Getting Started with MontePython Solution to Exercises

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Abstract

This is a simple tutorial in order to introduce students to the use of the cosmological code MontePython. The exercises were designed for the Tutorial session "Bayesian estimation of cosmological parameters" held on the first day of the Cosmology School in the Canary Islands. This school was held in September 18-22 in Fuerteventura, Spain, and organized by the Instituto de Astrofísica de Canarias. The code MontePython (Audren et al., 2013) is a Bayesian parameter inference code for Cosmology. Its website is http://baudren.github.io/montepython.html

Step 0: Installation

As a requirement for completing this tutorial, one needs to install CLASS¹ and MontePython². The best way to avoid compilation problems in CLASS is to install a Python distribution such as Anaconda³. If you already have such distribution, you can safely skip its installation. Otherwise the following script should help. The installer for Anaconda will ask you some questions, to which you should answer 'yes'. Besides, if you do not want these codes to be installed just below your home folder, feel free to modify the ROOT environment variable.

```
#!/bin/bash
ROOT=$HOME

# Downloading and installing Anaconda+PySide
export VERSION=4.4.0-MacOSX-x86_64 # if you use Linux, export VERSION=4.4.0-Linux-x86_64
cd $ROOT
curl https://repo.continuum.io/archive/Anaconda2-$VERSION.sh -o Anaconda2-$VERSION.sh
bash Anaconda2-$VERSION.sh
export PATH="$ROOT/Anaconda2/bin:$PATH"
conda install -c https://conda.anaconda.org/anaconda pyside #necessary for GetDist GUI
```

This script will install CLASS (Lesgourgues, 2011), hi_class (Zumalacárregui et al., 2017), and MontePython (Audren et al., 2013). Again, one can set up the ROOT environment variable to modify the installation target folder.

```
#!/bin/bash
# Install hi_class
cca smull
curl https://codeload.github.com/miguelzuma/hi_class_public/zip/hi_class -o hi_class.zip
umzip hi_class.zip
mv hi_class_public-hi_class hi_class
mw mr_class_public-nr_class nr_class
make all -j
export STRING='ls -1 /Users/ajcuesta/class_public/python/build/ |head -n1'
export STRING=${STRING:4}
 export PYTHONPATH=$ROOT/hi_class/python/build/lib.$STRING/:$PYTHONPATH
echo -e "\nexport PYTHONPATH=$ROOT/hi_class/python/build/lib.$STRING/:\$PYTHONPATH" >> ~/.bashro
# Install CLASS
export VERSION=2.6.1
cd $ROOT
curl https://codeload.github.com/lesgourg/class_public/zip/v$VERSION -o class_public.zip
unzip class_public.zip
mv class_public-$VERSION class_public
cd class_public
make all -j
mark ail "] rexport STRING='1s -1 /Users/ajcuesta/class_public/python/build/ |head -n1' export STRING=${STRING:4} export PYTHONPATH=$ROOT/class_public/python/build/lib.$STRING/:$PYTHONPATH
echo -e "\nexport PYTHONPATH=$ROOT/class_public/python/build/lib.$STRING/:\$PYTHONPATH" >> ~/.bashrc
# Install MontePython
export VERSION=2.2
cd $ROOT
 curl https://codeload.github.com/baudren/montepython_public/zip/$VERSION -o montepython_public.zip
unzip montepython_public.zip
mv montepython_public-$VERSION montepython_public
mv montepytnon_public-svension montepytnon_public
cd montepython_public
cp default.conf.template default.conf
sed -i -e '/root/d' default.conf
echo -e "root='$R00T'" >> default.conf
echo -e "path['cosmo'] = root+'/class_public'" >> default.conf
echo -e "path['clik'] = root+'/plc-2.0'" >> default.conf
cp default.conf.template hi-class.conf
sed -i -e '/root/d' bir.class conf
sed -i -e '/root/d' hi-class.conf
echo -e "root='$ROOT'" >> hi-class.conf
echo -e "path['cosmo'] = root+'/hi_class'" >> hi-class.conf
echo -e "path['clik'] = root+'/plc-2.0'" >> hi-class.conf
```

 $^{^1 {}m http://class-code.net/}$

²http://baudren.github.io/montepython.html

³http://www.continuum.io

Step 1: Writing the parameter file

Our goal is to reproduce the cosmological constraints from type-Ia supernovae in the paper by Betoule et al. (2014).

