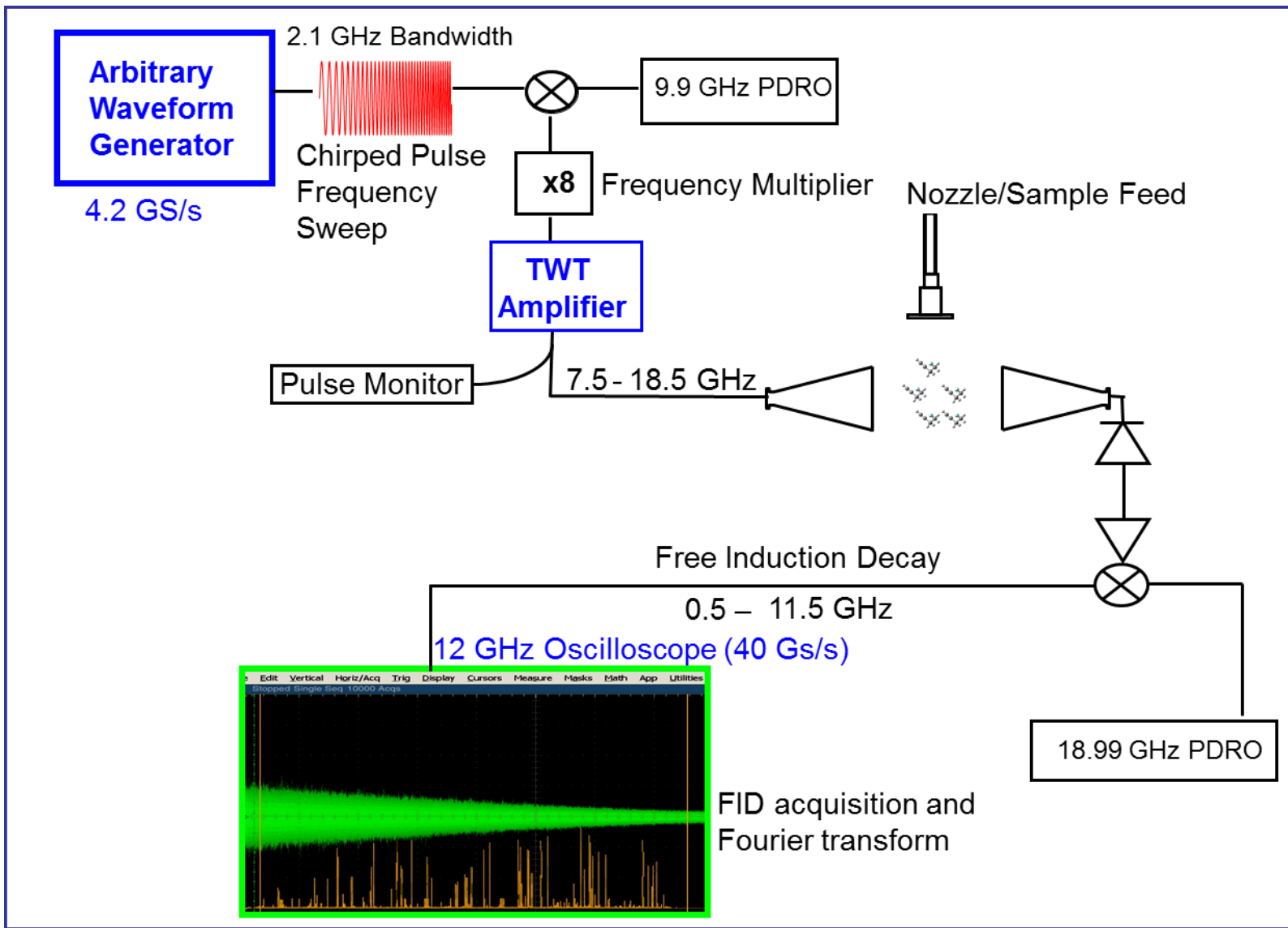
$\alpha$ : chirp rate

$\Delta N_0$ : original population difference

typically not enough power for  $\pi/2$  pulse -> only few percent polarization



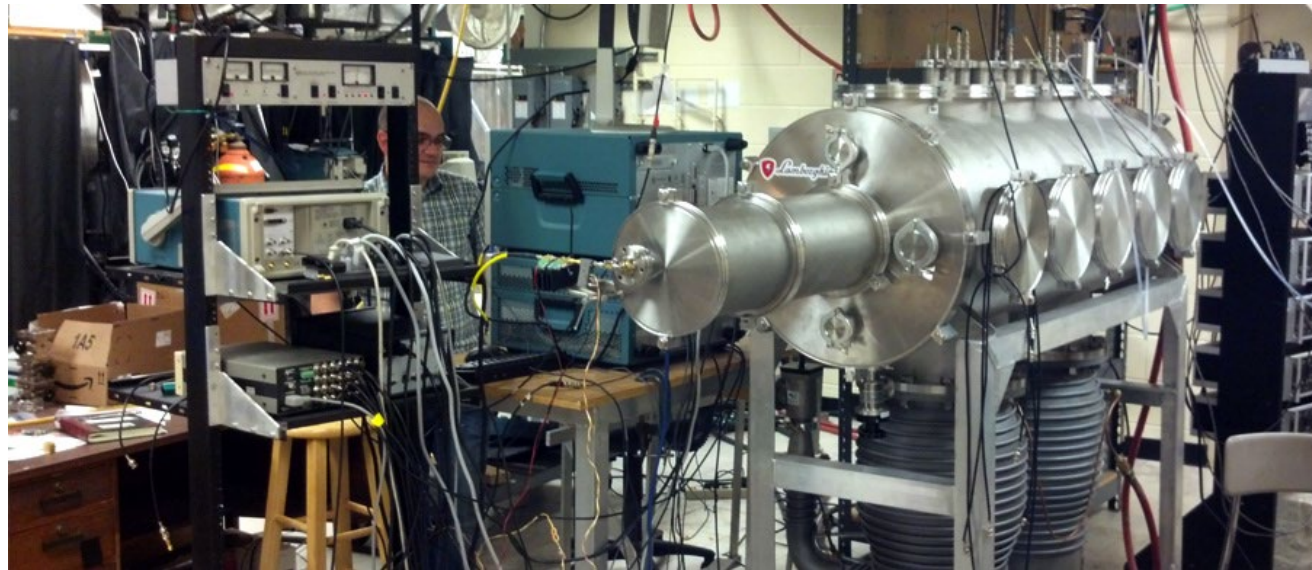
# Chirped-Pulse Fourier Transform Microwave (CP-FTMW)



