

# How do protostars get their mass?

Phil Myers

Harvard-Smithsonian Center for Astrophysics

Origin of Stellar Masses • Tenerife, Spain • October 18, 2010

# Introduction

## How does nature make...

a star?

a star of particular mass?

a star of particular mass in a cluster?

## The cluster problem:

*> 100 stars in ~ 1 pc in ~ 1 Myr*

*centrally condensed distribution*

*masses follow IMF*

*central massive stars*

*dense filamentary gas*



Ser S cluster (Gutermuth et al 2008)

# Outline

stars	origin models: stars, IMF, clusters
cores	cores and stars core boundaries core-clump accretion
infall	what stops infall distribution of durations
models	core-clump accretion, equally likely stopping filamentary cluster
summary	

# Models of stellar mass origin

gravitational infall  
*What limits infall?*

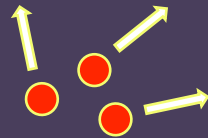
well-studied versions of basic process (geometry, eqn of state, B, J)  
leading candidates:



initial structure

*core boundary*  
 $n \sim r^p, p > 3$   
*B tension, AD*  
thermal BE sphere  
turbulent core

*gravitational competition*  
neighbor stars, cores



stellar dynamics

*ejection*  
*moving accretion*  
("competitive accretion")

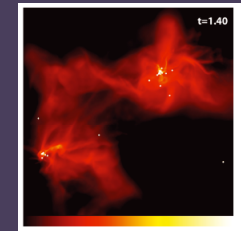


gas dispersal

*stellar feedback*  
outflows  
ionization  
rad heating

*large scale flows*

*Basu, Nakamura, Glover, Bate talks*



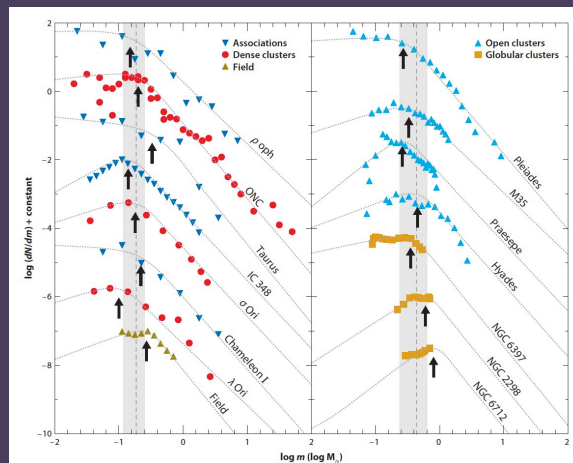
combination

*turb fragmentation*  
*ejection*  
*moving accretion*  
(Bate 09)

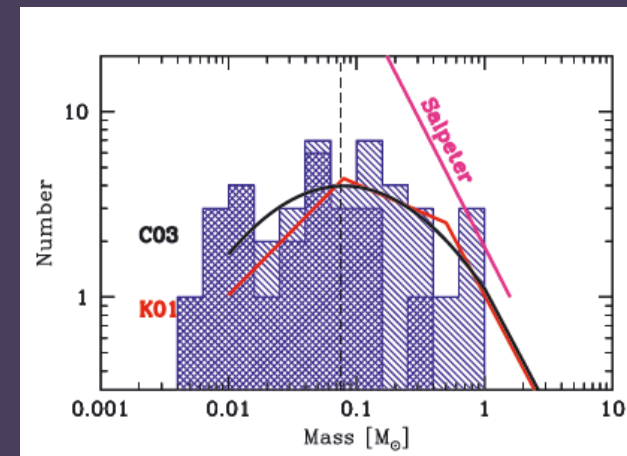
# Stellar mass and the IMF

**Mass** fundamental property of stellar evolution. Early models – “low” and “high”

**IMF** a major property of star formation, clusters, seen in many settings (Kroupa 02, Chabrier 05, Bastian, Covey & Meyer 10); log-normal + Salpeter power-law



BCM 10



Bate 09

**IMF Models** *cores*: ambipolar diffusion; gravoturbulent fragmentation (HD, MHD)  
*protostars*: collapse of bounded or unstable region; accretion of seed or sink cell

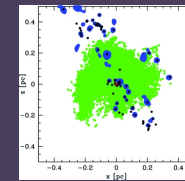
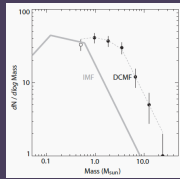
*Bouvier, Lodieu, Luhman, Chabrier, Kroupa, Hartmann talks, Dib poster*

Zinnecker 82, Adams & Fatuzzo 96, Elmegreen 97, Padoan & Nordlund 02, Larson 03, Shu et al 04, Klessen et al 04, Bonnell et al 06, Elmegreen 08, Hennebelle & Chabrier 08, Kunz & Mouschovias 09, Bate 09

# Does core mass set star mass?

*Stars are **born** in collapsing cores*

core = local max of  $n, N$ , with  $M \approx M_{\star}$   
protostars are associated with cores



Y

N

*core boundary limits accretion*  
*one core, one star*  
core density profile  $\sim$  BES  
CMF  $\sim$  IMF  
massive stars - turbulent cores

?

