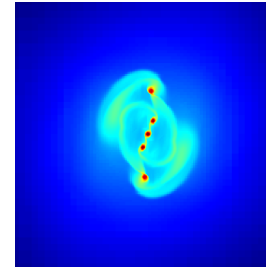
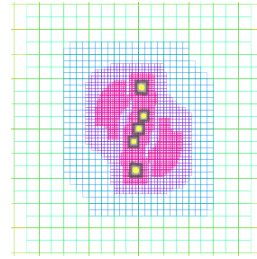
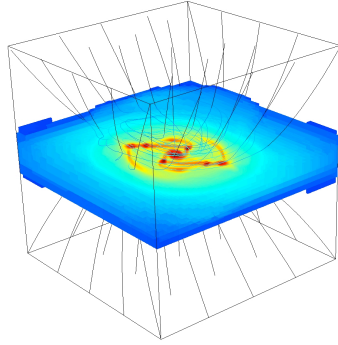


Radiative and magnetic feedbacks on small scale collapse and fragmentation



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Outlines

1. Introduction

2. Model

- Numerical method

3. Hydro collapse

- Fragmentation
- Entropy content

4. Magnetized collapse

- Moderate magnetic field
- First steps to synthetic observations

Physics for star formation

- Gravity: **Poisson** equation
- Hydrodynamics: **Euler** equations
- Radiative transfer: **Radiation hydrodynamics**
 - Barotropic EOS ($T=f(\rho)$)
 - Moment models: M1 (**HERACLES** code, *González et al. 2007*), Flux Limited Diffusion (FLD, e.g. *Minerbo 1978*)
- Magnetic field: **Magneto-Hydrodynamics**
 - Ideal
 - Ambipolar diffusion, Ohmic dissipation
- **H₂ dissociation**
- **Chemistry**
- **Etc**

Physics for star formation

- **Gravity:** Poisson equation
- **Hydrodynamics:** Euler equations
- **Radiative transfer:** Radiation hydrodynamics
 - Barotropic EOS ($T=f(\rho)$)
 - Moment models: M1 (**HERACLES** code, *Gonzalez et al. 2007*), *Flux Limited Diffusion* (FLD, e.g. *Minerbo 1978*)
- **Magnetic field:** Magneto-Hydrodynamics
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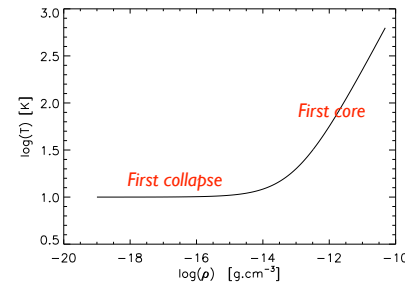
Approximate radiative transfer

⇒ Barotropic EOS

2 regimes: isotherm and adiabatic

$$\frac{P}{\rho} = c_s^2 = c_0^2 \left[1 + \left(\frac{\rho}{\rho_c} \right)^{2/3} \right] \propto \rho^{\gamma-1}$$

- $\gamma_{\text{eff}} = 1$ if $\rho \ll \rho_c \rightarrow$ **ISOTHERM**
- $\gamma_{\text{eff}} = 5/3$ if $\rho \gg \rho_c \rightarrow$ **ADIABATIC**



⇒ Grey Flux Limited Diffusion

Optically thick (mean free path $\ll L_{\text{sys}}$) \implies diffusion approximation: $P_r = 1/3 E_r$, $\partial_t \mathbf{F}_r = 0$

\implies Solve a diffusion equation on the radiative energy:

$$\frac{\partial E_r}{\partial t} - \nabla \cdot \left(\frac{c\lambda}{\rho\kappa_R} \nabla E_r \right) = \kappa_P \rho (4\pi B - cE_r)$$

Flux limiter (e.g. *Minerbo 78*)

Flux Limited Diffusion in RAMSES

✓ **RAMSES code** (Teyssier 2002): 2nd order Godunov scheme, Adaptive Mesh Refinement, ideal MHD (Fromang et al. 2006)

✓ **RHD solver in the comoving frame using the grey Flux Limited Diffusion approximation** (Commerçon et al., submitted):

$$\begin{cases} \partial_t \rho + \nabla[\rho \mathbf{u}] & = 0 \\ \partial_t \rho \mathbf{u} + \nabla[\rho \mathbf{u} \otimes \mathbf{u} + (P + 1/3 E_r) \mathbb{I}] & = -(\lambda - 1/3) \nabla E_r \\ \partial_t E_T + \nabla[\mathbf{u}(E_T + P + 1/3 E_r)] & = -(\lambda - 1/3) \nabla(\mathbf{u} E_r) + \nabla \cdot \left(\frac{c\lambda}{\rho \kappa_R} \nabla E_r \right) \\ \partial_t E_r + \nabla[\mathbf{u} E_r] & = -\mathbb{P}_r : \nabla \mathbf{u} + \kappa_P \rho c (a_R T^4 - E_r) + \nabla \cdot \left(\frac{c\lambda}{\rho \kappa_R} \nabla E_r \right) \end{cases}$$