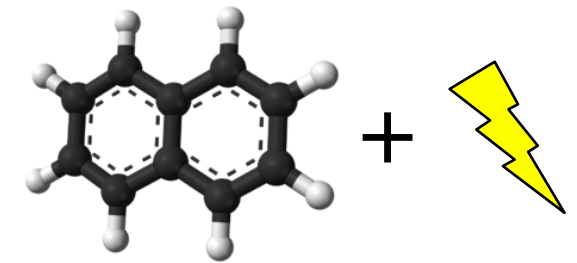
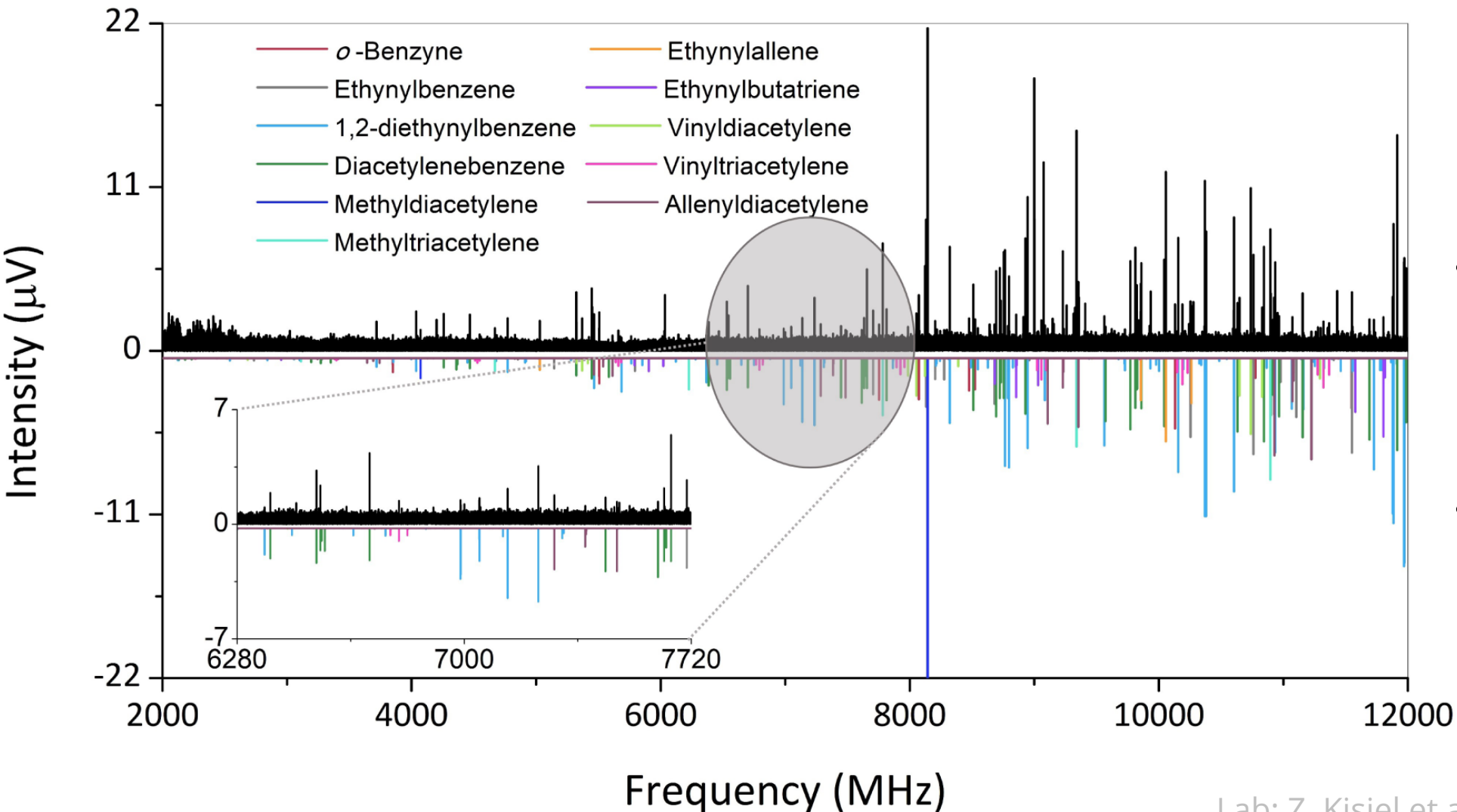
G.G. Brown et al., JMS 238 (2006) 200,  
Brooks Pate group, University of Virginia

# Chirped-Pulse Fourier Transform Microwave (CP-FTMW)

- fast spectrum acquisition:  $>10$  GHz in one go  
high sensitivity due to multiplexing  
accurate relative intensities
- complex species, search for unstable species, investigating chemistry
- extension up to the 1mm (300 GHz) region  
Steber et al., JMS 280 (2012) 3; Park et al. JCP 135, (2011) 024202
- used in many laboratories worldwide



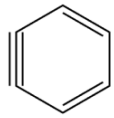
# CP-FTMW Example: Naphtalene discharge products