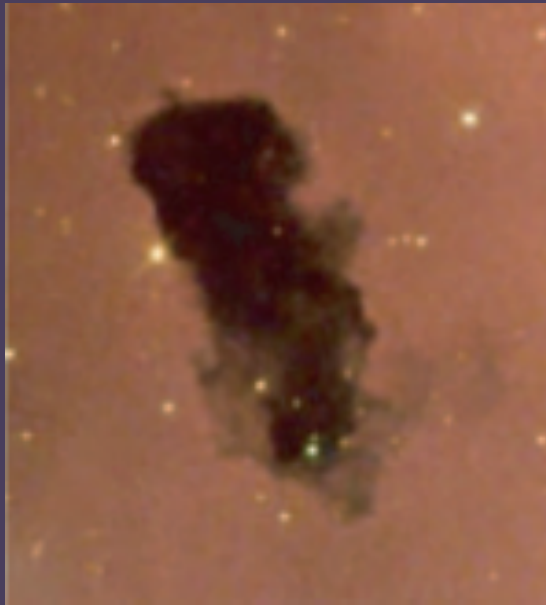
*accretion from beyond core*  
*one clump, many cores, many stars*  
turbulent fragmentation  
competitive accretion

*André, Ward-Thompson, Chabrier, Peretto, Clark, Moeckel talks, Smith poster*

Alves, Lombardi & Lada 07, Bacmann et al 00, Beichmann et al 86, Bonnell, Bate, & Vine 03, Bonnell, Vine & Bate 04, Larson 69, McKee & Tan 2003, Motte, Andre & Neri 98, Myers & Benson 83, Shu 77, Smith, Longmore & Bonnell 10, Wang, Li, Abel & Nakamura 10

