

A New Photometric Mass Scale

Cameron Bell, Nathan Mayne, Tim Naylor (University of Exeter) & Stuart Littlefair (Sheffield University), Rob Jeffries (Keele University) & Robert Greimel (Universität Graz).

Motivation

Stellar Parameters:

- Mass
 - Age (<20 Myrs)
- ~Degenerate: $\downarrow M_*$

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Timescales: pre-MS & T_{ff}

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- Stats: N_{cl} & Area
- Consistent
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Photometric Surveys +
Isochrones

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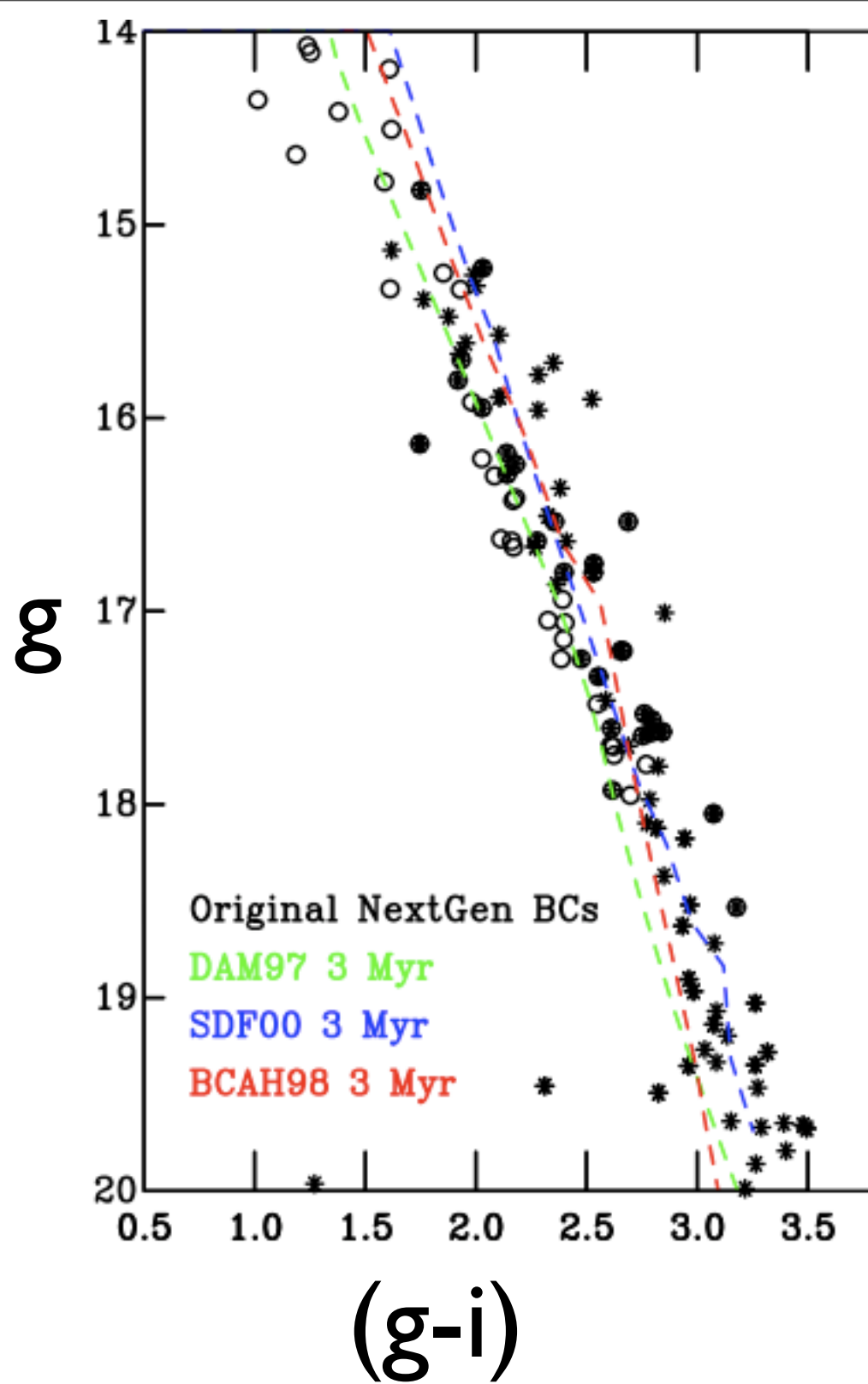
**Pre-MS isochrones don't fit
observations!**

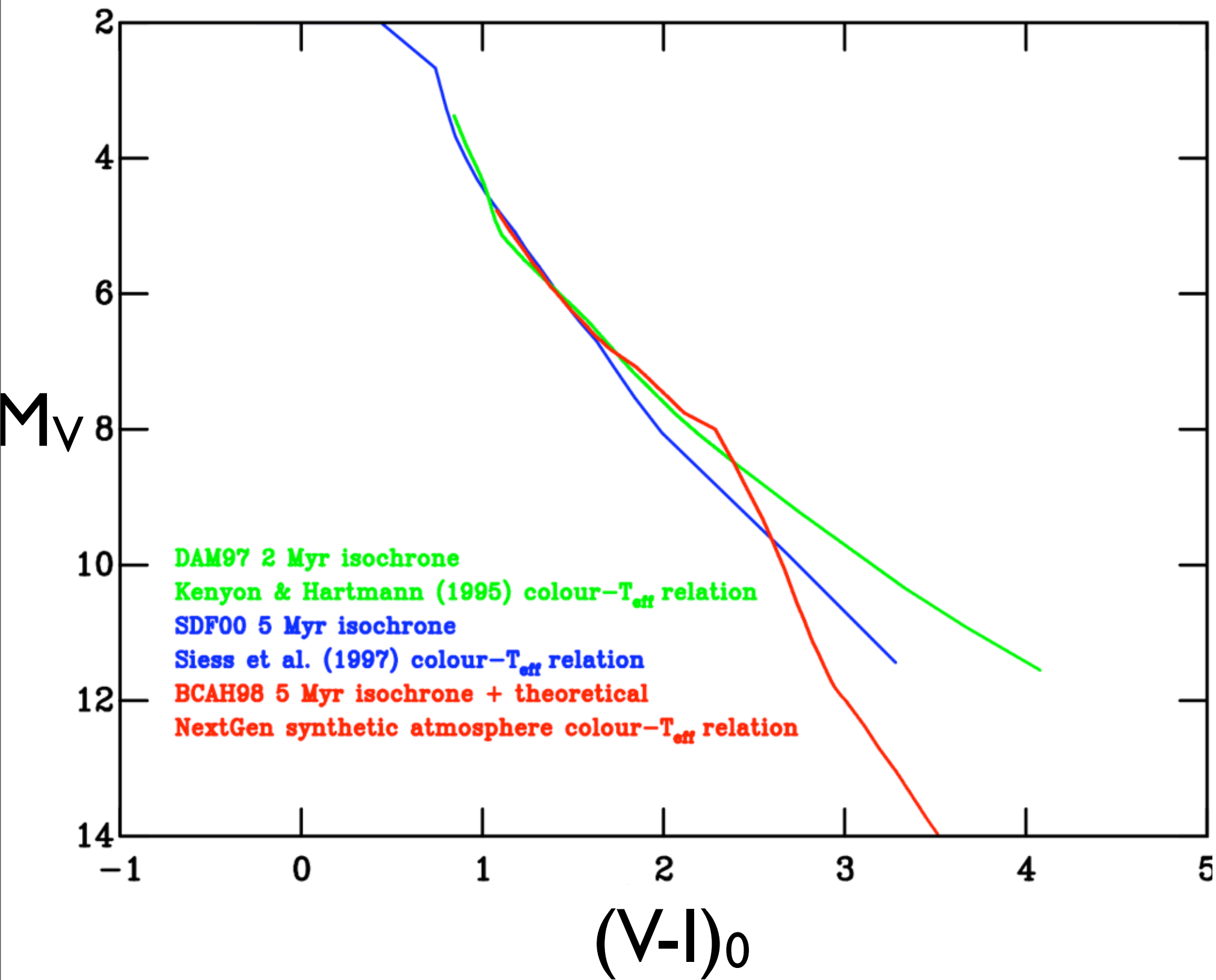
Pre-MS isochrones don't fit observations!