Riemann solver - explicit Corrective terms - explicit Coupling + Diffusion - implicit

✓ **Largest fan of solution with speeds:**
$$\begin{cases} u - \sqrt{\frac{\gamma P}{\rho} + \frac{4E_r}{9\rho}} \\ u \\ u + \sqrt{\frac{\gamma P}{\rho} + \frac{4E_r}{9\rho}} \end{cases}$$

✓ **Implicit solved with an iterative conjugate gradient algorithm**

✓ **Linearize emission term** $(T^{n+1})^4 = 4(T^n)^3 T^{n+1} - 3(T^n)^4$

Initial conditions

1 M_{\odot} isolated dense core: **uniform** density and temperature (10 K),
solid body rotation ($\beta = E_{\text{rot}}/E_{\text{grav}}$), **m=2** density perturbation
(amplitude 10%)

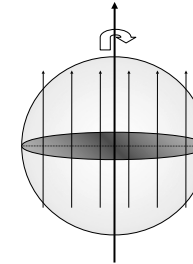
==> **Small-scale** fragmentation

★ **Ideal MHD** \Leftrightarrow flux freezing: $\varphi \propto BR^2$
Magnetic field lines are **twisted** and **compressed**:

==> **Outflow** (e.g. *Machida et al.*, *Banerjee & Pudritz 06*,
Hennebelle & Fromang 08)

$\mu = (\varphi/M)_{\text{crit}} / (\varphi/M)$ (observations $\mu \sim 2-5$)

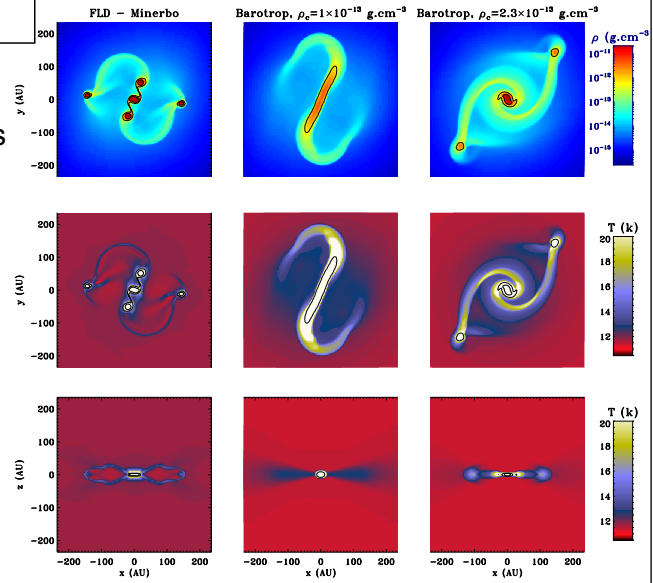
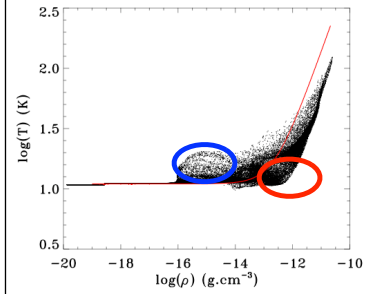
★ **Radiative transfer**: efficient **cooling** (*Attwood et al. 09*) and **heating**
(*Krumholz et al. 09*, *Bate 09*). Grey opacities from *Semenov et al. 03*.