# Cores with boundaries

cold dense globules bounded by transition to hot rarefied medium



Reipurth 03

Thackeray 3 in H II  
region IC2944

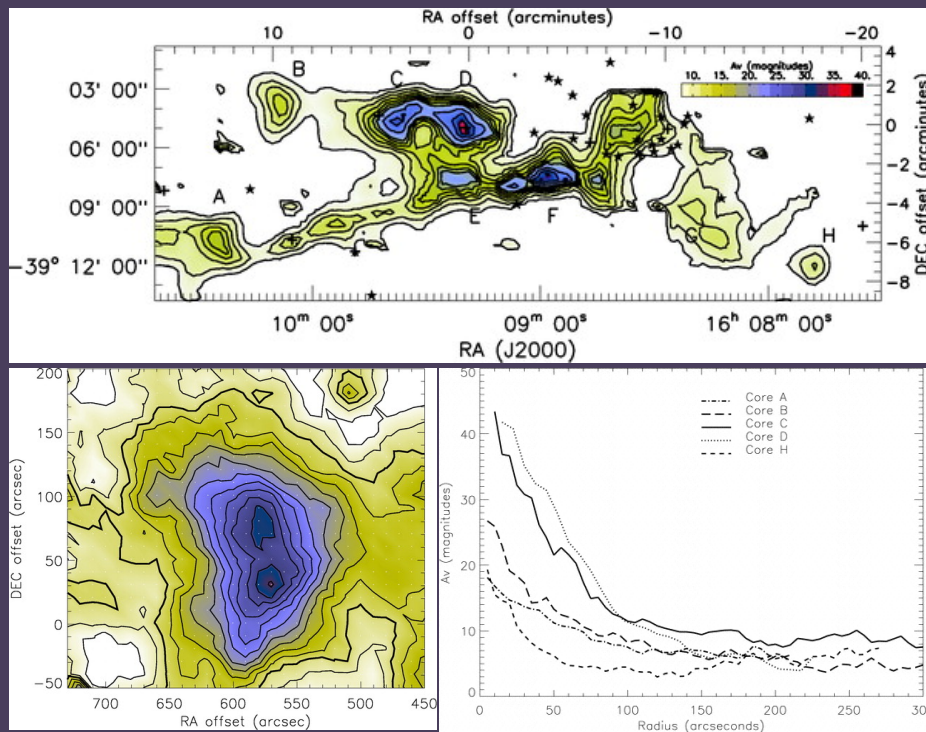


Alves, Lada & Lada 01

Barnard 68 in Loop I superbubble  
from Sco-Cen OB Association

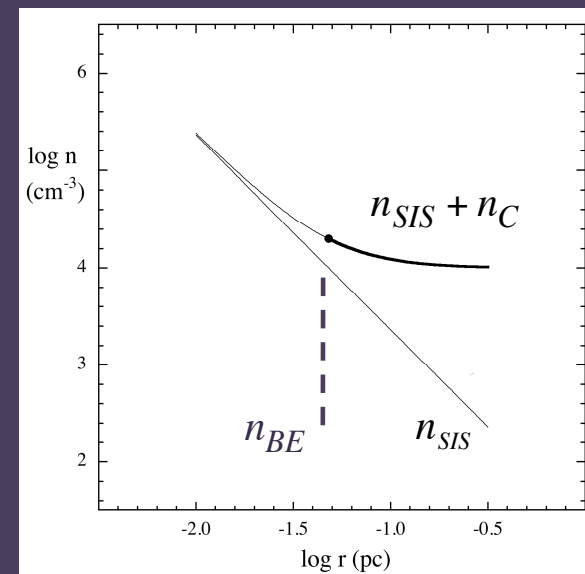
# Cores without boundaries

Steep-slope cores in shallow-slope clump  
 No mass boundary as in BE model



Lupus Teixeira, Lada & Alves 05  
 Perseus Kirk, Johnstone & Di Francesco 06

Model: core in clump  
 Clump = core environment  
 No unique free-fall time

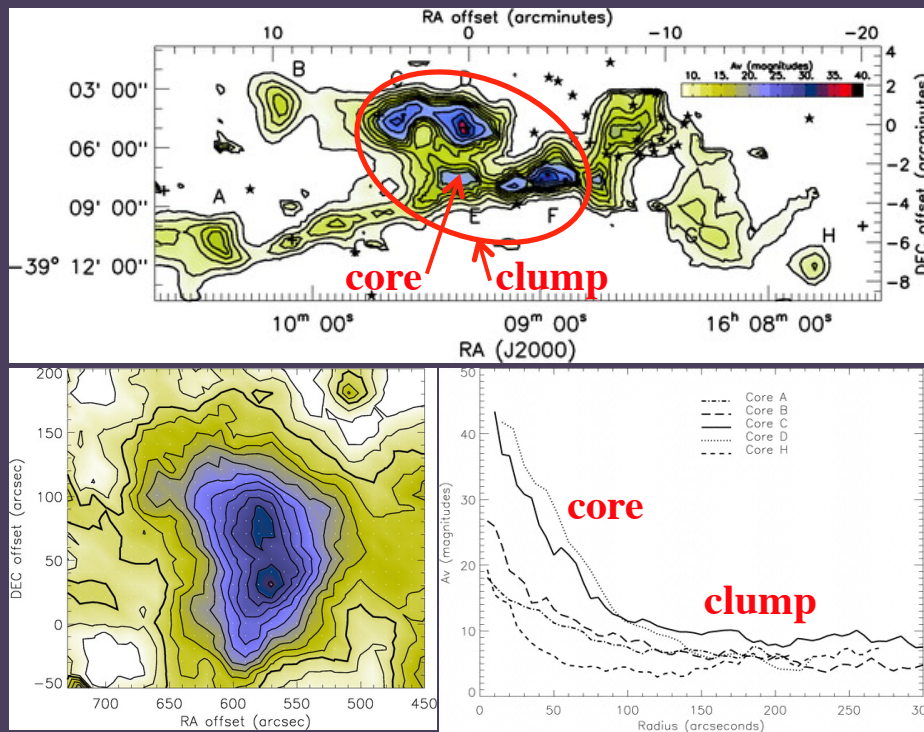


Myers 09

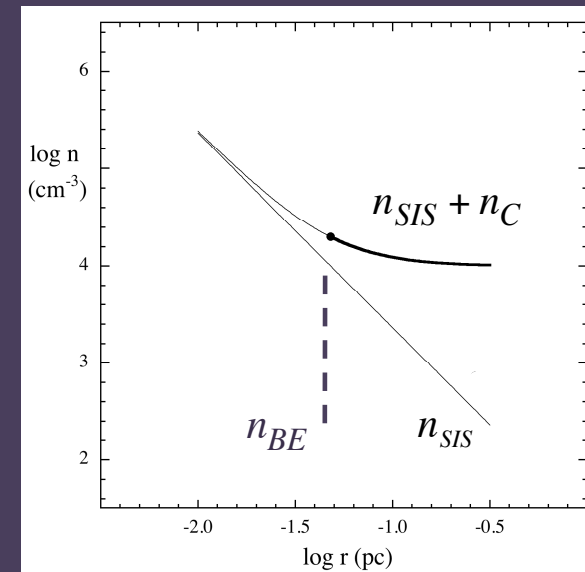


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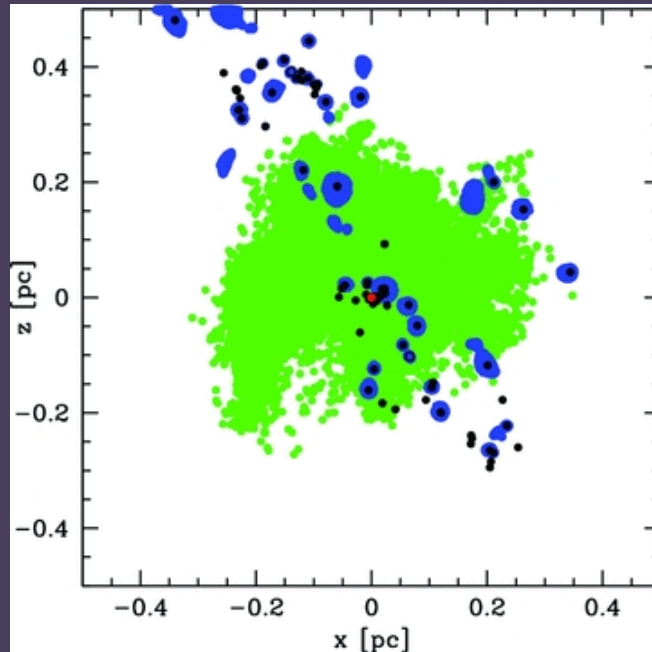
Lupus Teixeira, Lada & Alves 05  
Perseus Kirk, Johnstone & Di Francesco 06