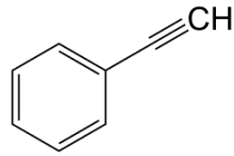
- Rotational lines of all products formed in a discharge of the PAH naphtalene!
- Most assigned and fitted to specific molecules

# CP-FTMW Example: Naphtalene discharge products

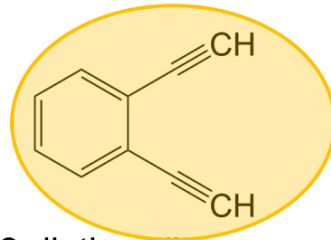
— Observed in MW benzene discharge  
— Observed in IR naphthalene discharge



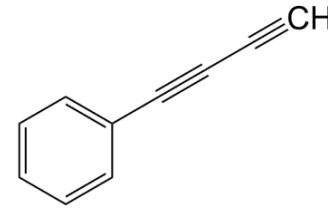
o-Benzyne



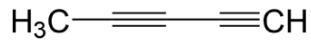
Ethynylbenzene



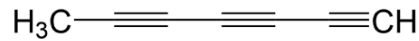
1,2-diethynylbenzene



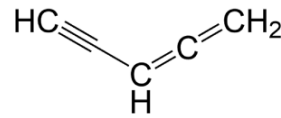
Diacetylenebenzene



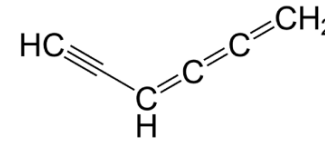
Methyldiacetylene



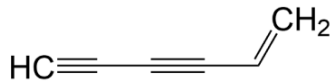
Methyltriacetylene



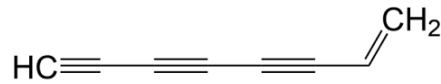
Ethynylallene



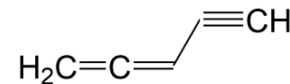
Ethynylbutatriene



Vinyldiacetylene



Vinyltriacetylene

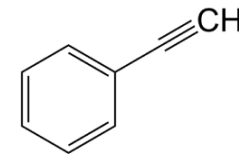
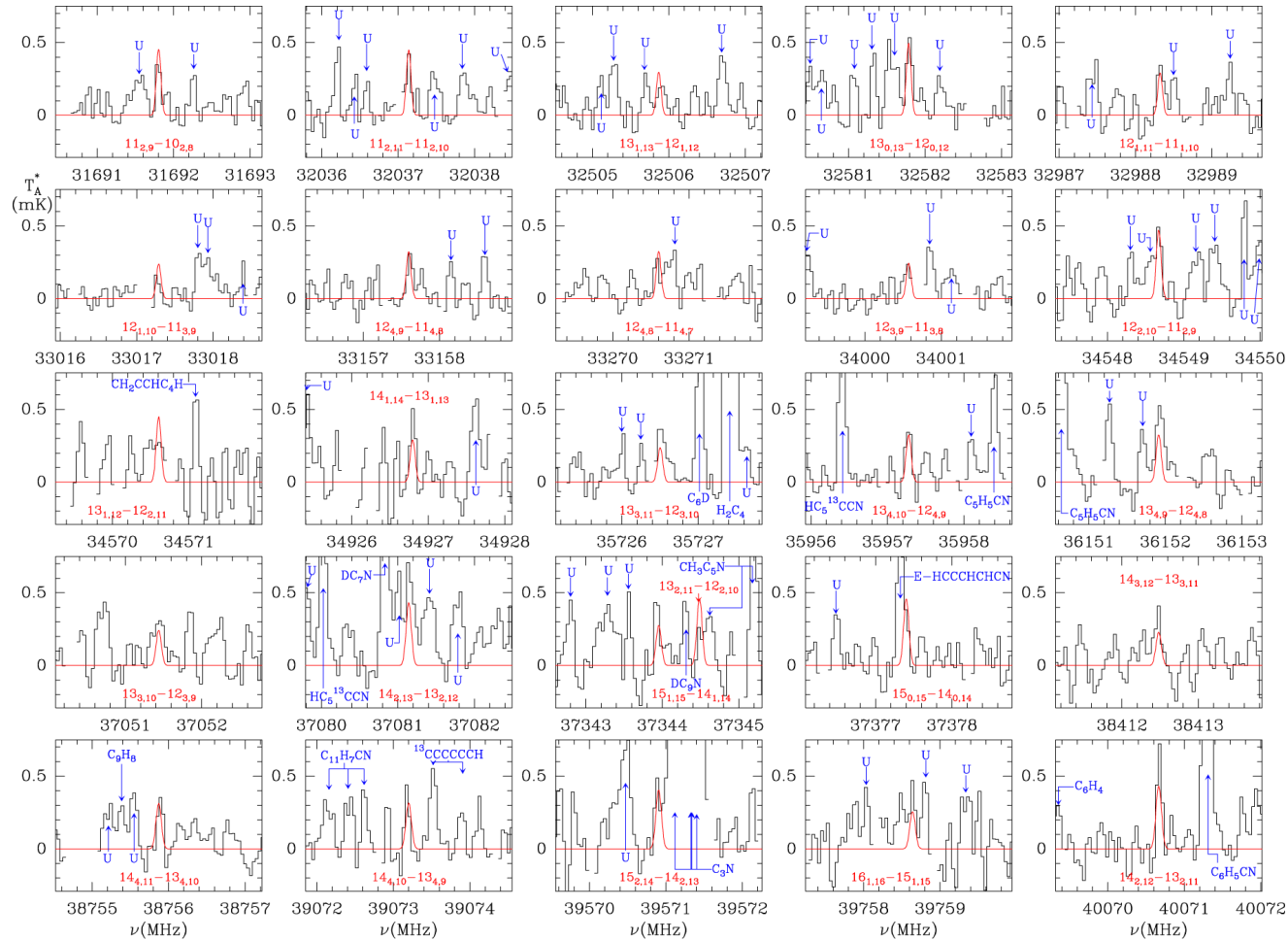
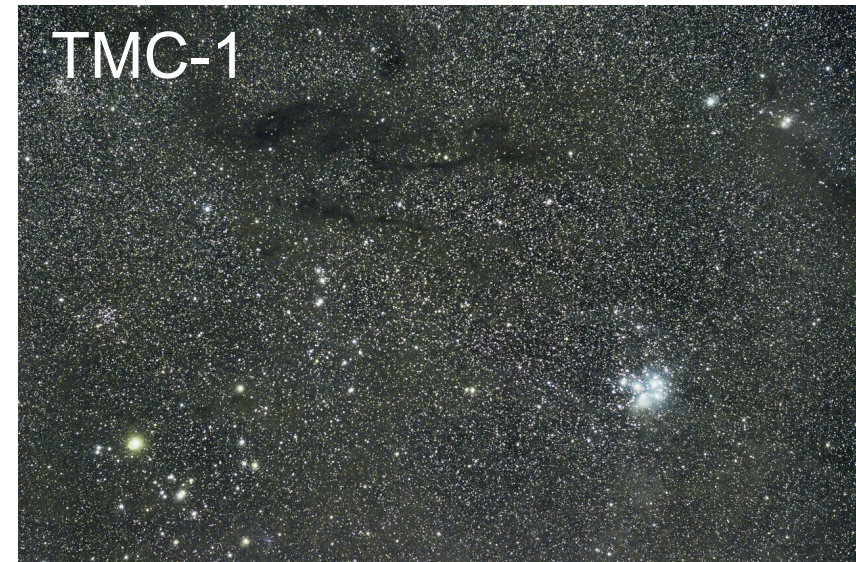


Alenyldiacetylene

- Rotational lines of all products formed in a discharge of the PAH naphthalene!
- Most assigned and fitted to specific molecules