We base our parameter file on the file jla.param. Note that the JLA likelihood requires four nuisance parameters, so it is necessary to add them to the parameter file. On top of that, we will require (see Section 6 of Betoule et al. 2014) that we vary also the parameter Ω_m , or indirectly, the parameter $\Omega_{\rm cdm}$. In addition, we will ask MontePython to compute the parameter Ω_{Λ} , which (in this model $\Lambda{\rm CDM}$) can be derived as a function of the free parameters $(\Omega_{\Lambda}=1-\Omega_m)$. In this way we will have Ω_{Λ} at each MCMC step added to the chains, so that we do not have to compute that information later, which would require a little extra effort (see MontePython's documentation for the -m Der option).

```
data.experiments=['JLA']
# Cosmological parameters list
data.parameters['Omega_cdm'] = [0.2562, None, None, 0.008, 1, 'cosmo']
# Nuisance
                                     None, None, 0.001, 1, 'nuisance']
data.parameters['alpha']
                          = [0.15,
                          = [3.559, None, None, 0.020, 1, 'nuisance']
data.parameters['beta']
                         = [-19.02, None, None, 0.004, 1, 'nuisance']
data.parameters['M']
data.parameters['Delta_M'] = [-0.10, None, None, 0.004, 1, 'nuisance']
# Derived parameter list
data.parameters['Omega_m']
                              = [0,
                                        -1, -1, 0,1, 'derived']
data.parameters['Omega_Lambda'] = [0,
                                        -1, -1, 0,1, 'derived']
data.cosmo_arguments['Omega_b'] = 0.05
data.N=10
data.write_step=5
```

Note that in the Λ CDM model there is no need to vary additional parameters with this dataset, since distances in this model will only depend on Ω_m and H_0 , and H_0 is completely degenerate with the absolute magnitude M of the standard supernova. We can save the above input file as $lcdm_jla.param$ in MontePython's main folder, and we are ready to run our first chains.

Step 2: Running the chains

Before we start running chains that use the JLA likelihood, MontePython requires to download the JLA data from the official website. We provide another script for that:

```
#!/bin/bash
ROOT=$HOME

# Download JLA data
cd $ROOT
curl http://supernovae.in2p3.fr/sdss_snls_jla/jla_likelihood_v4.tgz -o jla_likelihood_v4.tgz
tar xvzf jla_likelihood_v4.tgz
mkdir $ROOT/montepython_public/data/JLA/
cp jla_likelihood_v4/data/* $ROOT/montepython_public/data/JLA/
```

Once the parameter file lcdm_jla.param has been set up, we can type mkdir lcdm; mkdir lcdm/jla to create the output folder (following the recommended structure cosmological_model/dataset_combination). We want to run several chains to provide different initial conditions to sample the parameter space, and to ensure unimodality of the probability distribution. We also want to sample the distribution with a large number of points because of the high-dimensionality of the parameter space⁴. To run 4 chains for 10000 steps, using MontePython.py run, we do the following:

```
for n in {1..4} do python montepython/MontePython.py run -p lcdm_jla.param -o lcdm/jla/ -N 10000 done
```

On a laptop, this should take about 3 minutes for each 1000 points computed, so about half an hour per chain. If this is run sequentially (e.g. in a single-core processor) it would take about 2 hours to run all four chains. On the other hand, if one has a multi-core processor, appending the & symbol at the end of the do command will try to run each instance of MontePython in a different core, so in a 4-core processor it would run all chains simultaneously, taking half an hour to complete all of them. Alternatively, if you have Python's mpi4py module installed, you can replace the do loop with this command:

mpirun -np 4 python montepython/MontePython.py run -p lcdm_jla.param -o lcdm/jla/ -N 10000

⁴Remember that MontePython does not stop automatically when a convergence criterion is met, so one has to perform exploratory runs to study how many points can be enough.