Myers 09

# Do massive stars exceed their core mass?

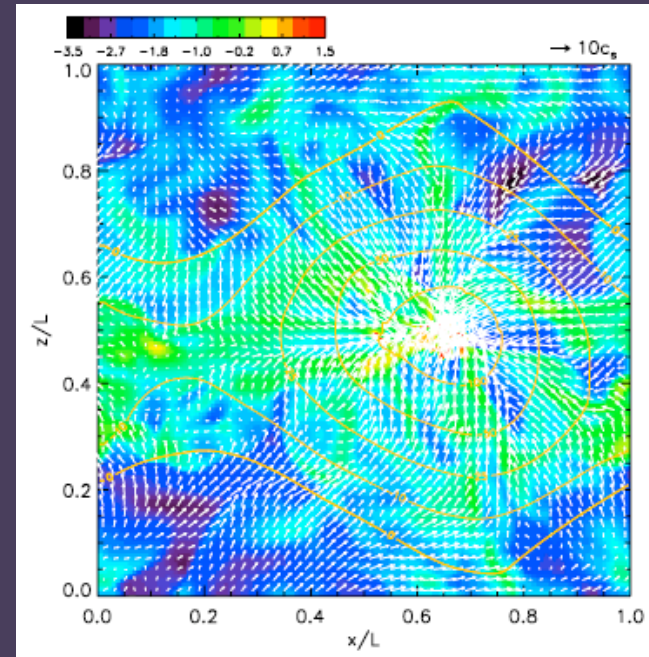
simulations

massive star originates in clump



Smith, Longmore & Bonnell 10

at center of clump potential well



Wang et al 10

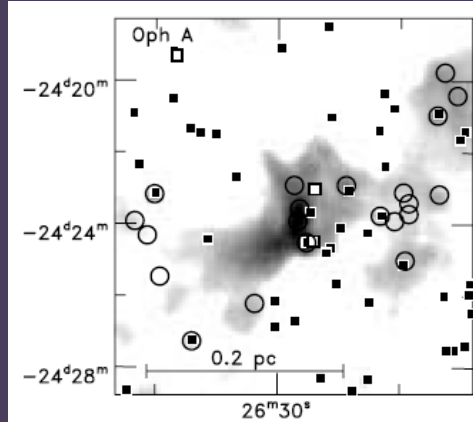
observations

“Monolithic” massive cores break into many smaller units, in high-resolution SMA observations: G28.34+0.06 (Zhang et al 09), NGC6334 I(N) (Brogan et al 09)

*Bontemps, Tan, Csengeri talks*

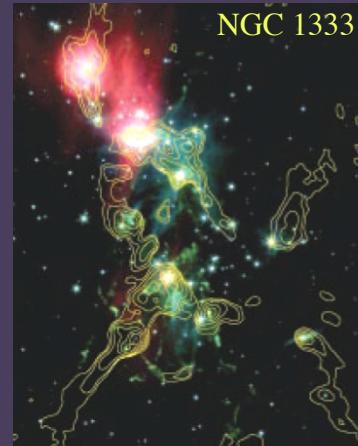
# What stops infall?

We know infall stops...



Cores disappear after  $\ll 1$  Myr  
Jørgensen et al 08

But we don't know how

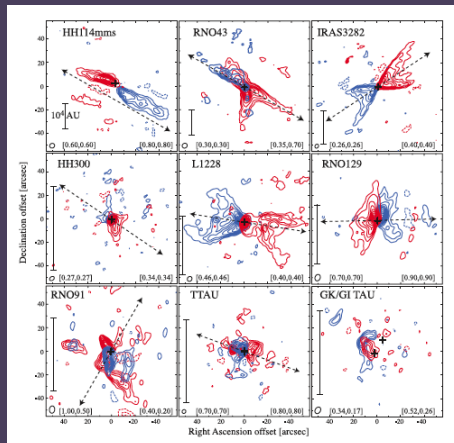


Cluster partly revealed after  
 $\sim 1$  Myr Walawender et al 08

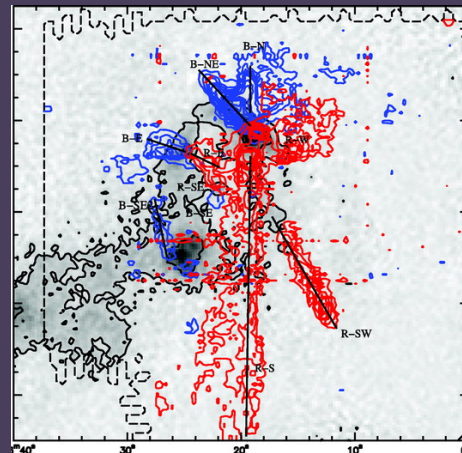
Stellar feedback: outflows  
massive star rad'n, winds  
ionization, evaporation

dynamical ejection  
competitive accretion  
combination of effects  
*key problem (SAL 87)*