# CP-FTMW Example: Naphtalene discharge products

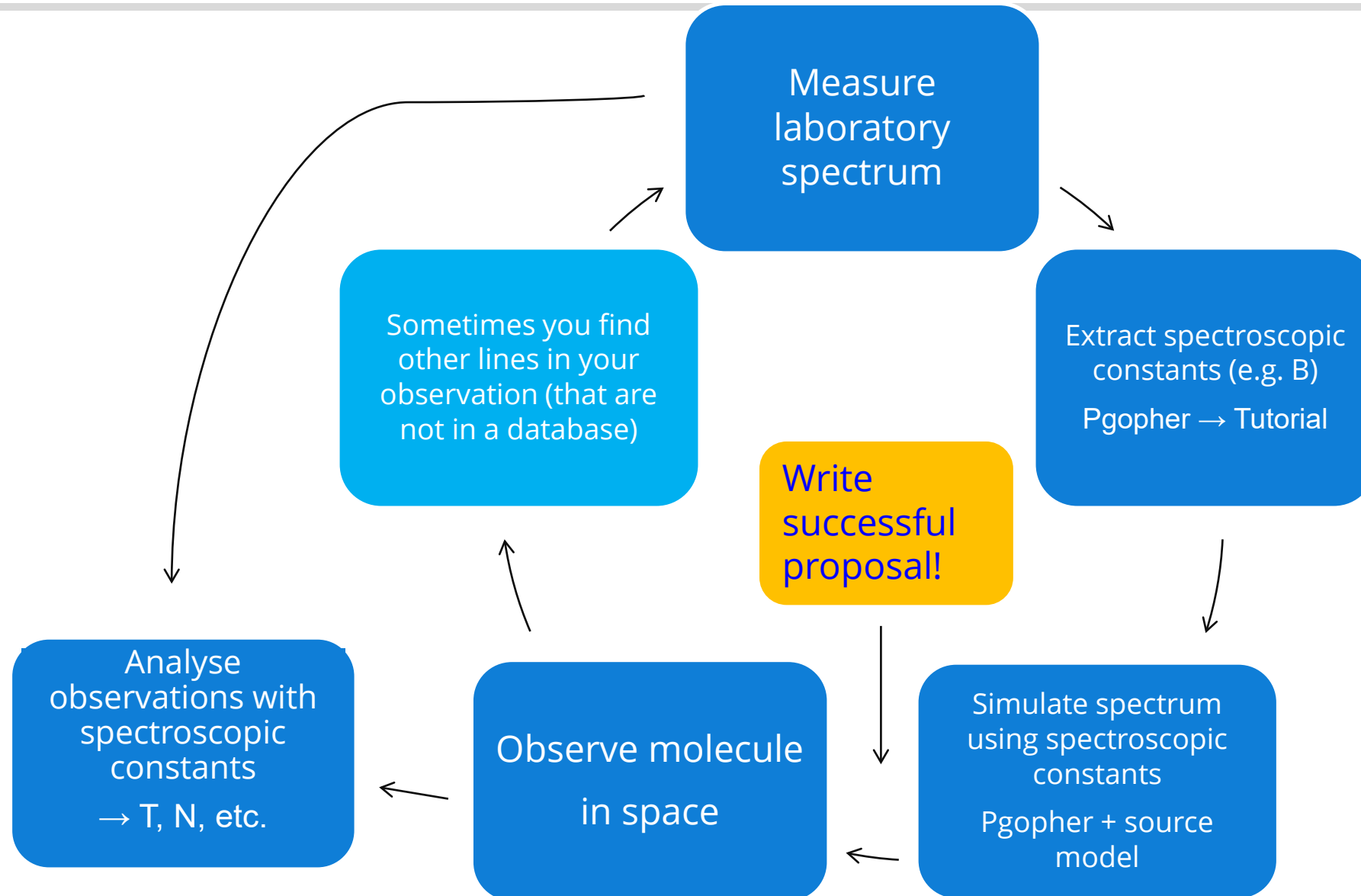
Confirmation of **ethynylbenzene** in TMC-1 ( $3.0(5) \cdot 10^{12} \text{ cm}^{-2}$ ) 😊  
 Diethynyl benzene not detected ( $< 2.0 \cdot 10^{12} \text{ cm}^{-2}$ ) 😞