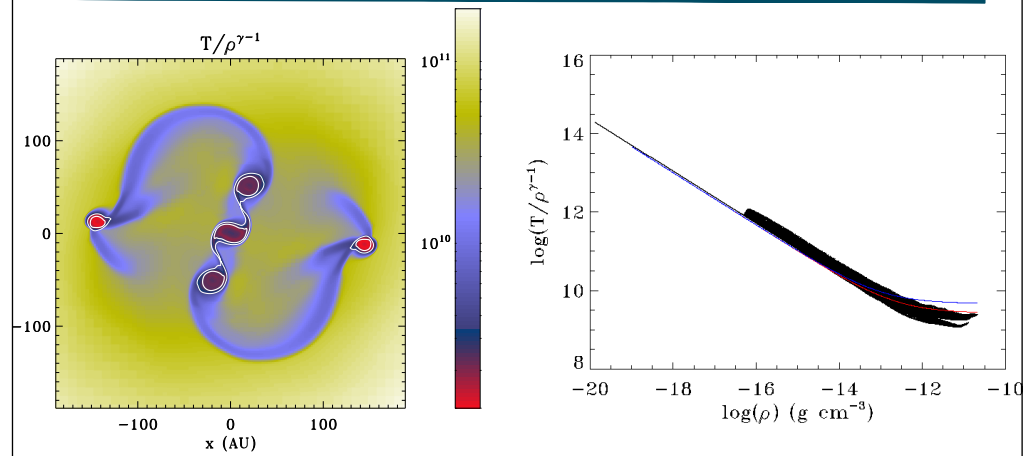
Radiation-HydroDynamics calculations

$$\alpha = 0.50, \beta = 0.04, m=2, A=0.1$$

FLD: more fragments, gas
cools efficiently in the
vertical direction
==> lower Jeans mass

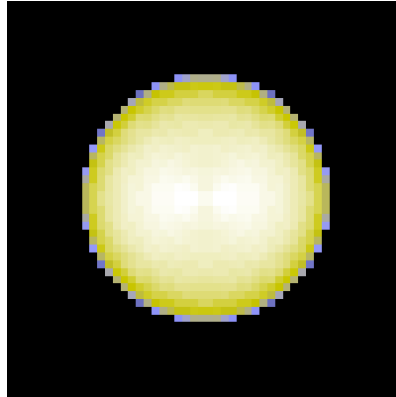


Radiation-HydroDynamics calculations



Entropy content of the fragments depends on their location and time of formation. This may have a strong influence for the PMS evolution (entropy sets the radius)

Radiation-HydroDynamics calculations



But dense core are **magnetized** (e.g *Heiles & Crutcher 2005*)

+ Magnetic field **inhibits** fragmentation (*Hennebelle & Teyssier 2008*)

=> Does the efficient cooling found with the FLD helps to fragment in presence of a magnetic field?