λ Ori \sim 3-5 Myrs

Gradient- $d(\text{Mag})/d(\text{Col})$ \times

- Age = F(Model)
- Age = F(Col)





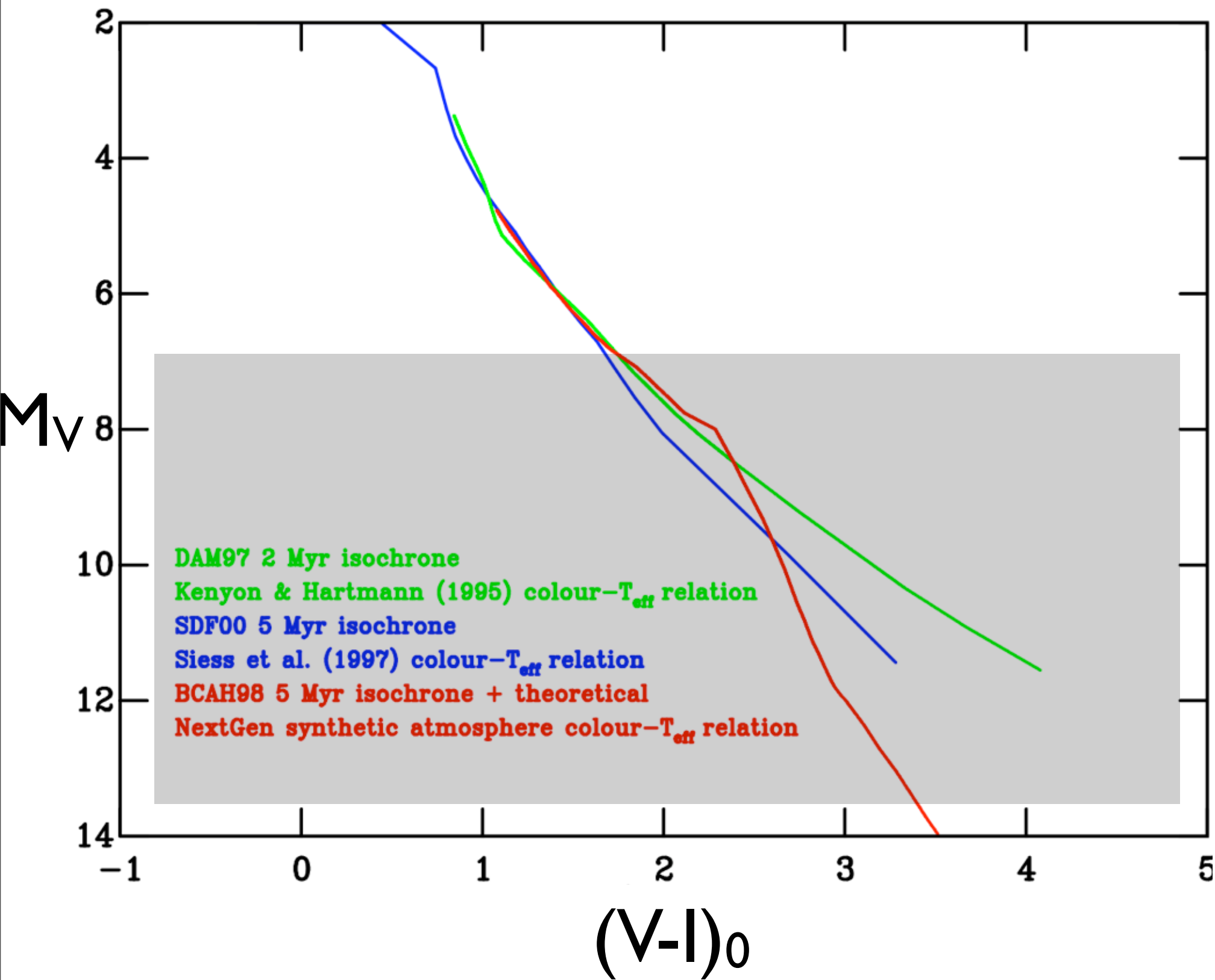
Age issue?

MS ✓

HM pre-MS ✓

pre-MS ✗

$(V-I)_0 \sim 2$



Age issue?