Step 3: Analyzing the results

Now that we have several tens of thousand points sampling our (5-dimensional) parameter space, we can obtain parameter constraints, probability distribution function plots for each parameter, and contour plots showing the marginalized 2-dimensional constraints for each pair of parameters, which are useful to visualize correlations between parameters. Also, we can obtain information about the convergence of our chains given the value of the R-1 diagnostic. To obtain all these details, we simply run MontePython.py info on our output folder:

python montepython/MontePython.py info lcdm/jla/

Running the chains to good convergence falls beyond the point of this short session. However, as pointed out in MontePython's documentation http://monte-python.readthedocs.io/en/latest/ one can obtain acceptable R-1 values (i.e. below 0.01 for every parameter) with an iterative strategy: running a series of short ($\sim 10^3$ points) can help estimate a (noisy, but informative) parameter covariance matrix that can be used as an input for a second set of larger chains (with $\sim 10^4$ points) that need to be output to a different directory. The covariance matrix can be generated with the --want-covmat option of MontePython.py info, and the corresponding lcdm/jla/jla.bestfit and lcdm/jla/jla.covmat files can be input to MontePython.py run with the --bestfit and --covmat options respectively. Alternatively, one can avoid this iterative strategy by using the recent --update option, which updates the parameter covariance matrix on-the-fly. A value of 300-500 steps in this --update option is usually recommended.

Note that one can check if the sampling the parameter space is efficient by running MontePython.py info to check the acceptance rate in the Metropolis-Hastings algorithm. The target should be a value between 20% and 25% of the points being accepted. If it falls towards a very different value, one can rerun the chains with a different step size parameter by adjusting the -f option of MontePython.py run to a different value to the default value of 2.4. One can obtain a short explanation for this value by running MontePython.py run --help.

The computed constraints will be written to the files lcdm/jla/lcdm_jla.v_info and lcdm/jla/lcdm_jla.h_info, and the generated plots will be saved to the folder lcdm/jla/plots. However, sometimes we might not be interested in obtaining the constraints from all parameters (in particular from the nuisance ones), so we can leave them out from our plots. In order to do this, we have to use the --extra option of MontePython.py info. This option takes as an argument the name of a file containing customization options. For example, we can write the following file and save it to lcdm_jla.extra:

```
info.to_plot = {'Omega_m', 'alpha', 'beta', 'Delta_M'}
```

Once we do this, we run MontePython.py info again, but this time with the customizations contained in the lcdm_jla.extra file:

python montepython/MontePython.py info lcdm/jla/ --no-mean --extra lcdm_jla.extra

This will generate the file lcdm/jla/plots/jla_triangle.pdf which is similar to Figure 9 in Betoule et al. (2014) (except that the plots are displayed in a lower-triangular arrangement, and in a different order):

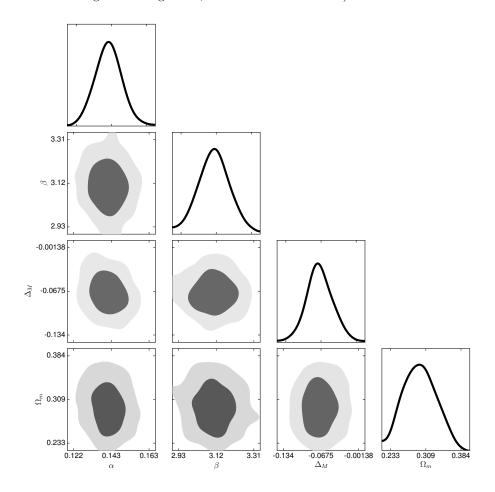


Figure 1: Constraints from the JLA dataset on the Λ CDM cosmological model, including nuisance parameters from such dataset.

Constraining a different cosmological model

We have successfully computed constrains on the $\Lambda \mathrm{CDM}$ model from the JLA dataset. If we are interested in constraining a different model (using this very same dataset), we can simply specify the parameters that define such model in the input parameter file, by defining the boundary values and an initial estimate of their expected value and uncertainty. For example, if we are interested in constraining the $o\text{-}\Lambda \mathrm{CDM}$ model, in which the spatial curvature is a free parameter, the parameter file (which will be saved with a file name that reflects the difference in the model, i.e. $olcdm_jla.param$) will contain an additional entry in the cosmological parameters list:

```
data.experiments=['JLA']
# Cosmological parameters list
data.parameters['Omega_cdm'] = [0.2562, None, None, 0.008, 1, 'cosmo']
data.parameters['Omega_k'] = [0.00, None, None, 0.008, 1, 'cosmo']
# Nuisance
data.parameters['alpha'] = [0.15, None, None, 0.001, 1, 'nuisance']
data.parameters['beta'] = [3.559, None, None, 0.020, 1, 'nuisance']
                         = [-19.02, None, None, 0.004, 1, 'nuisance']
data.parameters['M']
data.parameters['Delta_M'] = [-0.10, None, None, 0.004, 1, 'nuisance']
# Derived parameter list
                             = [0,
data.parameters['Omega_m']
                                       -1, -1, 0,1, 'derived']
data.parameters['Omega_Lambda'] = [0,
                                       -1, -1, 0,1, 'derived']
data.cosmo_arguments['Omega_b'] = 0.05
data.N=10
data.write_step=5
```