Moderate magnetized case, $\mu=5$, RMHD

Temperature



**Magnetic field dominates
NO FRAGMENTATION**

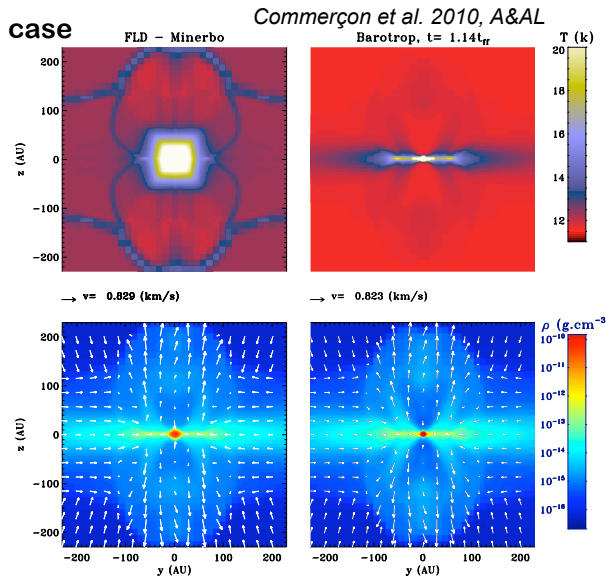
Density



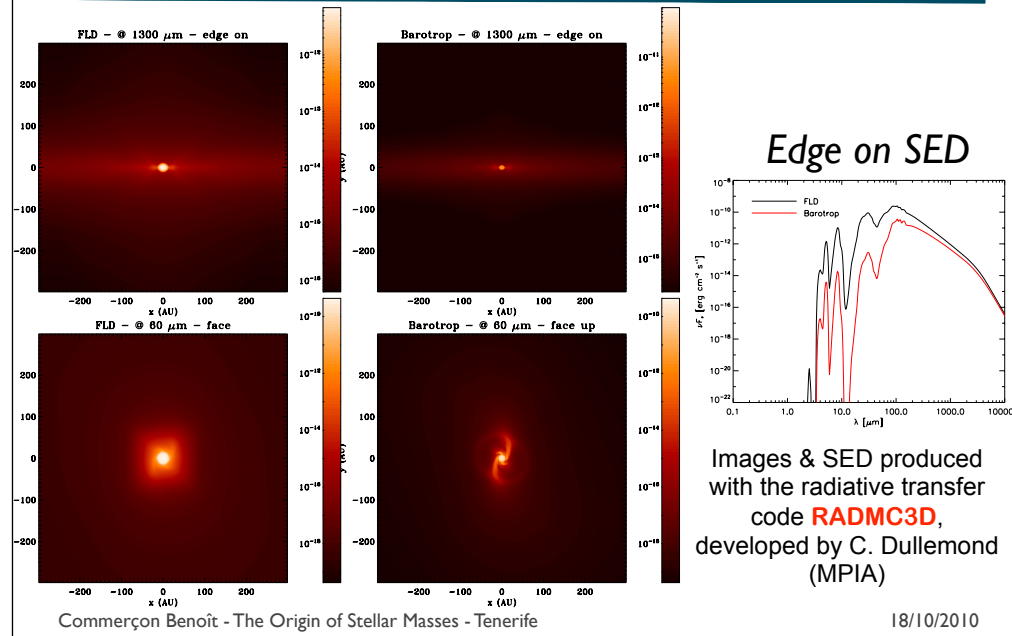
Moderate magnetized case, $\mu=5$, RMHD

Comparison to the barotropic case

- Density set by magnetic field
 - Similar outflow velocity
 - Significant differences in the temperature distribution
- <=> **observations**



Dust continuum emission maps & SED



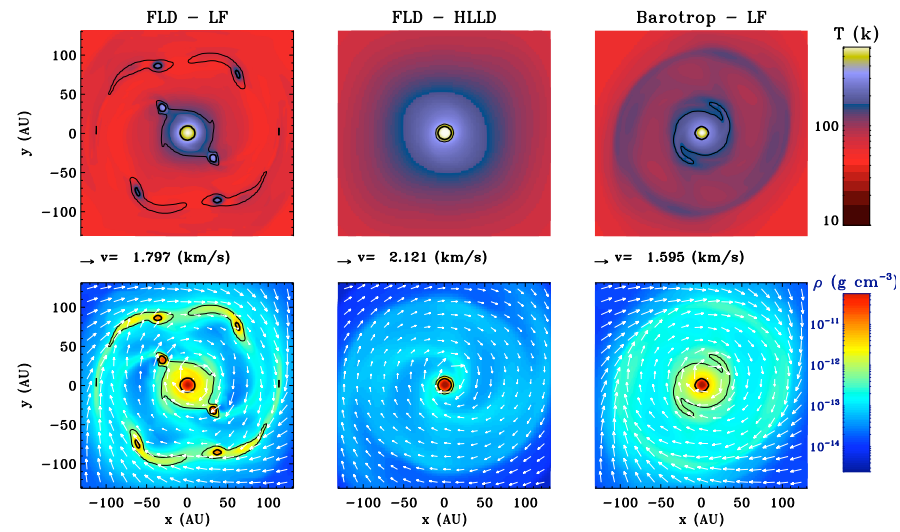
Conclusion & prospects

- ☑ Radiation-Magneto-Hydrodynamic solver with **AMR**
- ☑ **First** full RMHDs calculations of dense core collapse at small scales (see also **Tomida** poster)
- ☑ Entropy of the first cores different => 2nd collapse?
- ☑ Magnetic field **inhibits** small-scale fragmentation, even with radiative transfer
- ☑ Magnetic braking **favors** radiative feedback (see *Commerçon et al. 2010*)

- ★ Effect of the angle rotational axis/magnetic field (*Hennebelle & Ciardi 2009*)?
- ★ Synthetic maps and SED for **HERSCHEL** and **ALMA** prediction (waiting for data of first cores!)
- ★ Combined effect of magnetic field and radiative feedback in massive star formation?

THANK YOU

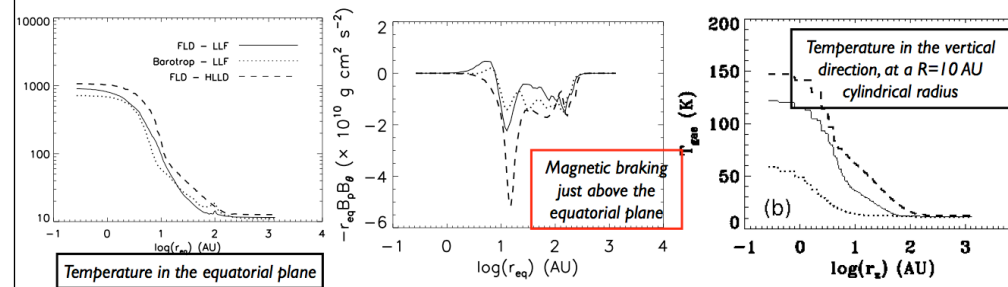
Intermediate case, $\mu=20$ - Numerical issue



Commerçon et al. 2010, A&AL

Intermediate case, $\mu=20$ - Numerical issue

Commerçon et al. 2010, A&AL



- ✓ Diffusivity of the solver => 2 effects that favor fragmentation:
 - ➔ inefficient magnetic braking
 - ➔ more massive disk
- ✓ Radiative feedback depends on the magnetic braking: $L_{acc} \propto V_{inf}^3$ (supercritical radiative shock)!