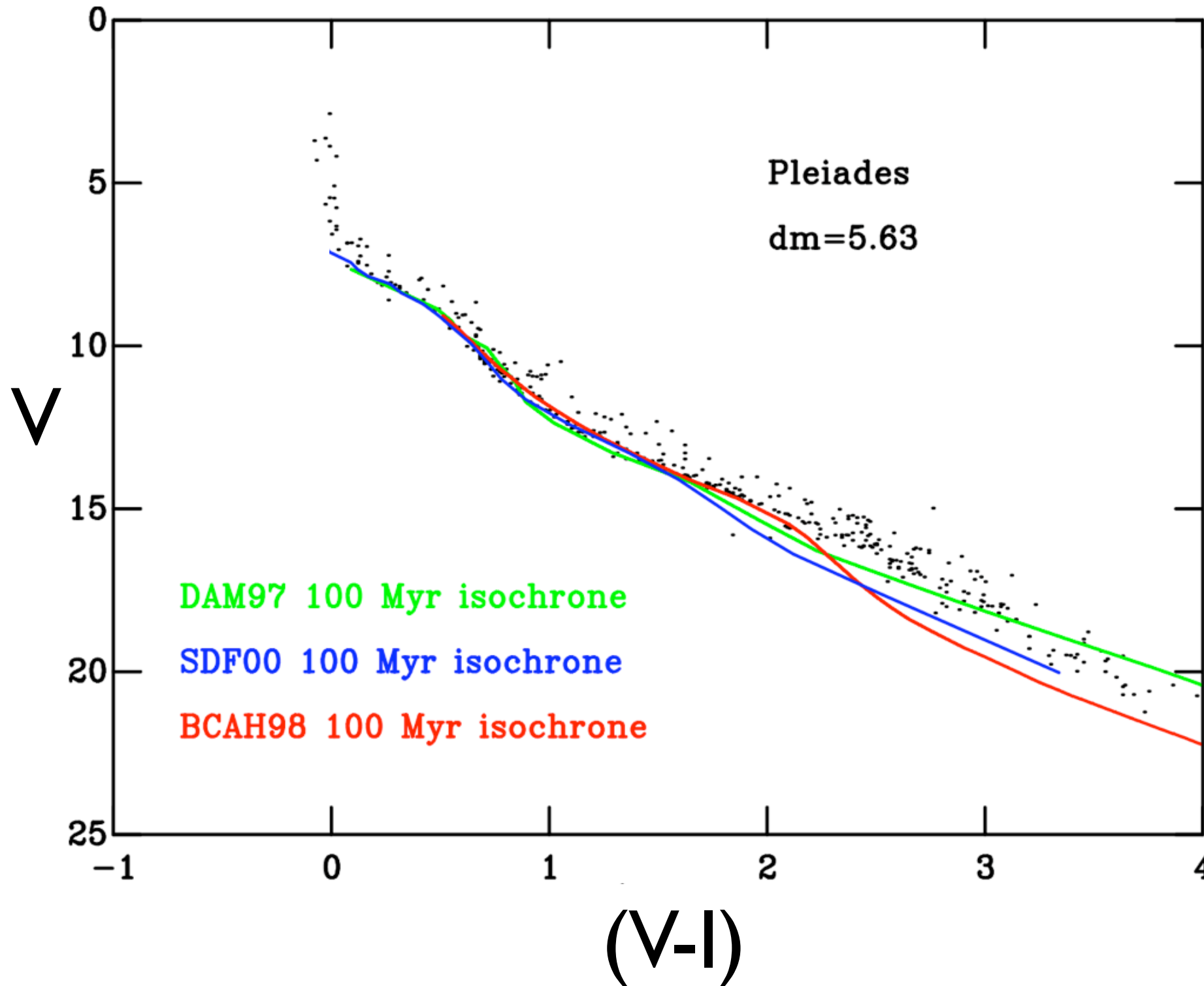
MS ✓

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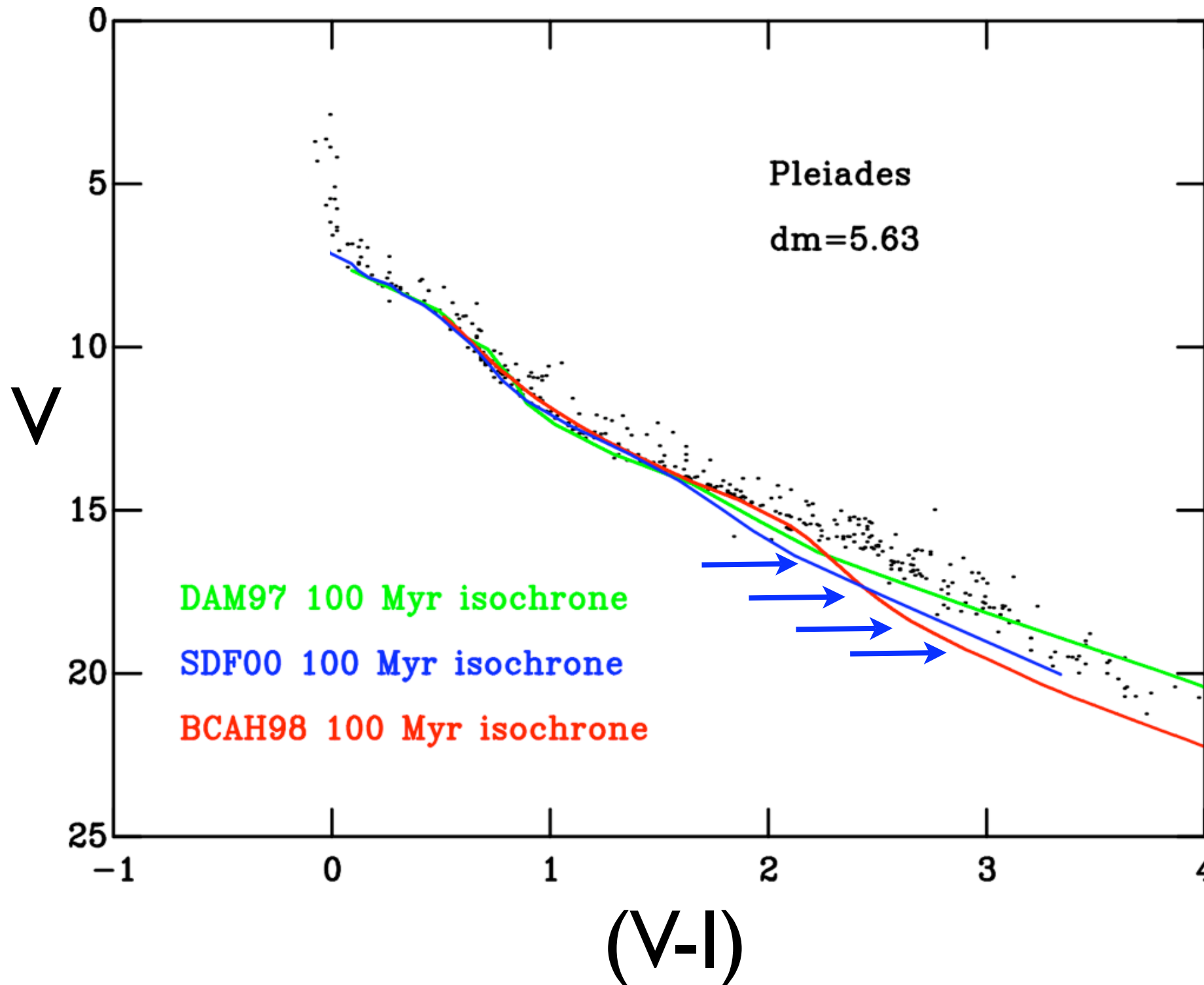
Pleiades ~100 (125) Myrs



MS ✓
pre-MS ✗
(V-I)₀ ~ 2

Opacities?

“Pleiades Tuning”-e.g. Jeffries et al (2004)



- Semi-empirical:
- Adjust Col- T_{eff}
 - Constant M_V
Mass scale?
Log(g)?

Procedure

- Interior Model: $\text{Age}_{i=1}$ & $\text{Mass}_j \Rightarrow M_{\text{bol}}, T_{\text{eff}} (R^*), \log(g)$



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- Filter response (+ZP): $\text{Spectra}_i \Rightarrow M_V, (V-I)_0$



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- $M_V = M_{\text{bol}} - BC_V(T_{\text{eff}})$

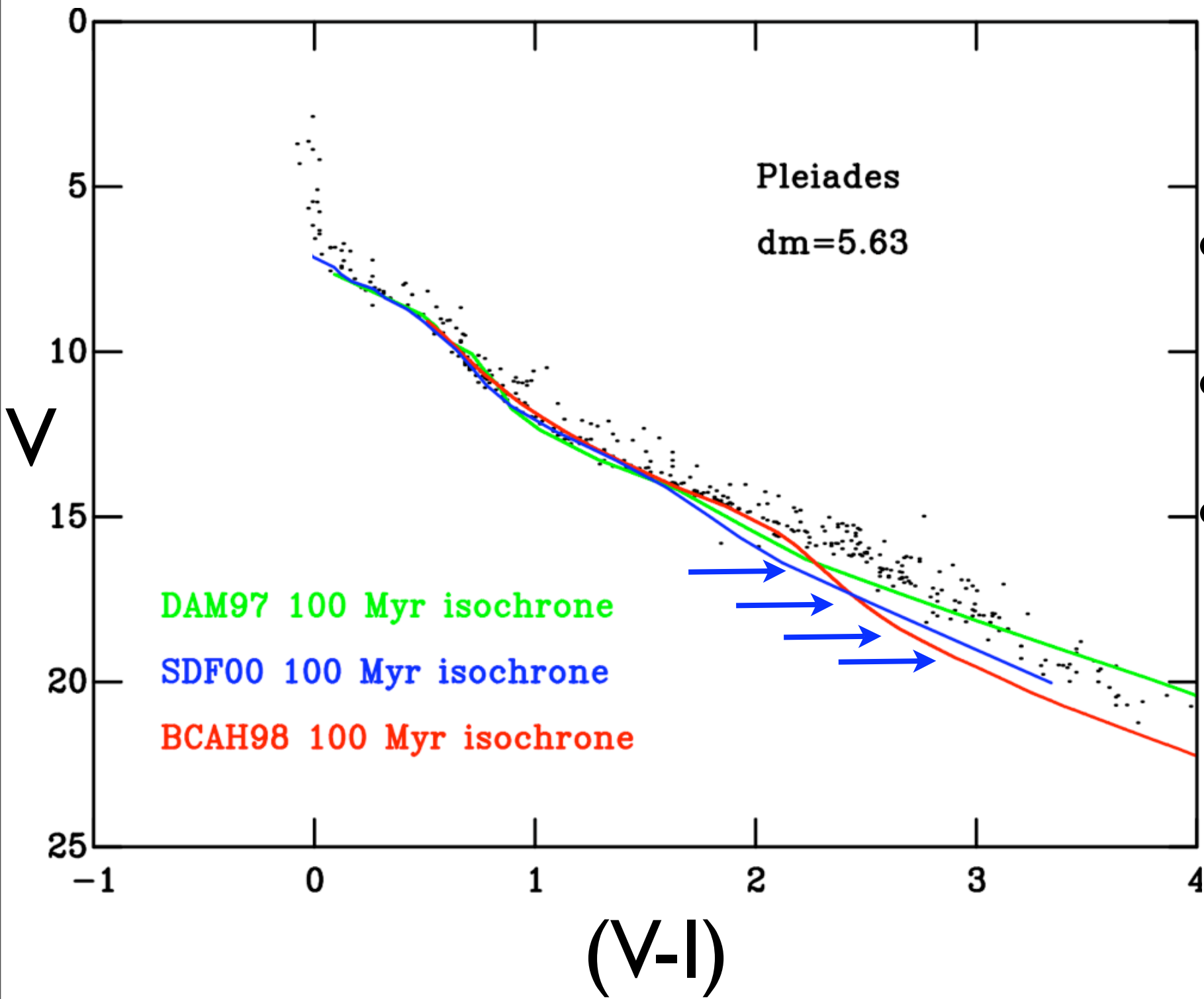


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Colour- T_{eff} :

- $V = \text{Constant}, \Delta(V-I)$
- Colour- T_{eff} : $(V-I) = BC_I - BC_V$



But....