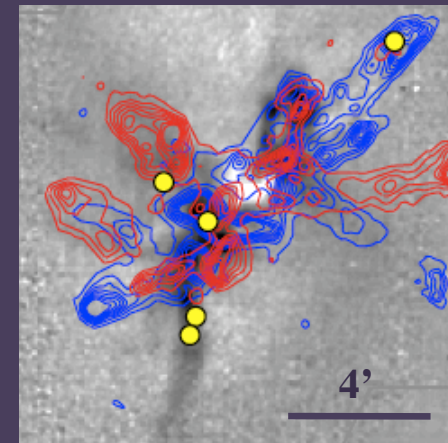
*Phan-Bao, Stamatellos talks*



Outflow lobes broaden over time  
Arce & Sargent 06



Multiple outflows disrupt  
L1641-N Stanke & Williams 07



Serpens Greaves et al 10

# How are infall durations distributed?

## Infall duration

No unique free-fall time

Ejection, dispersal, competition stop infall

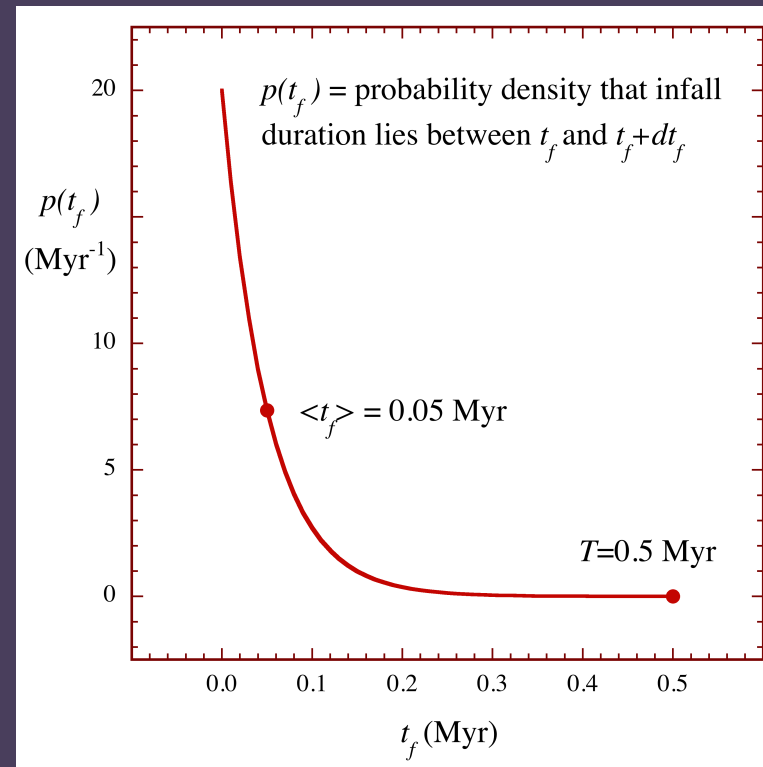
Agents act asynchronously

True distribution? *key problem*

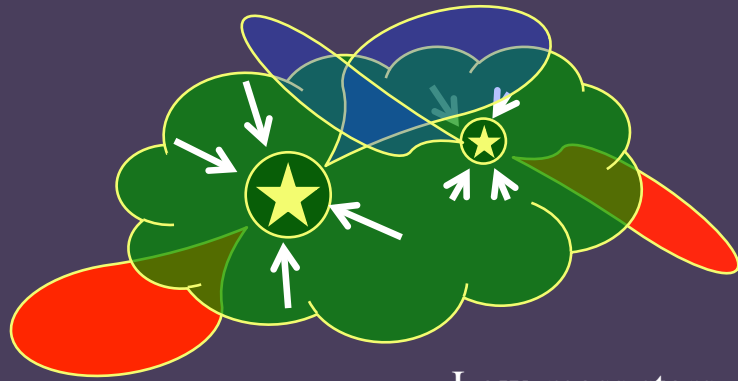
Simplest possible model: equally likely infall stopping (ELS) (Basu & Jones 04)

$$p(t_f) \sim \exp(-t_f/\langle t_f \rangle)$$

A given condensation can form a low-mass or high-mass star, depending on when its infall stops.