- Main formation via reactions of benzene with CCH

Lab (chemistry): Jones et al., JPCA 114 (2010)  
 Lab & Astro: D. Loru et al., A&A 677 (2023) A166

# How to get from laboratory data to astronomical search



# Concept Test

---

Is it „easier“ to observe a molecule like CO or a complex molecule like indene?  
(assuming the same source temperature and dipole moment)

# Concept Test

Is it „easier“ to observe a molecule like CO or a complex molecule like indene?

(assuming the same source temperature and dipole moment)

Answer: Intensity „dilution“

$$\Delta T_B = N \frac{g_u c^3 h A_{ul}}{8k\pi v^2 \Delta v U(T)} e^{-\frac{E_u}{kT}} \quad U(T) = \sum g_i e^{-\frac{E_i}{kT}}$$

For a complex molecule with small rotational constant many rotational levels are populated, so the emission intensity is „spread“ over many transitions



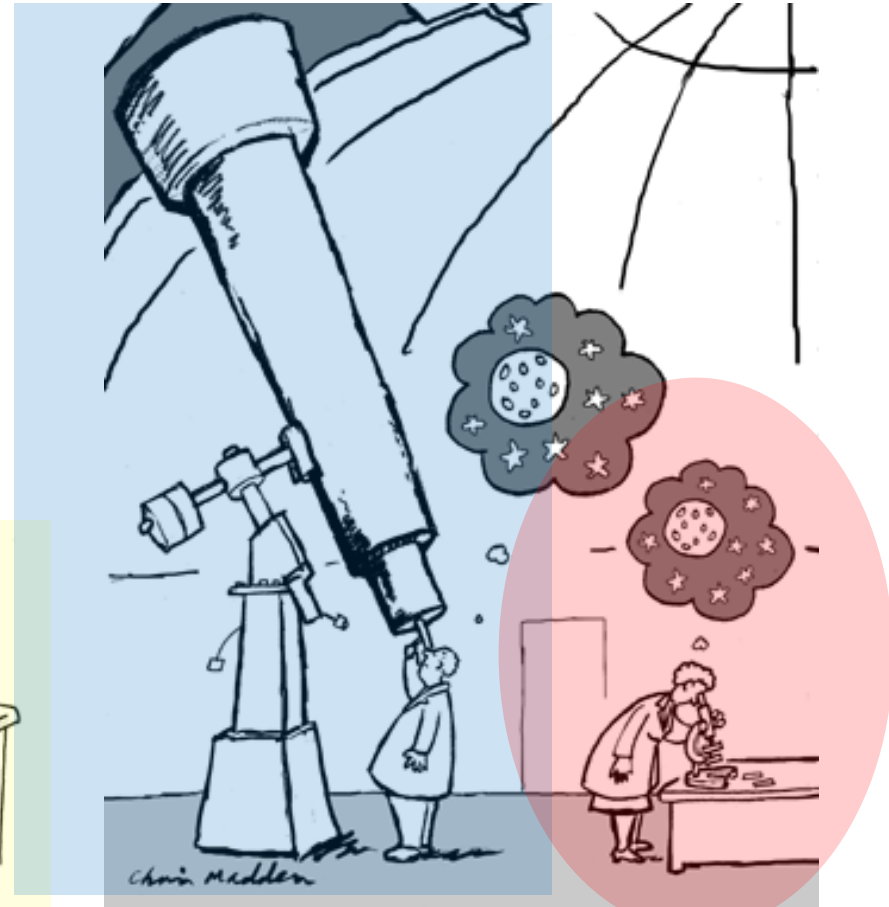
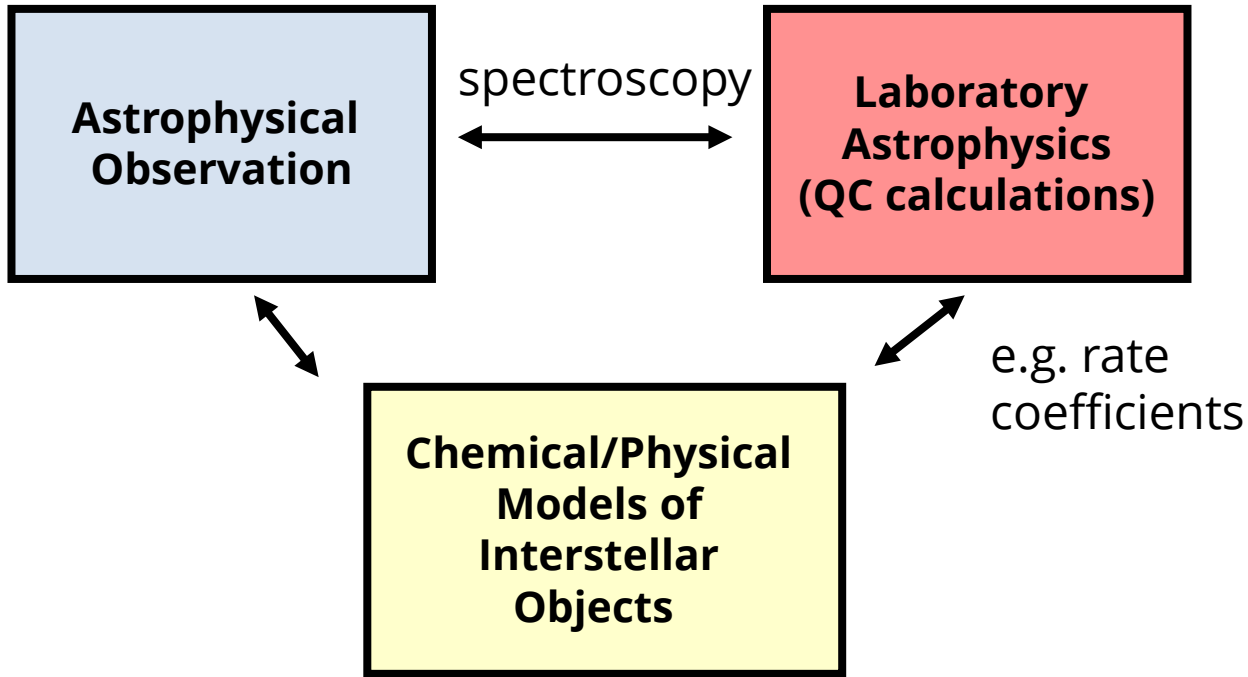
# Summary

- Molecules can be observed in different regions of the electromagnetic spectrum: from the **optical via the infrared to microwaves** – corresponding to **electronic, vibrational, and rotational transitions** in molecules
- Rotational transitions are well suited to observe **cold** molecular clouds
- Spectroscopy in the laboratory provides the **spectral fingerprint** needed to identify molecules in space
- Databases for rotational spectroscopy:
  - <https://cdms.astro.uni-koeln.de>
  - <http://www.vamdc.org/>
  - <https://spec.jpl.nasa.gov/>

# Challenges

- Calculations alone often not good enough for an unambiguous identification
- Each and every molecule (+ isotopes, vibrational states) needs to be measured and analysed, often thousands of lines – tedious
- Not all molecules (in particular radicals, ions) are easy to make, much experimental effort for new spectroscopic methods (action spectroscopy!)
- As an astronomer: please cite the laboratory work (not only the databases), so we get funding for this work

# Questions?



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