- $\Delta(V-I), \Delta V=0 \therefore \Delta I$
- Mass?
- $\log(g) = F(\text{Age})$

Version 2.0

Independent Mass \Rightarrow Binaries

- Eclipsing & Spectroscopic Field Binaries \Rightarrow Magnitude_{sys}

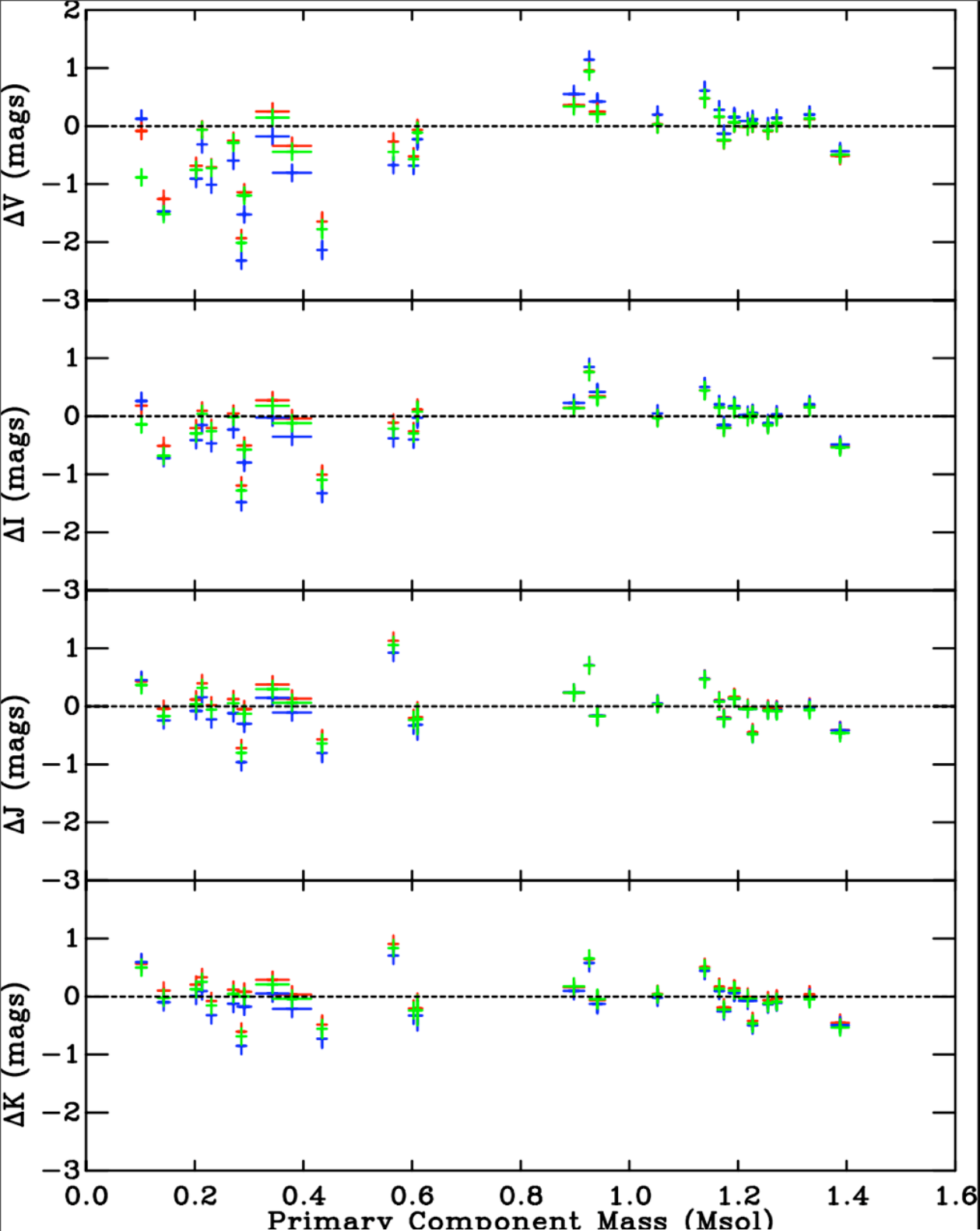
★ Mag_p & Mag_s?, separation

- Δ Magnitude vs M_p ($\sim T_{\text{eff}}$)

★ q \rightarrow I, same T_{eff}

★ q \rightarrow 0, T_{eff} = Primary

- V ✗, K ✓



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Independent Mass \Rightarrow Binaries

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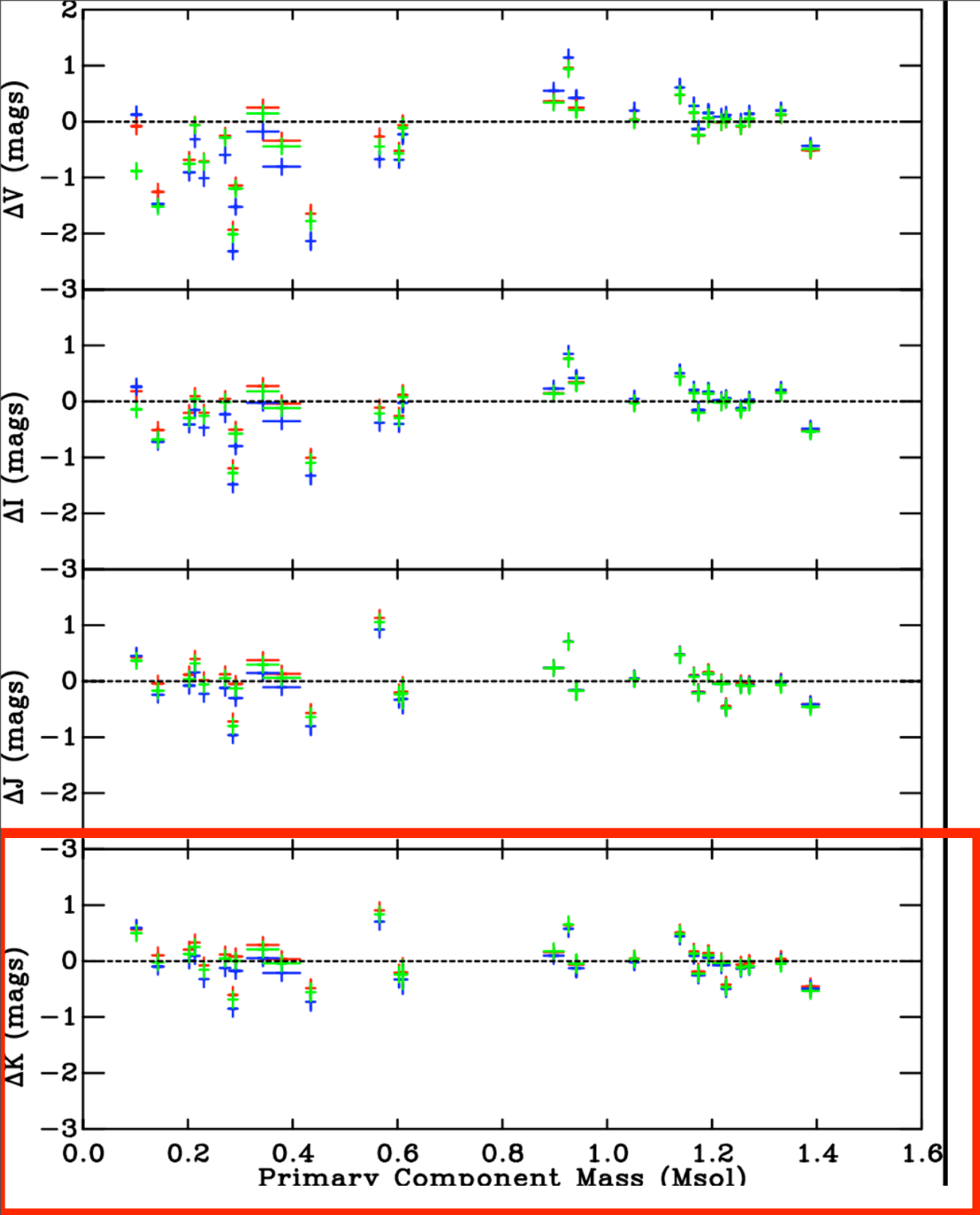
★ Mag_p & Mag_s?, separation