# Model: core-clump accretion with ELS



Low-mass stars  
short infall core-dominated

“High”-mass stars  $< 10 M_{\odot}$  no H II  
long infall clump-dominated

Same basic process makes low- and high-mass stars

Analytic model

Pro: simple, gives insight

Con: too idealized

Stationary accretion competes  
with ELS

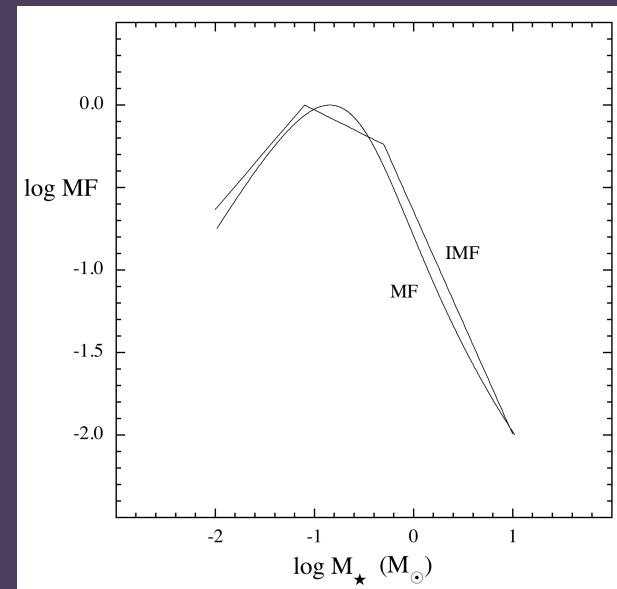
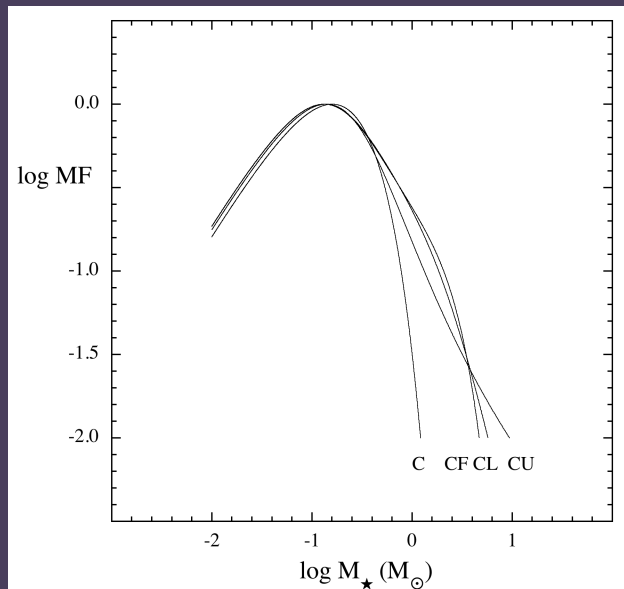
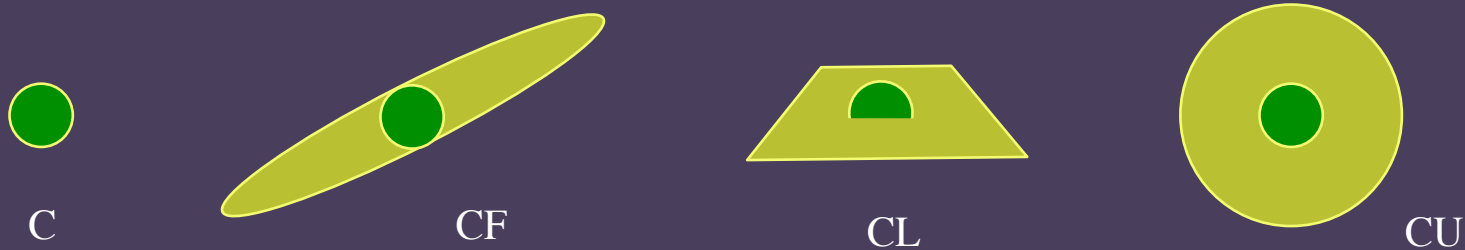
Accretion is steady, duration  $t_f$

More realistic: intermittent  
(Vorobyov & Basu 05), gradually  
decreasing (Bontemps et al 96).

Accreted mass  $M_{\star} \sim M_{gas}$   
available for cold spherical infall  
from rest in time  $t_f$  More realistic:  
pressurized, magnetized, turbulent  
gas, complex disk geometry

Myers 09

# Core-clump models approximate IMF



Myers 09

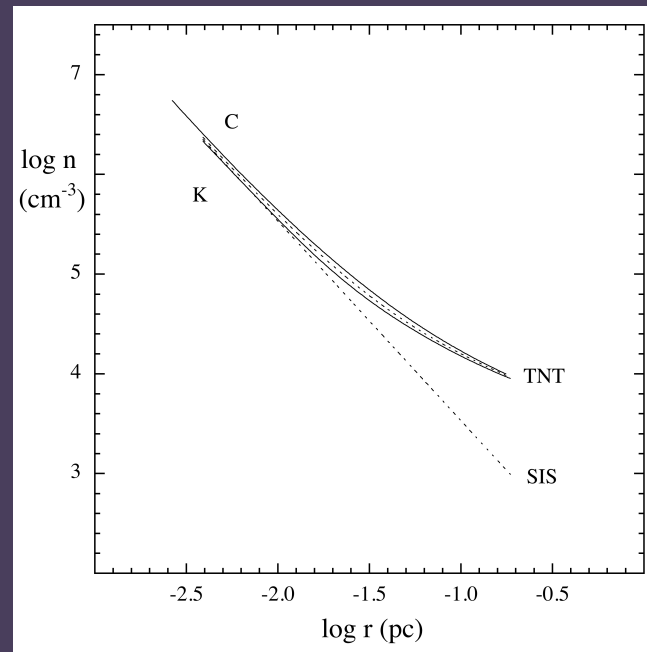
CU, CL, CF models approach IMF if peak environment density  $n_E > \sim 10^4 \text{ cm}^{-3}$ .

High  $n_E$  needed to get massive stars (short  $t_f$ ) and clustered stars (short  $\lambda_J$ )

Peak of MF  $\sim (\sigma^3/G)\langle t_f \rangle$ , less than Jeans mass

*Smith poster*

# Core-clump structure matches IMF



C Chabrier 05  
K Kroupa 02

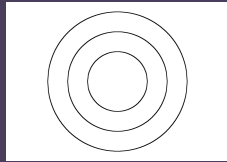
Myers 10

Get unique  $n(r)$  by assuming IMF and equally likely stopping  
 $n(r)$  like thermal core in nonthermal clump  $n(r) = Ar^{-2} + Br^{-2/3}$  like TNT, 2CTC models  
Cluster conditions:  $\sim 20$  K,  $10^4$  cm $^{-3}$  like IRDCs; warmer, denser than isolated regions.