We can take advantage that we have forced MontePython.py run to compute the parameter Ω_{Λ} and to save it to our chain files, so that we can now use it to make a plot of the constraints in the Ω_m - Ω_{Λ} plane that can be compared to Figure 15 in Betoule et al. (2014). In this case, we can edit our lcdm_jla.extra file so that it now contains this:

```
import matplotlib.pyplot as plt
info.to_plot = {'Omega_m', 'Omega_Lambda'}
info.cmaps = [plt.cm.Blues, plt.cm.Greens, plt.cm.Reds_r, plt.cm.Oranges, plt.cm.Purples, plt.cm.gray_r]
info.cm = ['b', 'g', 'r', 'darkorange', 'purple', 'k']
```

If we run MontePython.py info with this extra file and the --all option to output every subplot and data in separate files, we will obtain the file lcdm/jla/plots/lcdm_jla.pdf which can be readily compared to Figure 15 in Betoule et al. (2014):

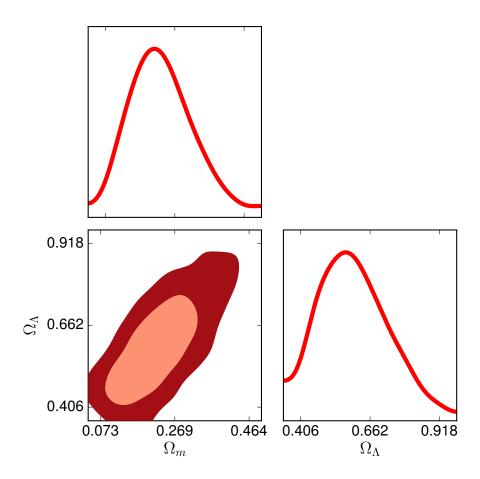


Figure 2: Constraints in the $\Omega_m - \Omega_\Lambda$ plane of the $o\text{-}\Lambda\text{CDM}$ model from the JLA dataset.

Beyond the basics

The above steps have allowed us to compute cosmological constraints that can be compared to the recent literature and to generate publication-ready plots that can be customized to our best scientific interests. One aspect we have not covered, however, is how to code a (simple) likelihood that allows us to combine the JLA dataset with constraints from Cosmic Microwave Background (CMB) data, at least at the background level⁵. We will call these the CMB distance priors. We will use the combination of these two datasets to constrain a slightly more general cosmological model, the wCDM model, in which the dark energy is no longer described by a cosmological constant but by a fluid with an equation of state (the relation between the fluid's pressure and its energy density) equal to w. The Λ CDM model is a particular case of this model in which w=-1.

In order to do this, let us create a folder below montepython/likelihoods with the name distance_prior. This would serve as a replacement for using Planck if we are only interested in using the constraints at the background level and not on the perturbations (i.e. on the parameters Ω_b , $\Omega_{\rm cdm}$, and H_0 , but not on A_s or n_s , nor on $\tau_{\rm reio}$). This should be much faster than running Planck's full likelihood, and hence this exercise is suitable to be run on a laptop.

As described in MontePython's documentation⁶, a likelihood is just a directory which contains a data file and a __init__.py file. Following equation 18 in Betoule et al. (2014), our likelihood is computed as shown in the following file⁷, saved as montepython/likelihoods/distance_prior/__init__.py:

⁵The installation of the full *Planck* likelihood is out of the scope of this school and its execution for a large number of points is too slow for a laptop.

⁶http://monte-python.readthedocs.io/en/latest/likelihoods.html

 $^{^7{}m This}$ is based on the test_gaussian likelihood contained in the folder montepython/likelihoods.