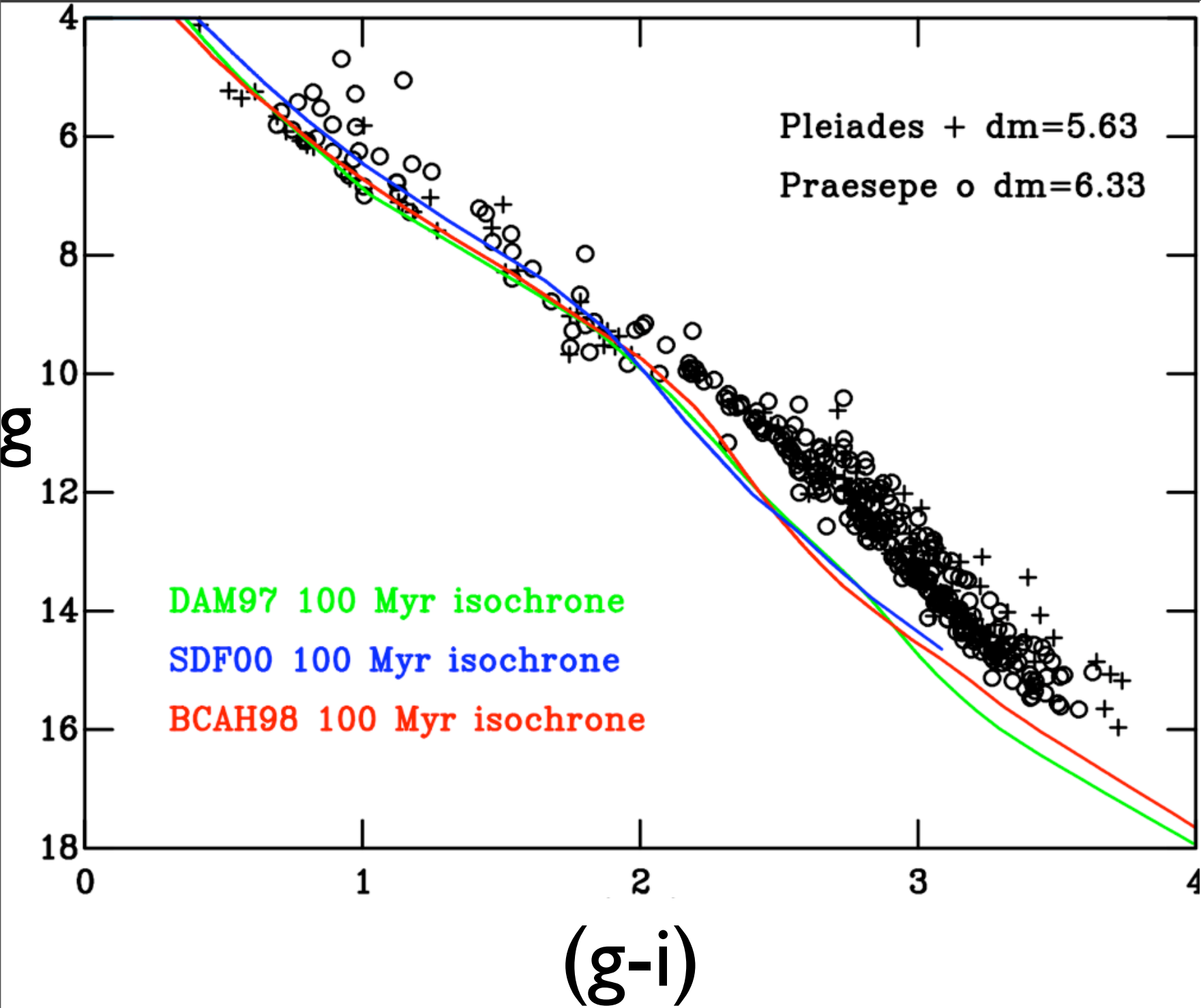
- Δ Magnitude vs M_p ($\sim T_{\text{eff}}$)