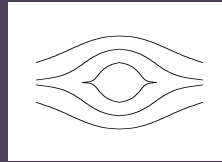
*How do such core-clump condensations make a cluster?*

# Core-clump structure in filaments

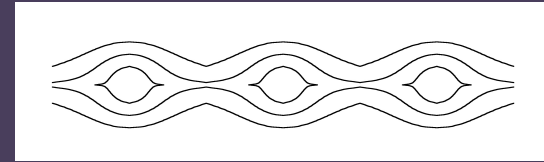
spherical core in  
spherical clump



spherical core in  
cylindrical clump

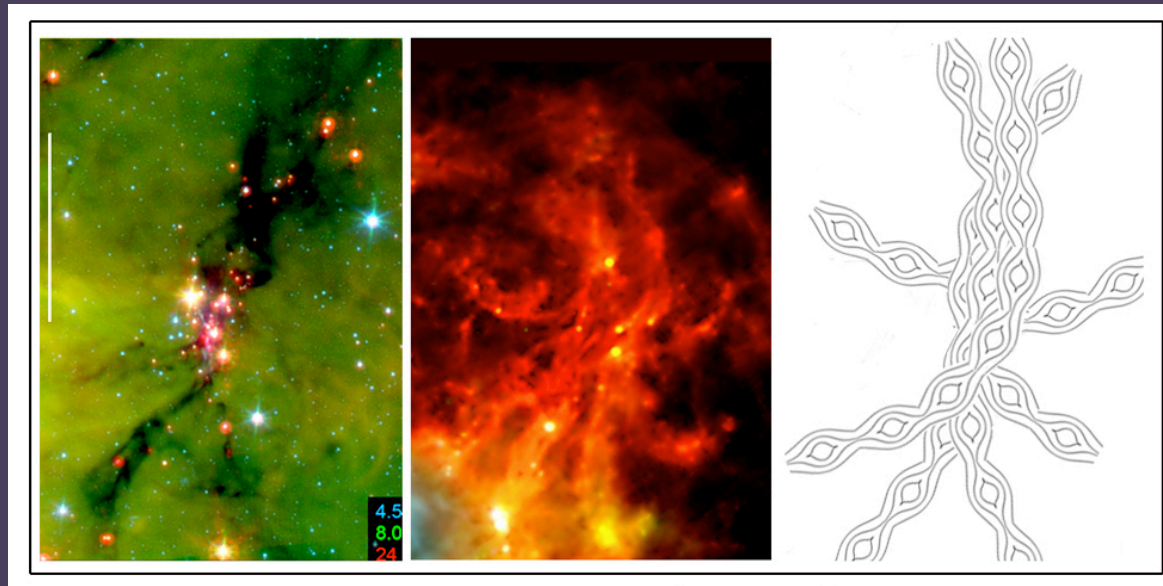


equal spacing filamentary chain



— same  
 $M(r)$   
— same  
MF

$N_{2I}=15, 20, 30$   $s = 0.2$  pc

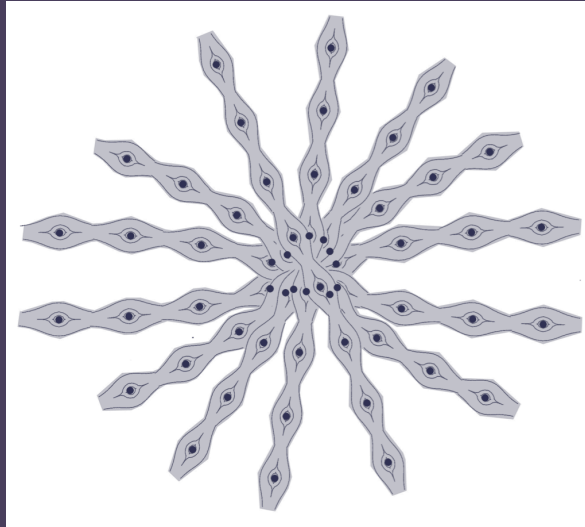


Myers 11

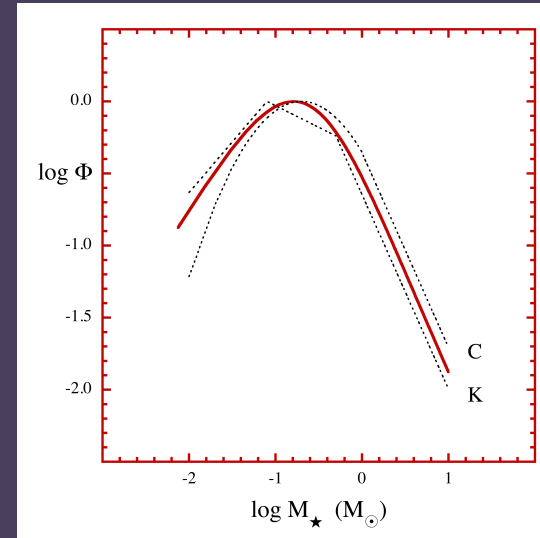
Ser South Gutermuth et al 09 André et al 10 converging filaments