Then, we just need to define our fiducial (measured) Planck+WP values for the parameters $\Omega_b h^2$, $\Omega_{\rm cdm} h^2$, and $100\theta_s$ together with their covariance matrix, also measured by Planck+WP. These are specified in equations 19 and 20 of Betoule et al. (2014). In order to avoid doing a matrix inversion every MCMC step, instead of coding the covariance matrix, we will store its inverse. These values are saved into montepython/likelihoods/distance_prior/distance_prior.py:

```
# Planck+WP 2013 best fit values for the compressed likelihood {omega_b, omega_cdm, 100*theta_s}.
# (following eq.19 & eq.20 of arXiv:1401.4064,
# see Table 4 of arXiv:1502.01590 for updated values with Planck 2015)
import numpy as np

distance_prior.centre = [0.022065, 0.1199, 1.041]
distance_prior.invcov = [[ 1.98527408e7, 0.09401318e7, -0.23904972e7], \
[ 0.09401318e7, 0.02267473e7, 0.02045338e7], [-0.23904972e7, 0.02045338e7, 0.33599883e7]]
```

Once we have written these two files, we have coded a new likelihood that can be readily used by MontePython. In particular, since we are interested in computing CMB+SNe constraints on the wCDM model, the parameter file should look like this:

```
data.experiments = ['distance_prior','JLA']
#----- Parameter list -----
# data.parameters[class name] = [mean, min, max, 1-sigma, scale, role]
\# - if min max irrelevant, put to -1 or None (if you want a boundary of -1, use -1.0)
# - if fixed, put 1-sigma to 0
# - if scale irrelevant, put to 1, otherwise to the appropriate factor
# - role is either 'cosmo', 'nuisance' or 'derived'
# Cosmological parameters list
data.parameters['omega_b'] = [ 2.2253, None, None, 0.028, 0.01, 'cosmo'] data.parameters['omega_cdm'] = [ 0.1120, None, None, 0.0016, 1, 'cosmo']
data.parameters['100*theta_s'] = [ 1.0418,
                                                     None, None,
                                                                       3e-4,
                                                                                 1, 'cosmo']
                                                                       0.05,
data.parameters['w0_fld']
                                     = [ -1.000,
                                                     None, None,
                                                                                 1, 'cosmo']
# Nuisance
data.parameters['alpha'] = [0.15 , None, None, 0.001, 1, 'nuisance']
data.parameters['beta'] = [3.559, None, None, 0.02, 1, 'nuisance']
data.parameters['M'] = [-19.02, None, None, 0.004, 1, 'nuisance']
data.parameters['Delta_M'] = [-0.10, None, None, 0.004, 1, 'nuisance']
# Derived parameter list
data.parameters['H0']
                                     = [0, None, None, 0, 1, 'derived']
data.parameters['H0'] = [0, None, None, 0, 1, 'derived']
data.parameters['Omega_m'] = [0, None, None, 0, 1, 'derived']
data.parameters['OmegaO_fld'] = [0, None, None, 0, 1, 'derived']
data.cosmo_arguments['Omega_Lambda'] = 0
#---- Mcmc parameters ----
# Number of steps taken, by default (overwritten by the -N command)
# Number of accepted steps before writing to file the chain. Larger means less
# access to disc, but this is not so much time consuming.
data.write_step=5
```

Now we can make a plot that can be compared to Figure 16 in Betoule et al. (2014), at least for the Planck+WP+JLA dataset combination. We will make this plot using CosmoMC's graphical interface for analysis, named GetDist GUI. Since this GUI has been developed in Python, we do not need to compile CosmoMC for this. Instead, we just use the command python python/GetDistGUI.py to launch the interface. To download CosmoMC we can use this script:

```
ROOT=$HOME
# Download CosmoMC (no compilation, just for GetDist GUI)
export VERSION=Nov2016
 cd $ROOT
\verb|curl https://codeload.github.com/cmbant/CosmoMC/zip/$VERSION -o CosmoMC.zip| | CosmoMC.zip| 
unzip CosmoMC.zip
cd CosmoMC-$VERSION/
export PYTHONPATH="$ROOT/CosmoMC-$VERSION/python:$PYTHONPATH"
 echo -e "\nexport PYTHONPATH=$ROOT/CosmoMC-$VERSION/python:\$PYTHONPATH" >> ~/.bashrc
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                                   -0.90
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                                   -1.10
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0.250 0.275 0.300 0.325 0.350 0.375
                                                                         0.275 0.300 0.325 0.350 0.375
                                                                                                                                                                                                                                                                                                                                 \Omega_m
                                                                                                                      \Omega_m
```

#!/bin/bash

Figure 3: Constraints in the w- Ω_m plane of the w-CDM model from the JLA dataset together with CMB distance priors (left) and color-coded according to their corresponding value of the Hubble constant (right).

Acknowledgments

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