★ $q \rightarrow 1$, same T_{eff}

★ $q \rightarrow 0$, $T_{\text{eff}} = \text{Primary}$

- V ✗, K ✓



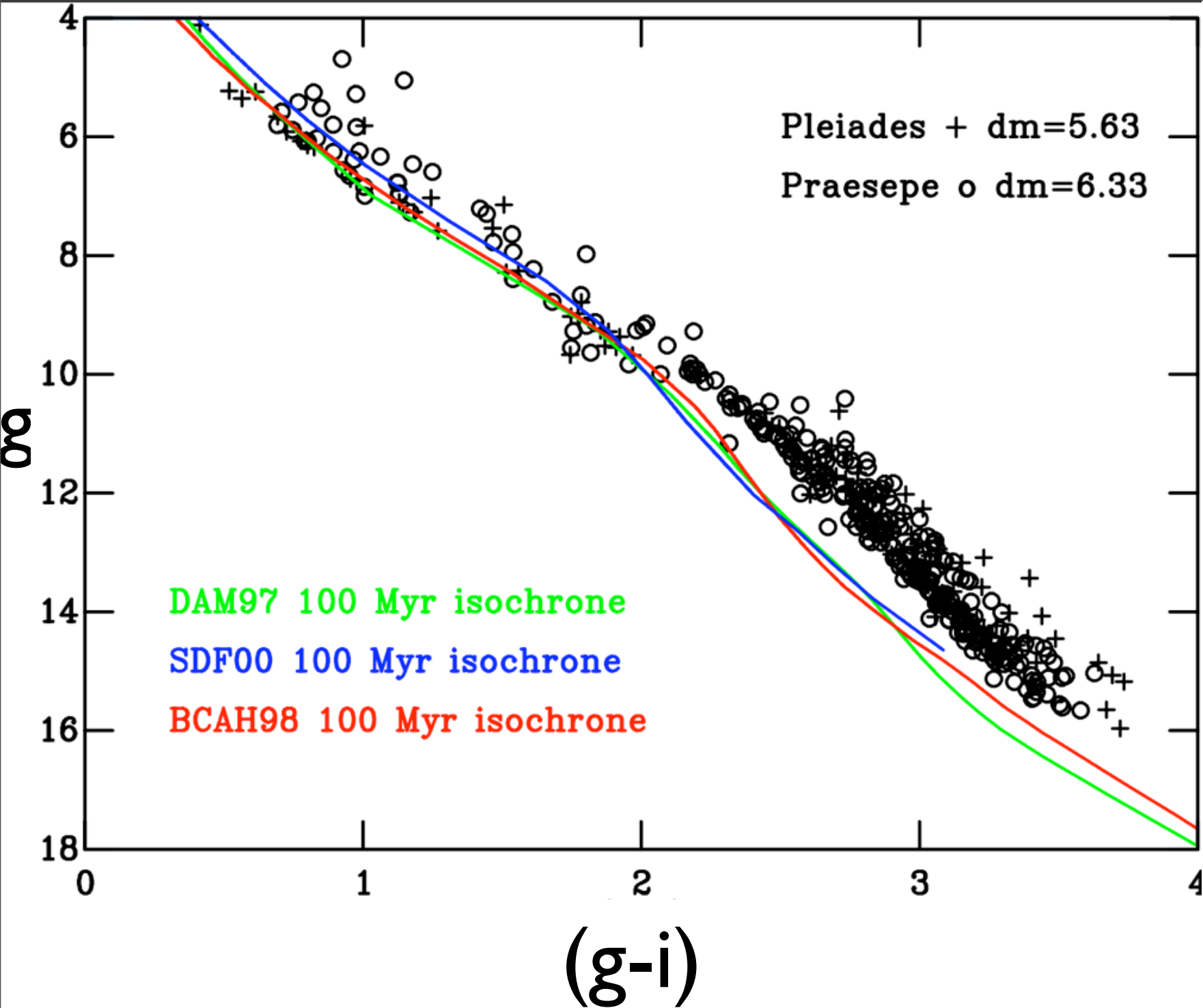


Stellar Parameters:

- Mass
- Age (<20 Myrs)

Pre-MS: Mass

- K band - Disc
 - ∴ Pleiades, Praesape
- Mass scale



Pre-MS: Age

- $BC_\lambda = F(\log(g))$
- Optical ($A_V, \Delta\text{age}$)

Age Scale

Practicalities:

- Stats: N_d & Area
- Consistent
- Automation
 \Rightarrow Sloan, VST

Procedure

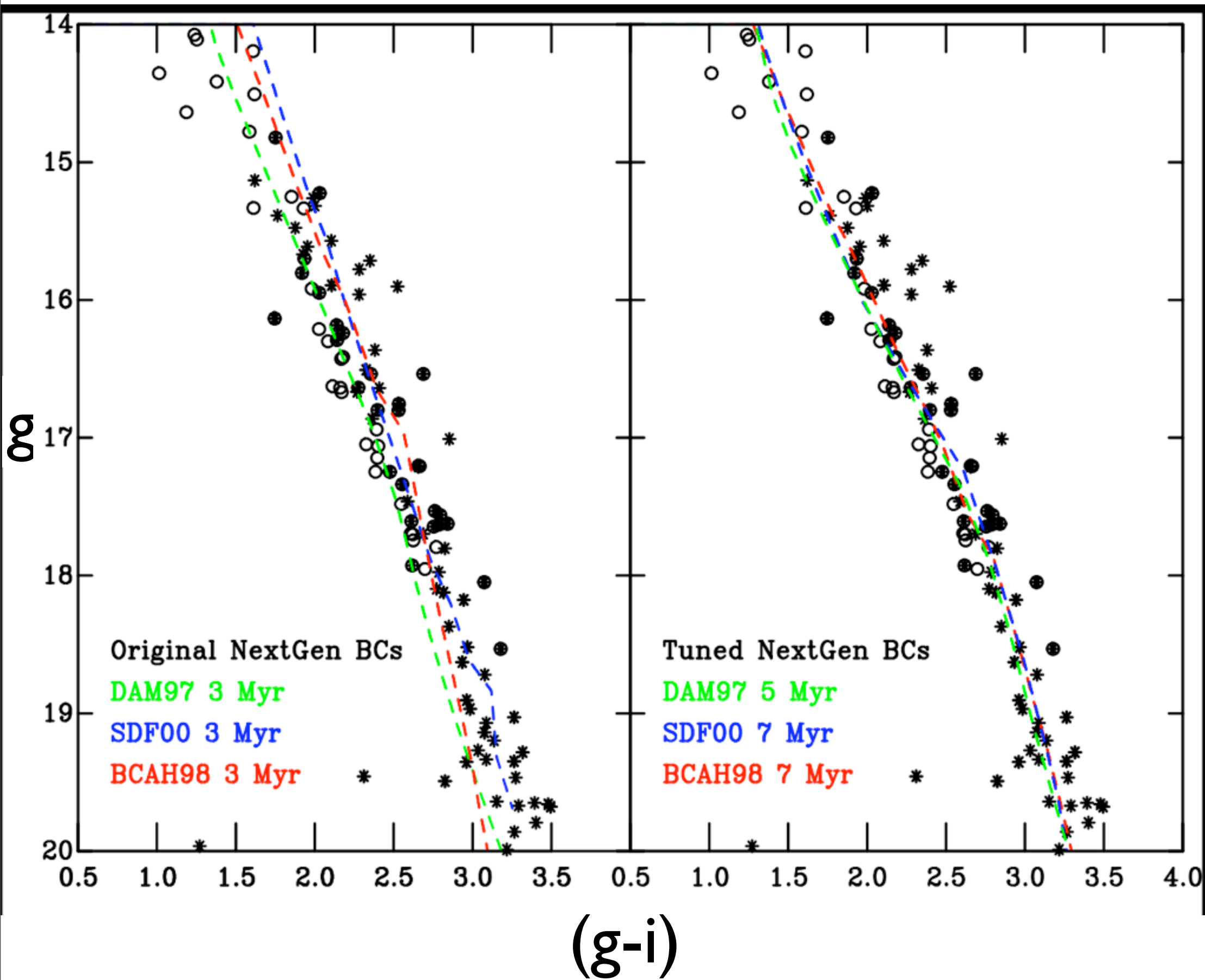
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- Atmosphere Model: $\text{Log}(g)_{i=1}, T_{\text{eff},j} \Rightarrow \text{Spectra}_i$
- Filter response (+ZP): $\text{Spectra}_i \Rightarrow M_V, (V-I)_0$
- $M_V = M_{\text{bol}} - \text{BC}_V(T_{\text{eff}})$

New Colour- T_{eff} ($K, V-K \Rightarrow V, V-I$):