# Radial filaments cluster



~ colliding flow simulations Vazquez-Semadeni et al 07, Banerjee et al 09



Myers 11

Chabrier 05  
Kroupa 02

inputs

radial filaments  
equally spaced condensations  
core-clump structure  
equally likely stopping

results

filamentary appearance  
centrally condensed birthsites  
peak surface density  $\sim N_{fil}/s^2$   
protostar MF matches IMF

future

dynamics  
mass segregation  
*see H. Kirk talk*

# Summary

stellar mass

origin problem: IMF-clusters  
initial structure, infall stopping

star-forming  
condensations

cores in clumps

model of  
IMF-cluster

core-clump accretion  
equally likely stopping  
converging filaments

key problems

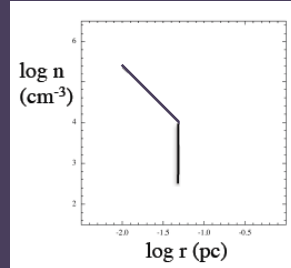
does core mass set star mass?  
what stops infall?  
what sets distribution of infall duration?





# Core boundaries and the IMF

Do cores have mass flow boundaries?



Yes

Then star-forming infall stops because

$M(R)$  is used up

Infall duration is set by

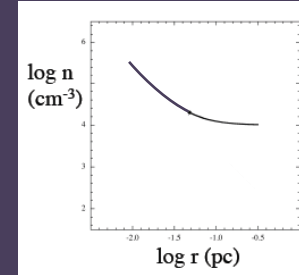
free fall time  $t_f$  at  $R$

$M_\star$  is set by

$M(R) \quad [M_{core}]$   
--a *space* limit

IMF is set by distribution of

$M_{core} \quad [CMF]$



No

infall-ready gas is dispersed

dispersal time  $t_d$

$M(t_f = t_d)$   
--a *time* limit

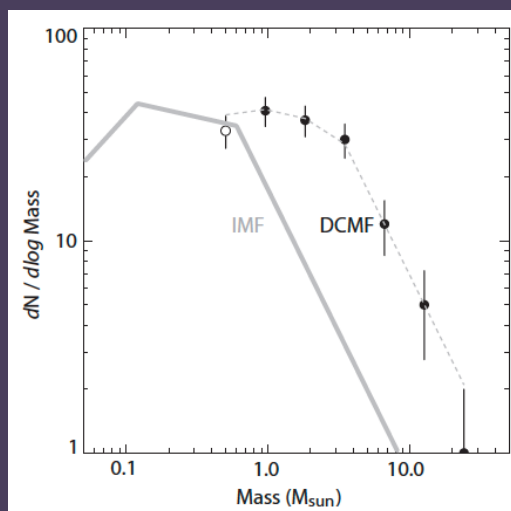
$t_f$  and  $\rho(r)$

20  
But doesn't the CMF  $\sim$  IMF?

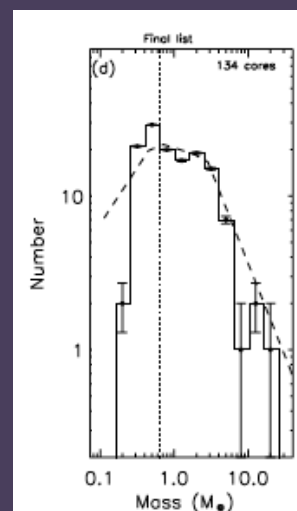
# Does the CMF resemble the IMF?

Many claims (Motte et al 98, Testi & Sargent 98, Johnstone et al 00, Alves et al 07...)

Pipe Nebula Alves et al 07

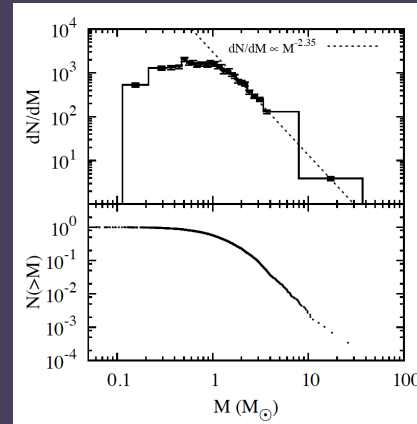
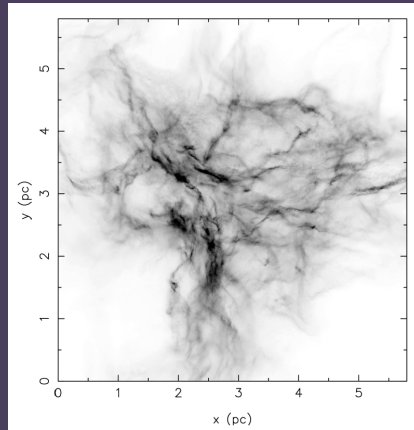


Rathborne et al 09



But the most careful study shows departures at low and high mass. Such departures are expected if lowest-mass cores don't make stars, and if highest-mass cores fragment to make multiple stars (Hatchell & Fuller 08, Myers 09).

# Should the CMF resemble the IMF?



Reid et al 10

## Causal

CMF generates IMF  
CMF from gravoturbulent or  
superAlfvenic turbulence

Hennebelle & Chabrier 08

## Coincidental

Many indep. processes  $\rightarrow$  log-normal distribution  
clump-finding, noise, resolution changes number of  
members but preserves shape

Swift & Williams 08, Reid et al 10, Michel et al 11

*In any case, it is necessary to explain both CMF and IMF*