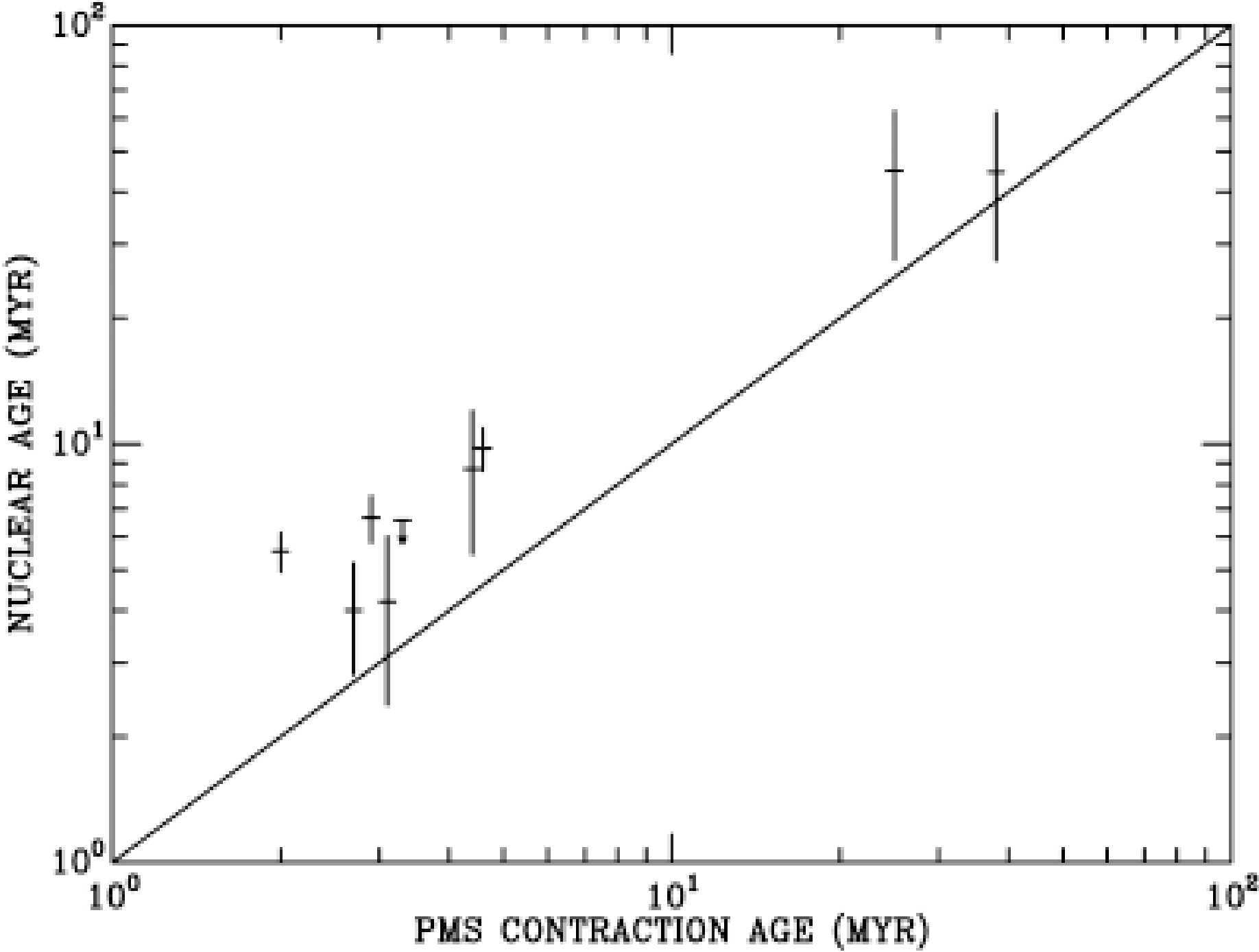
- Pleiades: $K = \text{Constant}, \Delta(V-K)$
- Colour- T_{eff} : $V = \text{BC}_V(\log(g), T_{\text{eff}})$
- $K = \text{Constant}, \Delta(V-I)$
- Colour- T_{eff} : $(V-I) = \text{BC}_I(\log(g), T_{\text{eff}}) - \text{BC}_V(\log(g), T_{\text{eff}})$

The Test

● λ Ori, 7 Myrs (distance & A_V , Mayne & Naylor, 2008)



New age consistent with post-MS (Naylor, 2009)



Conclusions.

- Improved set of semi-empirical isochrones (any magnitude, colour and age).
- Fit throughout observed sequence.
- New models? \Rightarrow Automated.
- Mass scale consistent with age scale
- Age(pre-MS) \sim Age(nuclear).
 - ★ Current ages factor 1.5-2 too young!

Nathan Mayne & Tim Harries.
(nathan@astro.ex.ac.uk)

Abstract: We present analysis from [Mayne & Harries \(2010\)](#) of a grid of $\sim 10^6$ accreting brown dwarf and disc (BDD) systems modeled using the TORUS radiative transfer code. Including dust sublimation, vertical hydrostatic equilibrium (or analytical vertical structure), realistic input stellar spectra and accretion from the co-rotation radius onto a surface hot spot. SEDs and photometry (magnitudes and monochromatic fluxes) have been derived for several inclinations and filters. For accretion rates above $M_{\text{acc}}=10^{-9}(M_{\text{sol}} \text{ yr}^{-1})$, flaring, photospheric veiling and dust sublimation become significant. Additionally, the accuracy of photometric age and mass, derivation decreases with accretion rate, suggesting any $M_{\text{acc}} \propto M^{*2}$ relationship contains selection biases. For our model grid current disc fraction cuts perform reasonably, however, we present improved selections. Finally, SEDs and photometry for all models are available online alongside a fitting tool (beta) including χ^2 fitting and degeneracy analysis:
<http://bd-server.ex.ac.uk/>.

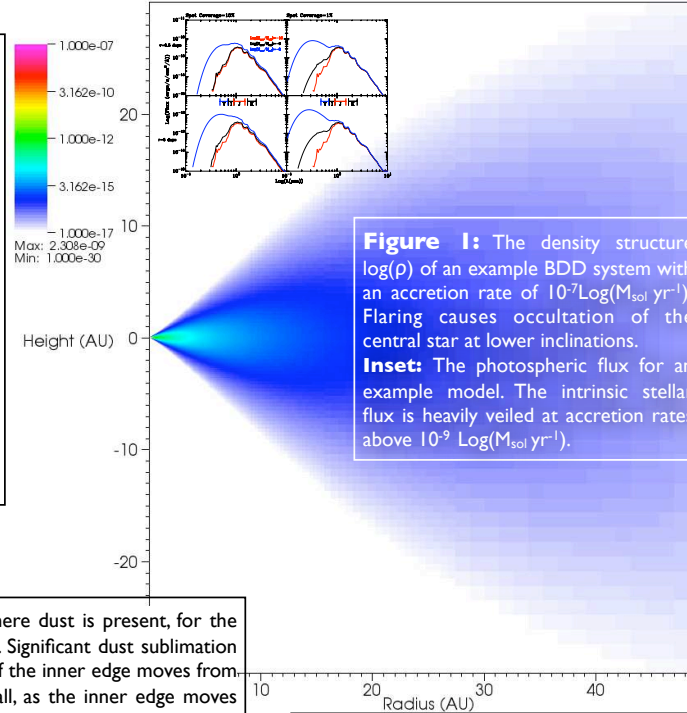


Figure 1: The density structure $\log(\rho)$ of an example BDD system with an accretion rate of $10^{-7} \text{Log}(M_{\text{sol}} \text{ yr}^{-1})$. Flaring causes occultation of the central star at lower inclinations. **Inset:** The photospheric flux for an example model. The intrinsic stellar flux is heavily veiled at accretion rates above $10^{-9} \text{Log}(M_{\text{sol}} \text{ yr}^{-1})$.

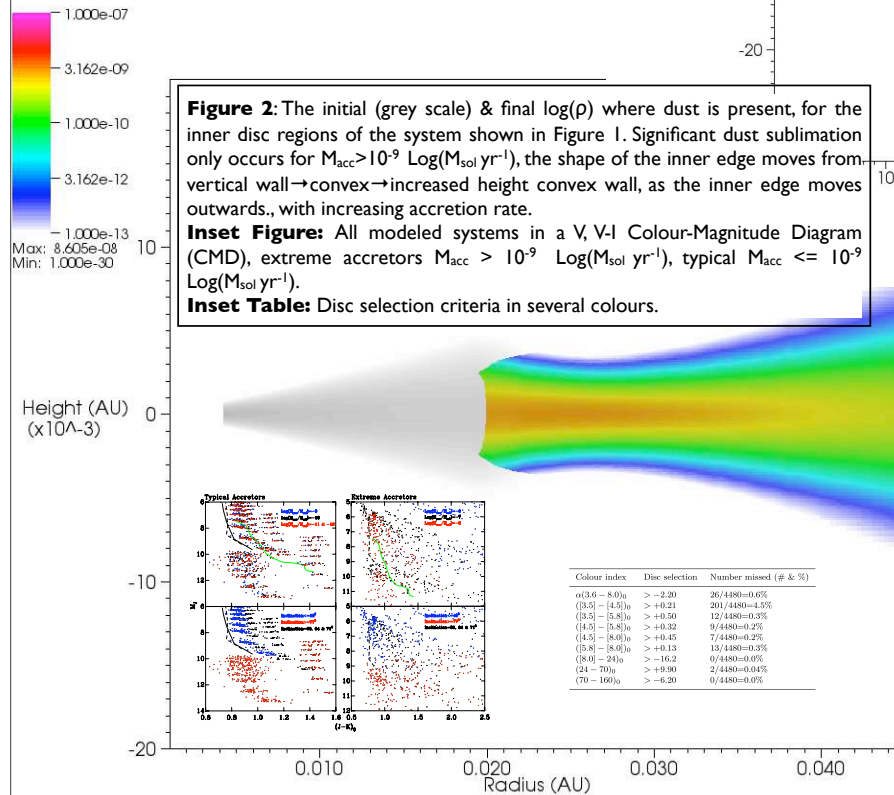


Figure 2: The initial (grey scale) & final $\log(\rho)$ where dust is present, for the inner disc regions of the system shown in Figure 1. Significant dust sublimation only occurs for $M_{\text{acc}} > 10^{-9} \text{Log}(M_{\text{sol}} \text{ yr}^{-1})$, the shape of the inner edge moves from vertical wall \rightarrow convex \rightarrow increased height convex wall, as the inner edge moves outwards, with increasing accretion rate.

Inset Figure: All modeled systems in a V-I Colour-Magnitude Diagram (CMD), extreme accretors $M_{\text{acc}} > 10^{-9} \text{Log}(M_{\text{sol}} \text{ yr}^{-1})$, typical $M_{\text{acc}} \leq 10^{-9} \text{Log}(M_{\text{sol}} \text{ yr}^{-1})$.

Inset Table: Disc selection criteria in several colours.

Access & Fitting: All models from [Mayne & Harries \(2010\)](#) are available to browse and download at: <http://bd-server.ex.ac.uk/>. There is also a fitting tool allowing users to upload multiple SEDs, magnitudes and monochromatic fluxes, and fit these to the whole, or a subset of the grid. The best fitting models along with uncertainties and degeneracy analysis are presented to the user.

UNIVERSITY OF EXETER Astrophysics group

Download SEDs: Download SEDs (10 x 1000000.txt)

Fitting tool

Enter your email address below and we will email you a link to the tool of your physical access.

1. Choose a name for your fit and enter your email address

The name of your fit: Your email address:

2. Upload your data

SED files

File #1: No file chosen

Fluxes: Units:

Magnitudes:

3. Specify your grid parameters

Parameter	Minimum	Maximum	Parameter	Minimum	Maximum
Mass (M_{Jup})	0.01	0.08	Disk Mass (M_{J})	0	0.001
Age (Myr)	0.001	0.01	Disk radius (AU)	100	300
Accretion Rate ($\text{Log}(M_{\text{acc}}/M_{\text{sol}} \text{ yr}^{-1})$)	0.0	0	Hybrid: <input type="checkbox"/>	0.0	
Accretion Rate ($\text{Log}(M_{\text{acc}}/M_{\text{sol}} \text{ yr}^{-1})$)	-12	-6	Alpha ($\beta_0, \beta_{10}, \beta_{100}$)	0.2	2.0
Annual Coverage (%)	1	10			

4. Specify distance and extinction ranges

Parameter	Minimum	Maximum
Distance	0	0
Extinction	0	0
Maximum distance	0	0
Maximum extinction	0	0
Number of distances	20	20
Number of extinctions	20	20

5. Check and submit

Conclusions: For accreting BDD systems increased occultation and cooler photospheres compared to CTTS, leads to increased difficulty in spectroscopic or photometric derivation of the correct stellar properties. In fact, as the accretion rate increases the BDD systems move farther from their expected photometric locus and the underlying SEDs become more heavily veiled. This suggests that objects with higher accretion rates will not be included in samples of brown dwarfs, suggesting an implicit bias in the suggested $M_{\text{acc}} \propto M^{*2}$ relationship. Improved disc fraction selection criteria are presented (inset table Fig 2).

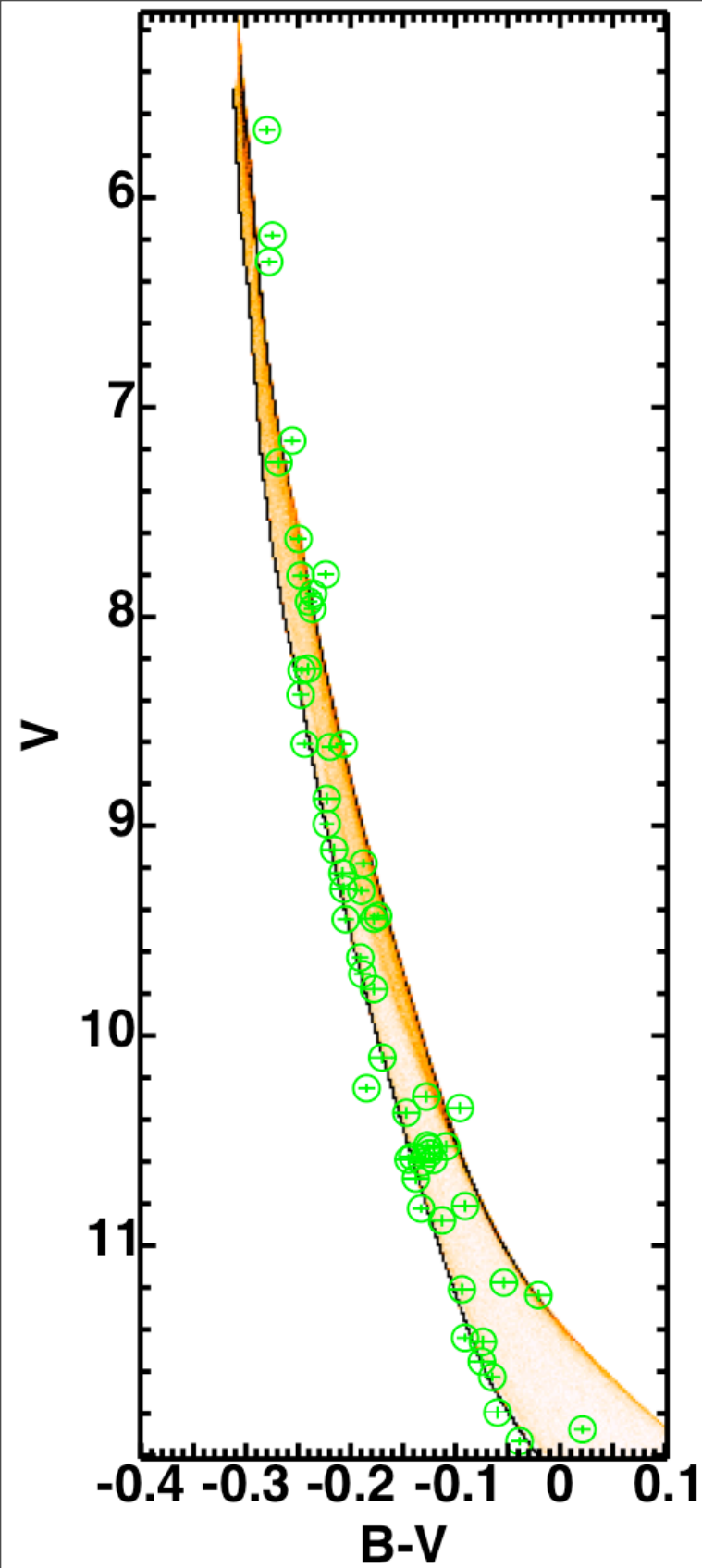
Paper: Mayne & Harries (2010). URL: <http://bd-server.ex.ac.uk/>

Nuclear Ages

NGC 6530

0.25 Myr (Geneva-Bessell)

$\text{Pr}(\tau^2)=0.03$



Nuclear Ages

NGC 6530

5.50 Myr (Geneva-Bessell)

$\text{Pr}(\tau^2)=0.67$

c.f. 2 Myr PMS isochronal
(contraction) age

